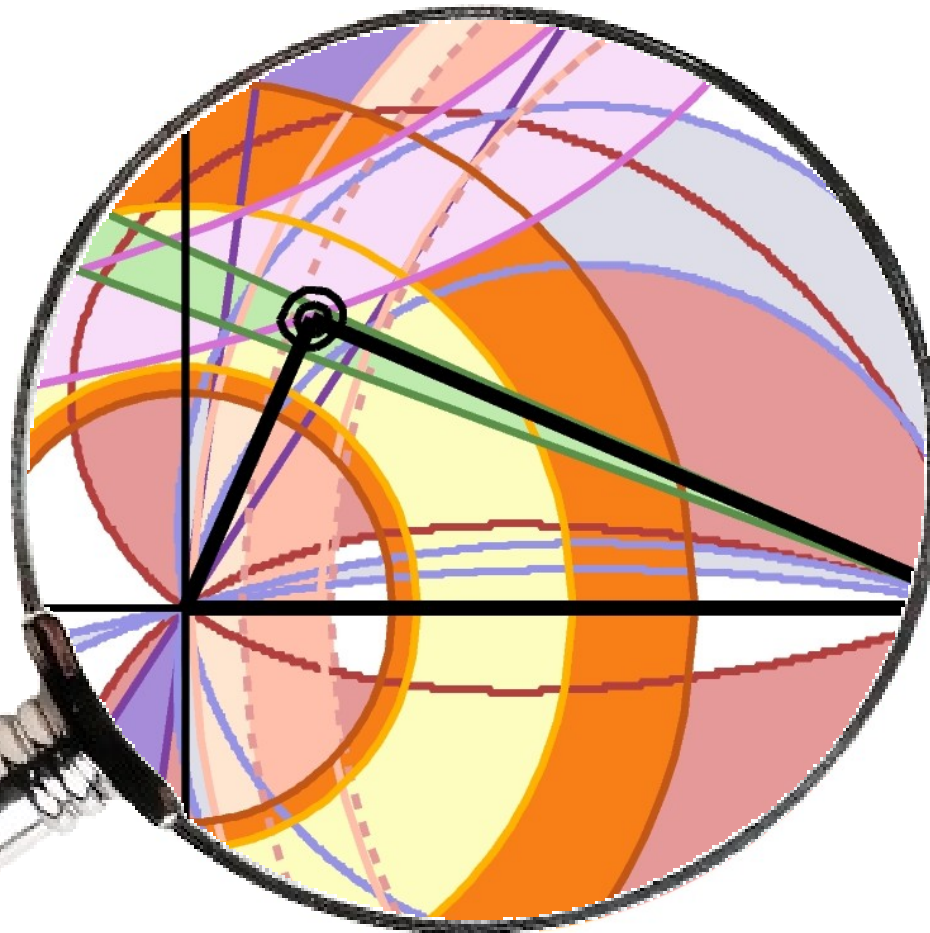


FLAVOUR OVERVIEW

Luca Silvestrini

INFN, Rome



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Special thanks to
D. Derkach & M. Bona



INTRODUCTION

- In the past 45 years, we (almost) always found what we expected, where we expected
- Distinguish between arguments and indirect evidence:
 - GIM: charm @ GeV
 - Unitarization of Fermi theory: NP at 10^2 GeV
 - KM: 3rd generation

INTRODUCTION II

- Flavour, EW fit: $m_{\dagger} \sim 170 \text{ GeV}$
- EW fit: $m_H = 100 \pm 30 \text{ GeV}$
- Now we are left with arguments only:
 - Hierarchy problem / scale separation / naturalness
 - WIMP miracle
 - gauge coupling unification
- Although surprises are possible and would be very welcome, need more indirect evidence!³

INTRODUCTION III

- No tree-level flavour changing neutral currents in the SM
 - GIM suppression of FCNC @ the loop level
 - Tiny CP violation in K and D mesons due to small coupling between third and first two generations
- ⇒ Flavour & CP violation ideal places to get indirect evidence of NP! (c & t already done!)

INTRODUCTION IV

- Compute FCNC & CPV as accurately as possible in the SM, assess compatibility with experiment
- Add loop-mediated NP in the game, determine SM couplings and NP contributions
- Constrain coefficients of higher dimensional operators
- Get bounds/indications on the scale of NP

OUTLINE

- Status of the SM UTA
- UTA beyond the SM & constraints on NP
- NP scale analysis in different classes of models
- bounds on SUSY
- possible NP signals?
- conclusions & outlook

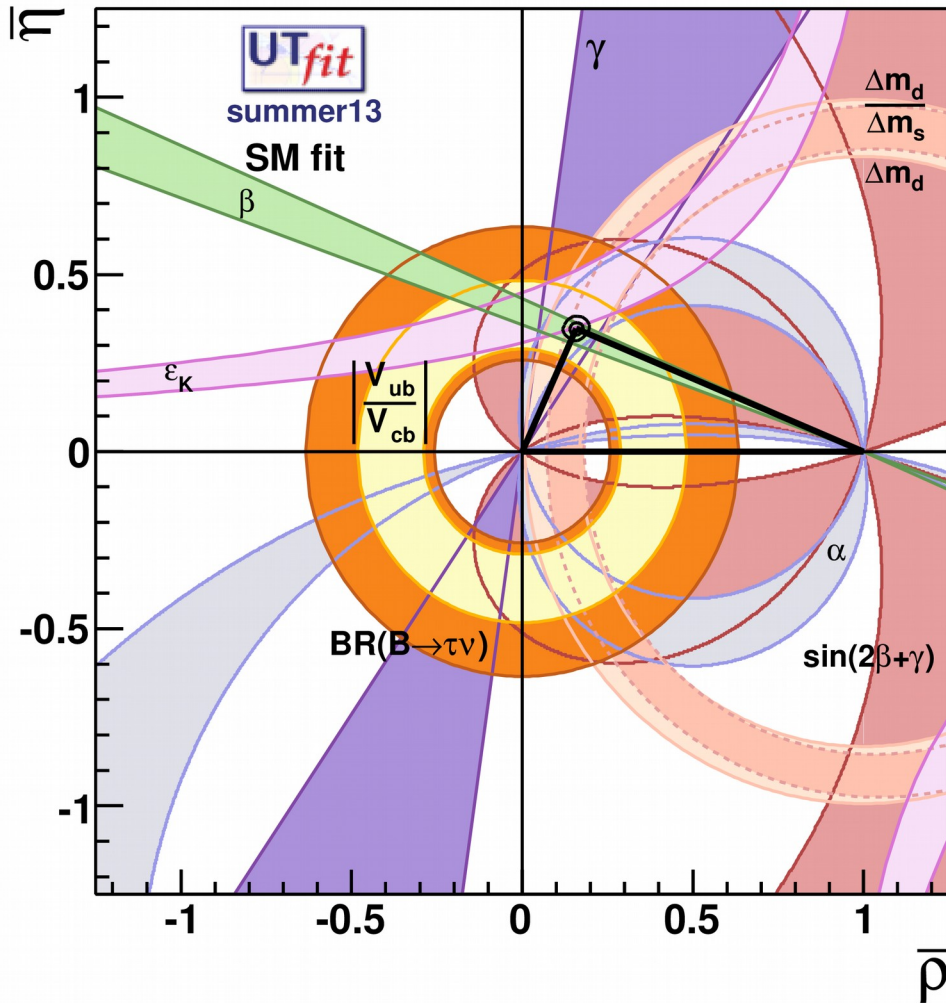
THE UNITARITY TRIANGLE

- All flavour violation in the SM from charged current coupling: **CKM matrix V**

$$V_{\text{CKM}} = \begin{pmatrix} 1 - \lambda^2/2 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \lambda^2/2 & A\lambda^2 \\ A\lambda^3(1 - \bar{\rho} - i\bar{\eta}) & -A\lambda^2 & 1 \end{pmatrix} + \mathcal{O}(\lambda^4)$$

- Top quark** exchange dominates FCNC loops: third row (V_{tq}) determines FCNC's
 $\leftrightarrow \bar{\rho}, \bar{\eta}$, apex of the Unitarity Triangle
 from $V_{ub}^* V_{ud} + V_{cb}^* V_{cd} + V_{tb}^* V_{td} = 0$

PRESENT STATUS



$$\bar{\rho} = 0.159 \pm 0.015$$

$$\bar{\eta} = 0.346 \pm 0.013$$

$$A = 0.829 \pm 0.012$$

$$\lambda = 0.2253 \pm 0.0006$$

More in <http://www.utfit.org>

See also CKMfitter

$$V_{CKM} = \begin{pmatrix} (0.97428 \pm 0.00014) & (0.22532 \pm 0.00063) & (0.00371 \pm 0.00012)e^{i(-65.3 \pm 2.0)^\circ} \\ (-0.22517 \pm 0.00063)e^{i(0.0352 \pm 0.001)^\circ} & (0.9734 \pm 0.00014)e^{i(-0.00188611 \pm 0.00005)^\circ} & (0.04209 \pm 0.00052) \\ (0.00864 \pm 0.00014)e^{i(-22.26 \pm 0.8)^\circ} & (-0.04137 \pm 0.00052)e^{i(1.052 \pm 0.039)^\circ} & (0.999106 \pm 0.000021) \end{pmatrix}$$

SUMMER 2013 NOVELTIES

- Updated lattice inputs according to FLAG summer13 averages, several errors halved:
 - $B_K = 0.766 \pm 0.010$ (was 0.75 ± 0.02)
 - $F_{B_s} = 227.7 \pm 4.5$ MeV (was 233 ± 10)
 - $10^3 V_{ub}^{excl} = 3.42 \pm 0.22$ (was 3.28 ± 0.30)
- New experimental results, among which:
 - $BR(B_s \rightarrow \mu^+ \mu^-) = (2.9 \pm 0.7) 10^{-9}$ (LHCb+CMS)
 - $BR(B_d \rightarrow \mu^+ \mu^-) = (3.7 \pm 1.5) 10^{-10}$ (LHCb+CMS)

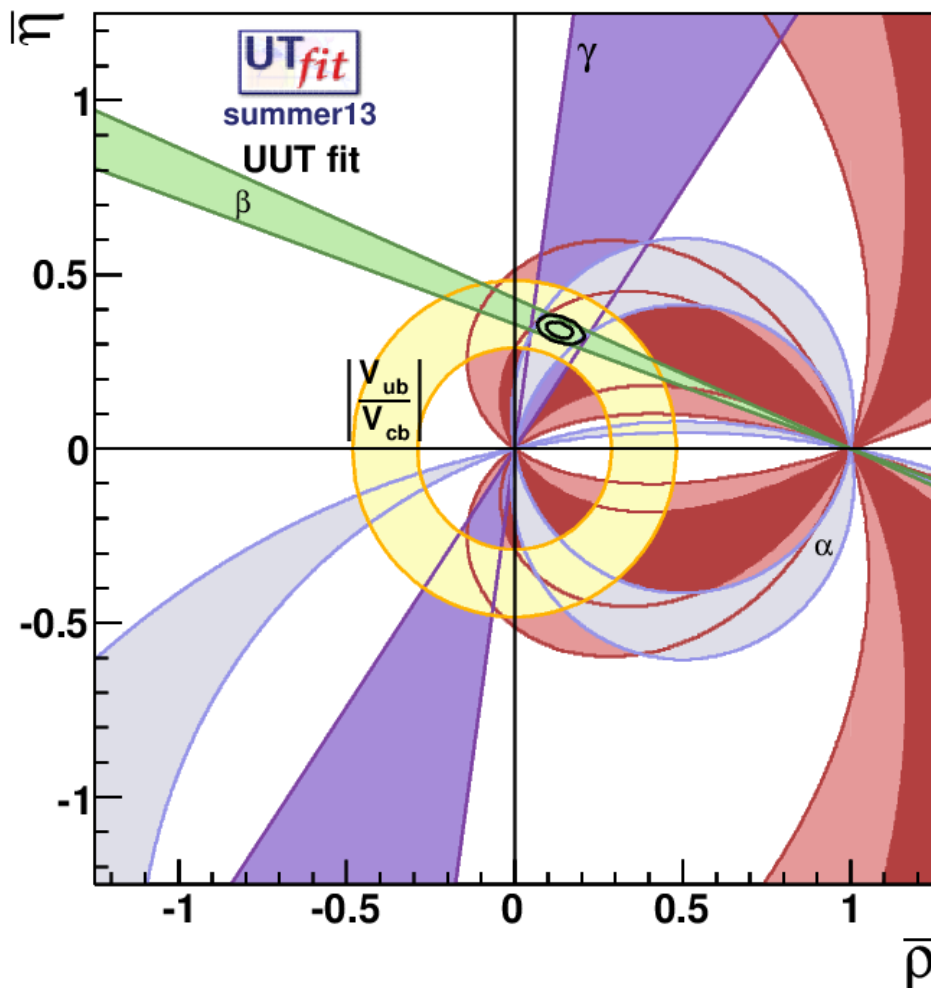
PREDICTIONS AND PULLS

Observables	Measurement	Prediction	Pull ($\# \sigma$)
$\sin 2\beta$	0.680 ± 0.023	0.771 ± 0.038	~ 2
$ V_{ub} \cdot 10^3$	3.75 ± 0.46	3.70 ± 0.12	< 1
$ V_{ub} \cdot 10^3$ (incl)	4.40 ± 0.31	–	~ 2
$ V_{ub} \cdot 10^3$ (excl)	3.42 ± 0.22	–	~ 1.1
$ V_{cb} \cdot 10^3$	40.9 ± 1.0	42.52 ± 0.57	~ 1.3
B_K	0.766 ± 0.10	0.873 ± 0.073	~ 1.8
$BR(B \rightarrow \tau \nu)[10^{-4}]$	1.14 ± 0.22	0.811 ± 0.071	~ 1.4
$BR(B_s \rightarrow \mu\mu)[10^{-9}]$	2.9 ± 0.7	3.98 ± 0.16	~ 1.4
$BR(B_d \rightarrow \mu\mu)[10^{-9}]$	0.37 ± 0.15	0.106 ± 0.004	~ 1.7
$10^3 A_{SL}^s$	-4.8 ± 5.2	0.013 ± 0.002	< 1
$10^3 A_{\mu\mu}$	-7.9 ± 2.0	-0.14 ± 0.02	~ 3.9

THE UUT & MFV MODELS

- Consider MFV models ($Y_{u,d}$ only source of flavour & CPV) D'Ambrosio et al.,...
- Can define a Universal Unitarity Triangle using only observables unaffected by MFV-NP: V_{ub} , V_{cb} & angles Buras et al.
- UUT results starting point for model-dependent studies

UUT RESULTS



$$\bar{\rho} = 0.134 \pm 0.029$$

$$\bar{\eta} = 0.340 \pm 0.017$$

$$A = 0.809 \pm 0.020$$

$$\lambda = 0.2253 \pm 0.0006$$

In the SM was:

$$\bar{\rho} = 0.159 \pm 0.015$$

$$\bar{\eta} = 0.346 \pm 0.013$$

BOUNDS ON MFV MODELS

- In MFV models @ low/moderate $\tan\beta$, NP effects amount to a modification of the top loop: in $\Delta F=2$, $S_0(x_+)$ \rightarrow $S_0(x_+) + \delta S$, with $\delta S = 4c(\Lambda_{SM}/\Lambda)^2$ and $\Lambda_{SM} \sim 2.4 \text{ TeV}$
Gabrielli & Giudice;
D'Ambrosio et al;
Buras et al; UTfit
- We find $\delta S \in [-0.28, 0.48]$ @ 95% probability
- This corresponds to $\Lambda > 6.9 \text{ TeV}$ for $c=1$ and to $\Lambda > 9.1 \text{ TeV}$ for $c=-1$

MFV @ LARGE $\tan\beta$

- For large $\tan\beta$ γ_b becomes important, and Higgs exchange can dominate over SM in helicity suppressed amplitudes: $B \rightarrow \tau\nu$, $B_s \rightarrow \mu\mu$

Grzadkowski&Hou

- In 2HDMII, $(\tan\beta/m_{H^+})^4$ -enhanced contributions: $BR/BR_{SM} \sim (1 - m_B^2 \tan^2\beta/m_{H^+}^2)^2$

Hou

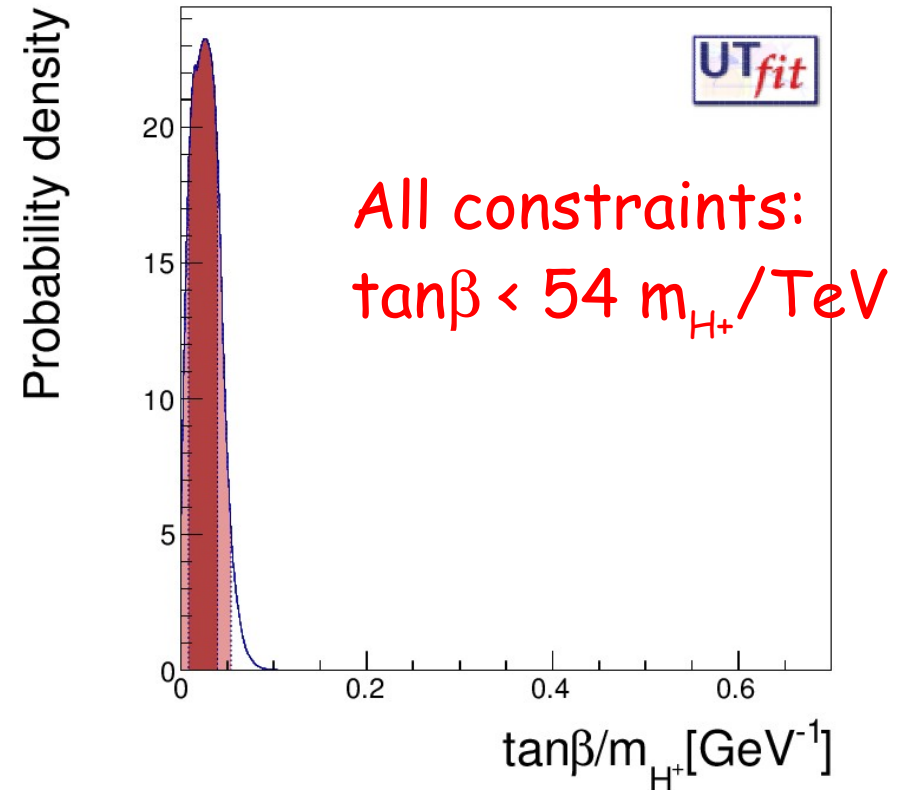
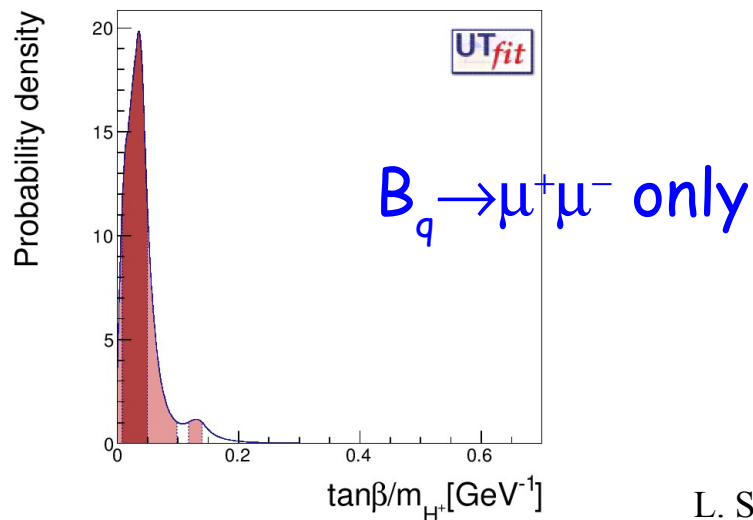
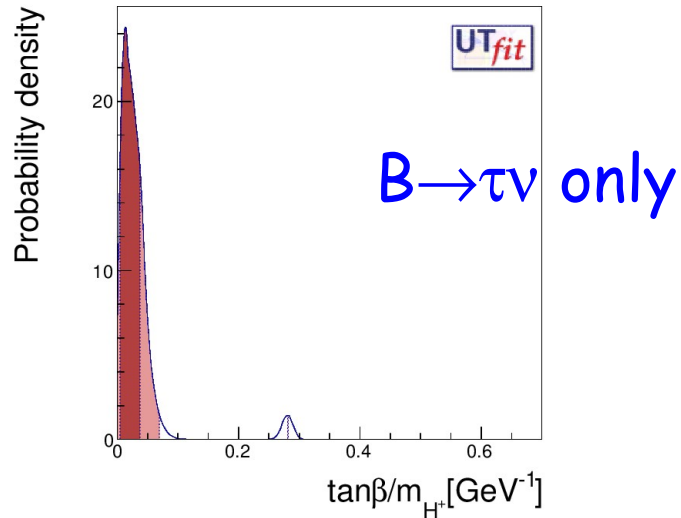
- In the MSSM, loop effects induce $(\tan\beta/m_{H^+})^6$ -enhanced contributions to

$$B_s \rightarrow \mu\mu: (\mu A_+/m_{stop}^2 \tan^3\beta/m_{H^+}^2)^2$$

Babu&Kolda; Isidori&Retico;
Buras et al; Isidori&Paradisi;
Altmannshofer et al; Behring et al;
Mahmoudi et al;...

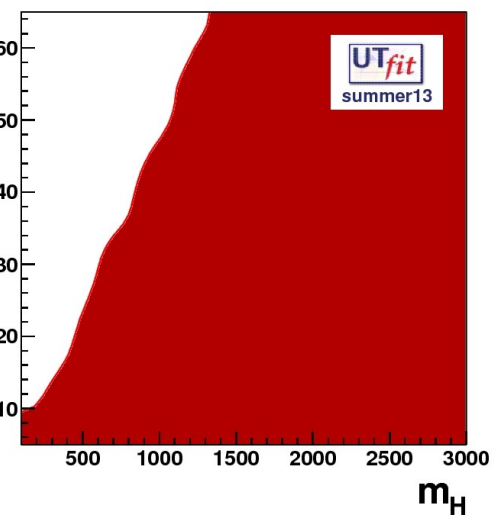
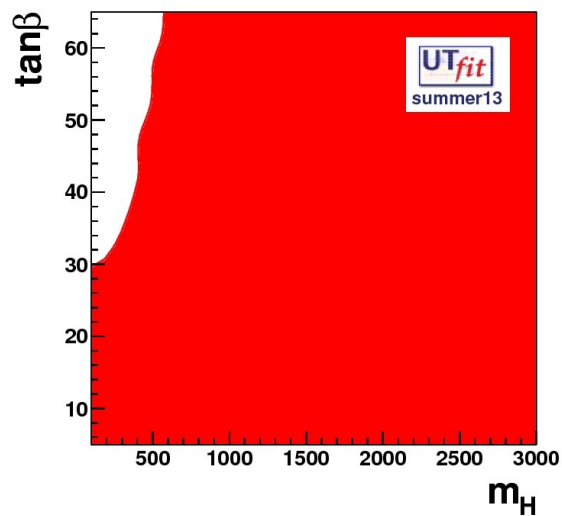
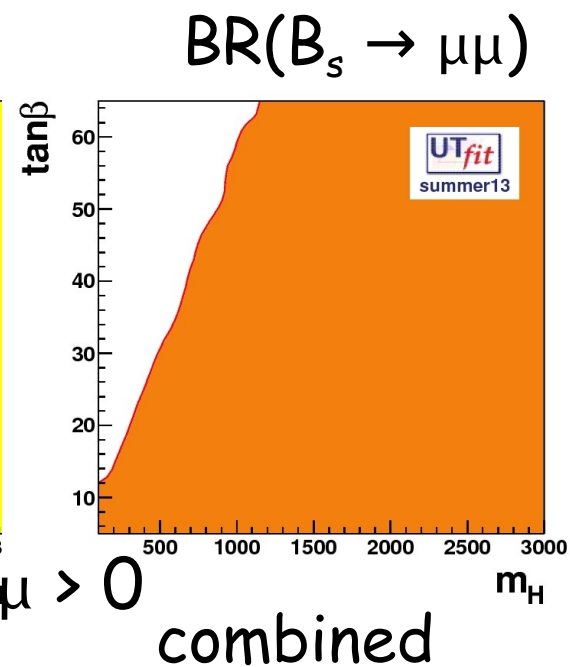
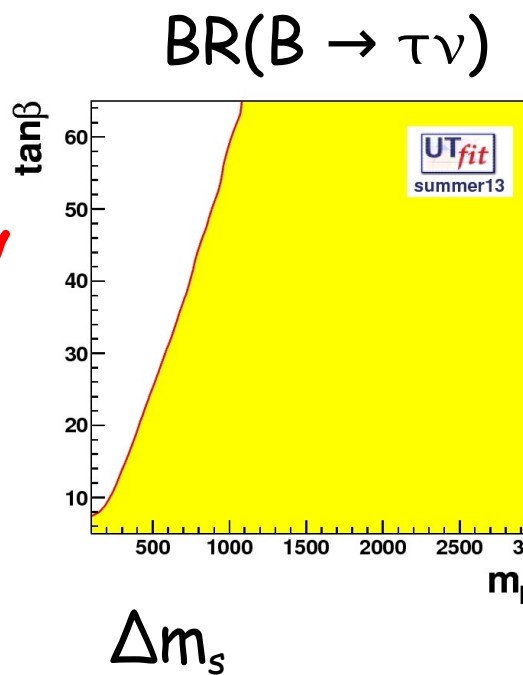
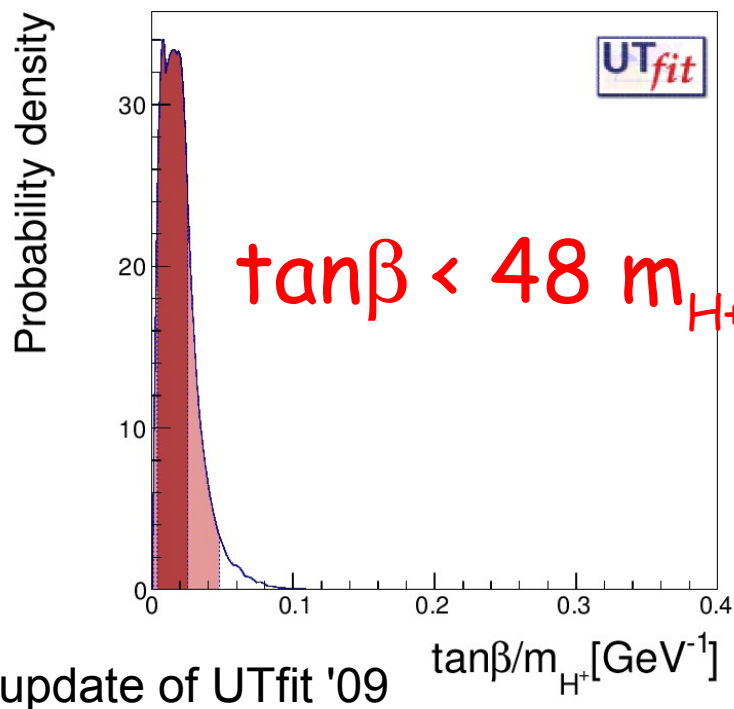
L. Silvestrini

2HDMII and leptonic B decays



update of UTfit '09

MFV-MSSM at large $\tan\beta$



$$\mu, m_{sq}, m_{gl} \in [1, 3] \text{ TeV}$$

$$A_u \in [-3, 3] \text{ TeV}$$

UTfit beyond MFV

1. fit simultaneously for CKM and NP

- add most general NP to all sectors
- use all available experimental info
- find out how much room is left for NP in $\Delta F=2$ transitions

Soares, Wolfenstein; Deshpande, Dutta, Oh; Silva, Wolfenstein; Cohen et al.; Grossman, Nir, Worah; Laplace et al; Ciuchini et al; Ligeti; CKMFitter; UTfit; Botella et al.; Agashe et al.; ...

2. perform an $\Delta F=2$ EFT analysis to put bounds on the NP scale

- consider different choices of the FV and CPV couplings

UTfit; Davidson, Isidori, Uhlig; Isidori, Nir, Perez;...

1. Parameterization of generic NP contributions to the mixing amplitudes

K mixing amplitude (2 real parameters):

$$\text{Re } A_K = C_{\Delta m_K} \text{Re } A_K^{SM} \quad \text{Im } A_K = C_\varepsilon \text{Im } A_K^{SM}$$

B_d and B_s mixing amplitudes (2+2 real parameters):

$$A_q e^{2i\phi_q} = C_{B_q} e^{2i\phi_{B_q}} A_q^{SM} e^{2i\phi_q^{SM}} = \left(1 + \frac{A_q^{NP}}{A_q^{SM}} e^{2i(\phi_q^{NP} - \phi_q^{SM})} \right) A_q^{SM} e^{2i\phi_q^{SM}}$$

Observables:

$$\Delta m_{q/K} = C_{B_q/\Delta m_K} (\Delta m_{q/K})^{SM} \quad \varepsilon_K = C_\varepsilon \varepsilon_K^{SM}$$

$$A_{CP}^{B_d \rightarrow J/\psi K_s} = \sin 2(\beta + \phi_{B_d}) \quad A_{CP}^{B_s \rightarrow J/\psi \phi} \sim \sin 2(-\beta_s + \phi_{B_s})$$

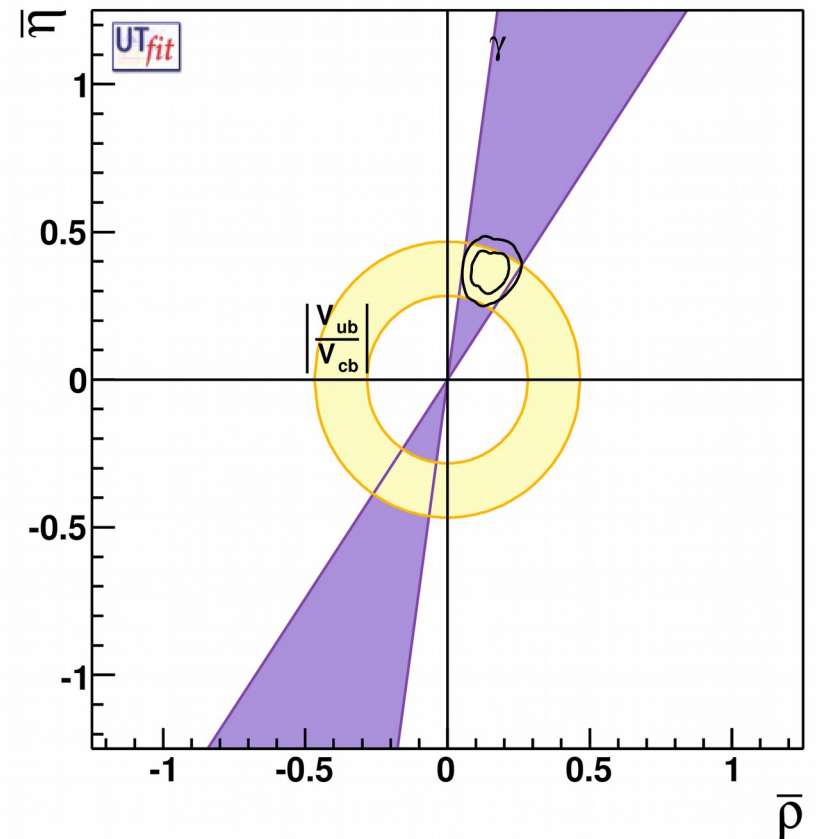
$$A_{SL}^q = \text{Im} \left(\Gamma_{12}^q / A_q \right) \quad \Delta \Gamma^q / \Delta m_q = \text{Re} \left(\Gamma_{12}^q / A_q \right)$$

UT parameters in the presence of NP

Model-independent
determination
of the CKM parameters
(no NP in tree-level decays)

$$\bar{\rho} = 0.147 \pm 0.045$$

$$\bar{\eta} = 0.368 \pm 0.048$$

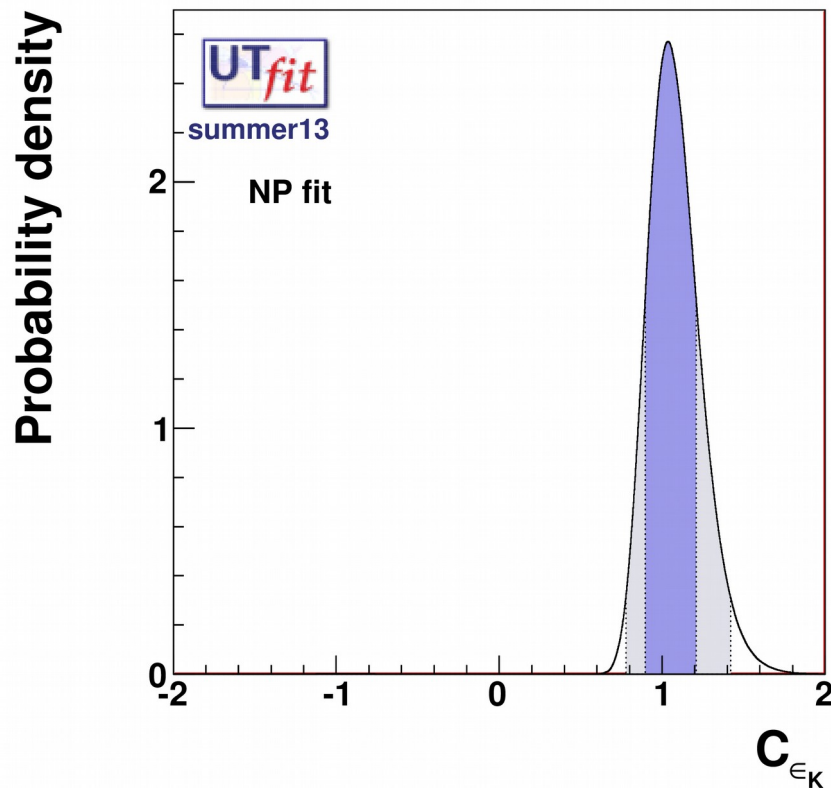


In the SM was:

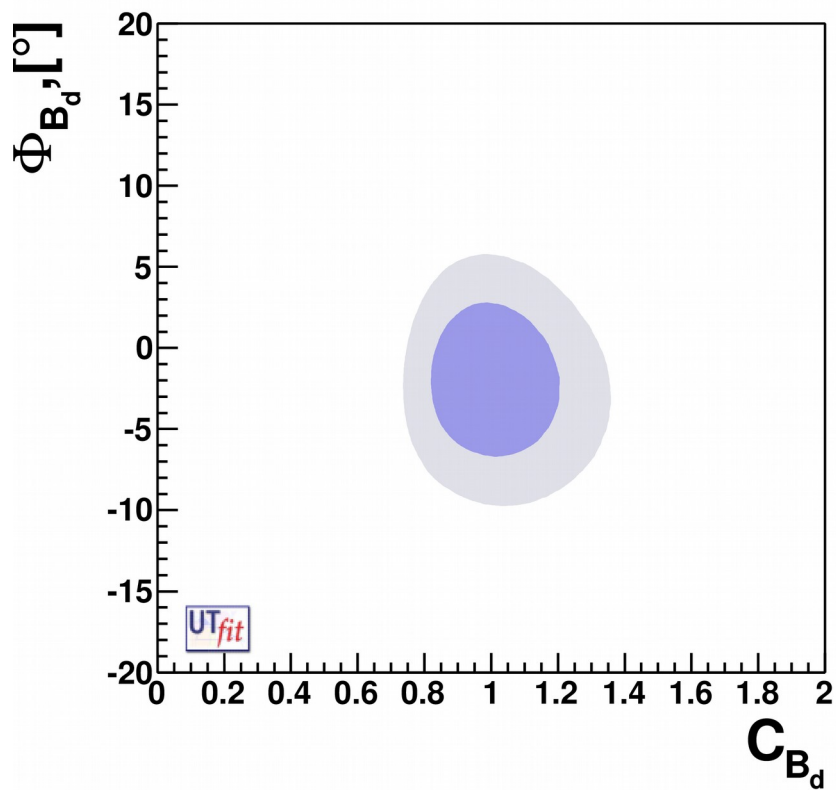
$$\bar{\rho} = 0.159 \pm 0.015$$

$$\bar{\eta} = 0.346 \pm 0.013$$

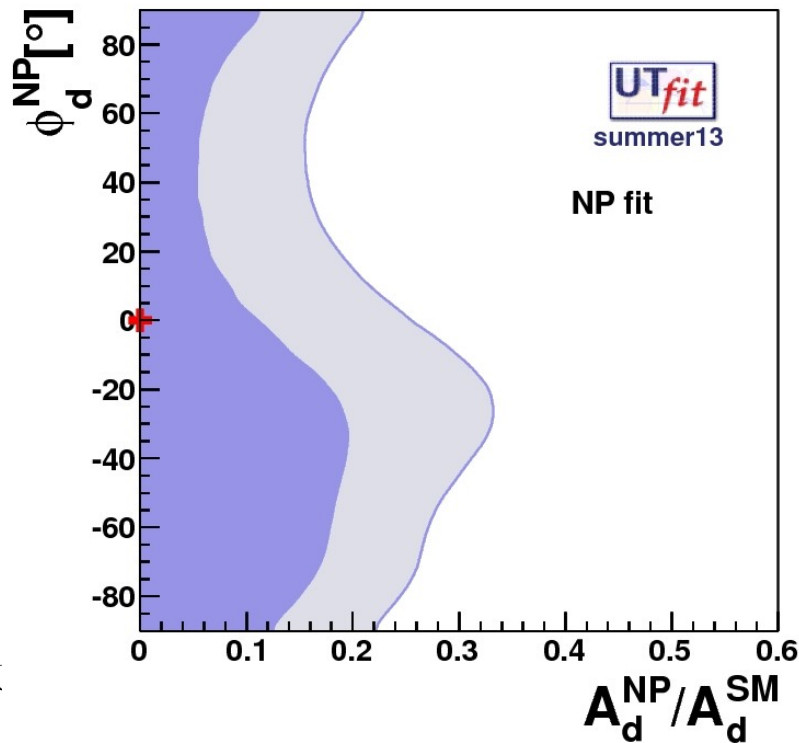
NP FIT RESULTS



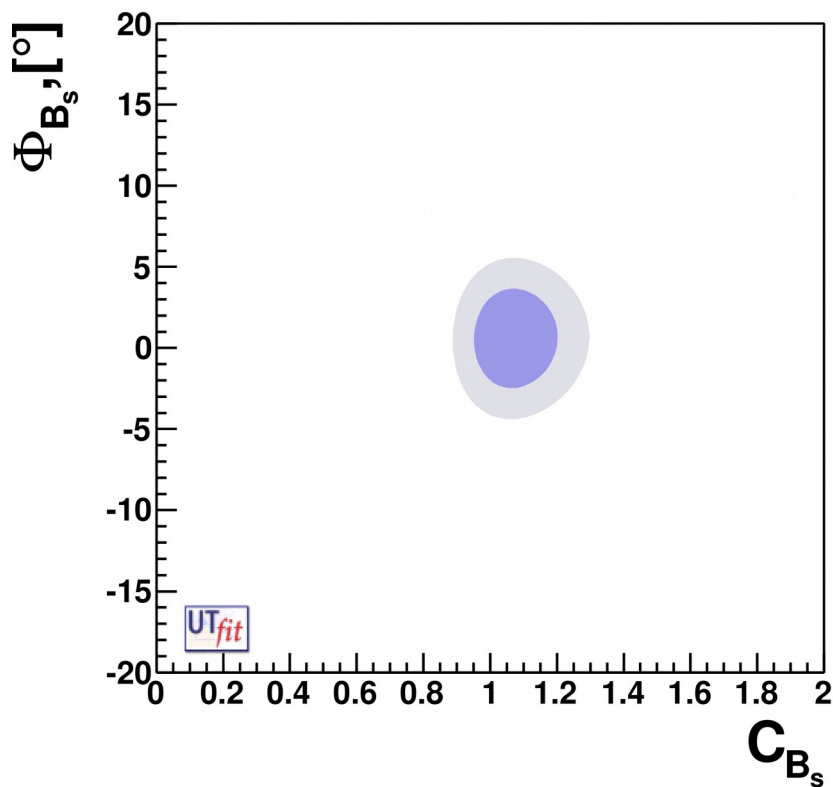
- $C_{\epsilon K} = 1.05 \pm 0.16$
($[0.77, 1.42]$ @ 95% probability)



- $C_{Bd} = 1.00 \pm 0.13$
 ([0.77, 1.28] @ 95% probability)

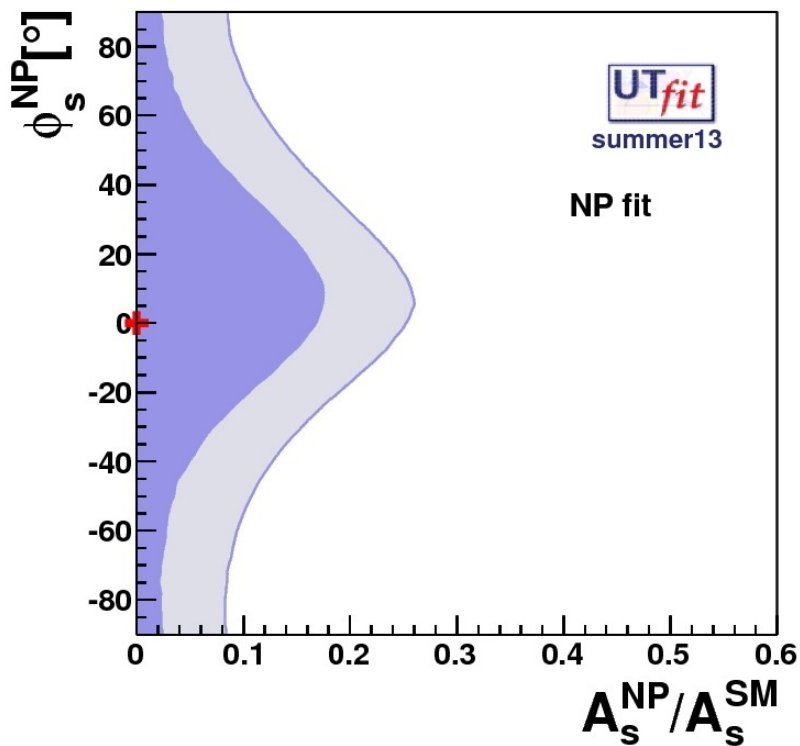


- $\phi_{Bd} = (-2.0 \pm 3.2)^\circ$
 ([-8, 4.2]° @ 95% probability)



- $C_{B_s} = 1.07 \pm 0.08$
 ([0.92, 1.25] @ 95% probability)

- $\phi_{B_s} = (-0.6 \pm 2.0)^\circ$
 ([-3.0, 4.6]° @ 95% probability)



- The $D0$ dimuon asymmetry remains @ 3.7σ

D- \bar{D} MIXING

- Established experimentally only in 2007
- Great experimental progress recently
- SM long distance contributions difficult to estimate, but solid prediction: no CPV in mixing
- Direct CPV possible in SCS decays; experimental situation unclear

BASIC FORMULAE

- All mixing-related observables can be expressed in terms of $x=\Delta m/\Gamma$, $y=\Delta\Gamma/2\Gamma$ and $|q/p|$, or better in terms of M_{12} , Γ_{12} and

$$\Phi_{12} = \arg(\Gamma_{12}/M_{12}):$$

$$|M_{12}| = \frac{1}{\tau_D} \sqrt{\frac{x^2 + \delta^2 y^2}{4(1 - \delta^2)}}, \quad |\Gamma_{12}| = \frac{1}{\tau_D} \sqrt{\frac{y^2 + \delta^2 x^2}{1 - \delta^2}}, \quad \sin \Phi_{12} = \frac{|\Gamma_{12}|^2 + 4|M_{12}|^2 - (x^2 + y^2)|q/p|^2/\tau_D^2}{4|M_{12}\Gamma_{12}|}$$

$$\delta = \frac{1 - |q/p|^2}{1 + |q/p|^2}, \quad \phi = \arg(q/p) = \arg(y + i\delta x), \quad A_M = \frac{|q/p|^4 - 1}{|q/p|^4 + 1}, \quad R_M = \frac{x^2 + y^2}{2}, \quad (1)$$

$$\begin{pmatrix} x'_f \\ y'_f \end{pmatrix} = \begin{pmatrix} \cos \delta_f & \sin \delta_f \\ -\sin \delta_f & \cos \delta_f \end{pmatrix} \begin{pmatrix} x \\ y \end{pmatrix}, \quad (x'_{\pm})_f = \left| \frac{q}{p} \right|^{\pm 1} (x'_f \cos \phi \pm y'_f \sin \phi), \quad (y'_{\pm})_f = \left| \frac{q}{p} \right|^{\pm 1} (y'_f \cos \phi \mp x'_f \sin \phi),$$

$$y_{\text{CP}} = \left(\left| \frac{q}{p} \right| + \left| \frac{p}{q} \right| \right) \frac{y}{2} \cos \phi - \left(\left| \frac{q}{p} \right| - \left| \frac{p}{q} \right| \right) \frac{x}{2} \sin \phi, \quad A_{\Gamma} = \left(\left| \frac{q}{p} \right| - \left| \frac{p}{q} \right| \right) \frac{y}{2} \cos \phi - \left(\left| \frac{q}{p} \right| + \left| \frac{p}{q} \right| \right) \frac{x}{2} \sin \phi,$$

$$R_D = \frac{\Gamma(D^0 \rightarrow K^+\pi^-) + \Gamma(\bar{D}^0 \rightarrow K^-\pi^+)}{\Gamma(D^0 \rightarrow K^-\pi^+) + \Gamma(\bar{D}^0 \rightarrow K^+\pi^-)}, \quad A_D = \frac{\Gamma(D^0 \rightarrow K^+\pi^-) - \Gamma(\bar{D}^0 \rightarrow K^-\pi^+)}{\Gamma(D^0 \rightarrow K^+\pi^-) + \Gamma(\bar{D}^0 \rightarrow K^-\pi^+)},$$

CPV IN D MIXING

- updating the UTfit average we obtain:
 - $x = (4.2 \pm 1.8) 10^{-3}$, $y = (6.4 \pm 0.8) 10^{-3}$,
 $|q/p|-1 = (2 \pm 8) 10^{-2}$, $\phi = (0.3 \pm 2.6)^\circ$
 - $\Phi_{12} = (2 \pm 11)^\circ$
- impressive improvement, CPV now very well measured
- more stringent constraints on CP-violating NP

2. EFT analysis of $\Delta F=2$ transitions

The mixing amplitudes $A_q e^{2i\phi_q} = \langle \bar{M}_q | H_{eff}^{\Delta F=2} | M_q \rangle$

$$H_{eff}^{\Delta B=2} = \sum_{i=1}^5 C_i(\mu) Q_i(\mu) + \sum_{i=1}^3 \tilde{C}_i(\mu) \tilde{Q}_i(\mu)$$

$$Q_1 = \bar{q}_L^\alpha \gamma_\mu b_L^\alpha \bar{q}_L^\beta \gamma^\mu b_L^\beta \quad (\text{SM/MFV})$$

$$Q_2 = \bar{q}_R^\alpha b_L^\alpha \bar{q}_R^\beta b_L^\beta$$

$$Q_3 = \bar{q}_R^\alpha b_L^\beta \bar{q}_R^\beta b_L^\beta$$

$$Q_4 = \bar{q}_R^\alpha b_L^\alpha \bar{q}_L^\beta b_R^\beta$$

$$Q_5 = \bar{q}_R^\alpha b_L^\beta \bar{q}_L^\beta b_R^\beta$$

$$\tilde{Q}_1 = \bar{q}_R^\alpha \gamma_\mu b_R^\alpha \bar{q}_R^\beta \gamma^\mu b_R^\beta$$

$$\tilde{Q}_2 = \bar{q}_L^\alpha b_R^\alpha \bar{q}_L^\beta b_R^\beta$$

$$\tilde{Q}_3 = \bar{q}_L^\alpha b_R^\beta \bar{q}_L^\beta b_R^\beta$$

7 new operators beyond MFV involving quarks with different chiralities

LATTICE QCD INPUT

- During the past year, ETMC recomputed the full set of matrix elements for K, D, B_d and B_s mixing beyond the SM:

K mixing, 1207.1287v4 (see also Boyle et al. 1206.5737)

$B_{d,s}$ mixing, 1308.1851

D mixing, to appear (preliminary)

\overline{MS} (2 GeV)				
B_1	B_2	B_3	B_4	B_5
0.53(2)	0.52(2)	0.89(5)	0.78(3)	0.57(4)

$(\overline{MS}\text{-BMU}, m_b)$				
$B_1^{(d)}$	$B_2^{(d)}$	$B_3^{(d)}$	$B_4^{(d)}$	$B_5^{(d)}$
0.85(4)	0.72(3)	0.88(13)	0.95(5)	1.47(12)
$B_1^{(s)}$	$B_2^{(s)}$	$B_3^{(s)}$	$B_4^{(s)}$	$B_5^{(s)}$
0.86(3)	0.73(3)	0.89(12)	0.93(4)	1.57(11)

\overline{MS} (3GeV)				
B_1	B_2	B_3	B_4	B_5
0.75(02)	0.66(02)	0.96(05)	0.91(04)	1.10(05)

H_{eff} can be recast in terms of
the $C_i(\Lambda)$ computed at the NP scale

- $C_i(\Lambda)$ can be extracted from the data (one by one)
- the associated NP scale Λ can be defined from

$$C_i(\Lambda) = \frac{LF_i}{\Lambda^2}$$

tree/strong interact. NP: $L \sim 1$
perturbative NP: $L \sim \alpha_s^2, \alpha_W^2$

Flavour structures:

MFV

- $F_1 = F_{\text{SM}} \sim (V_{tq} V_{tb}^*)^2$
- $F_{i \neq 1} = 0$

next-to-MFV

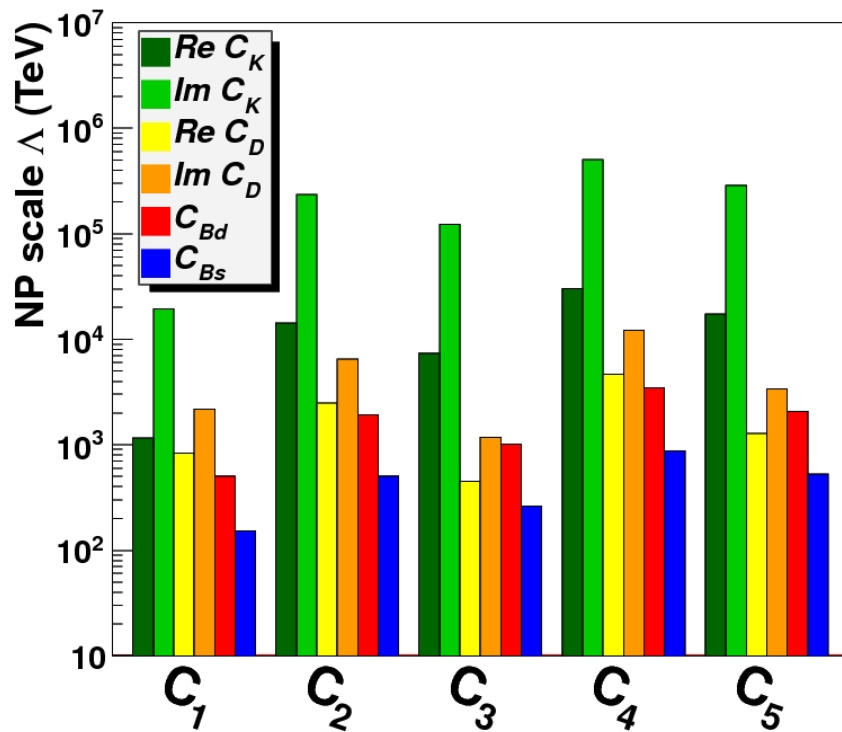
- $|F_i| \sim F_{\text{SM}}$
- arbitrary
phases

generic

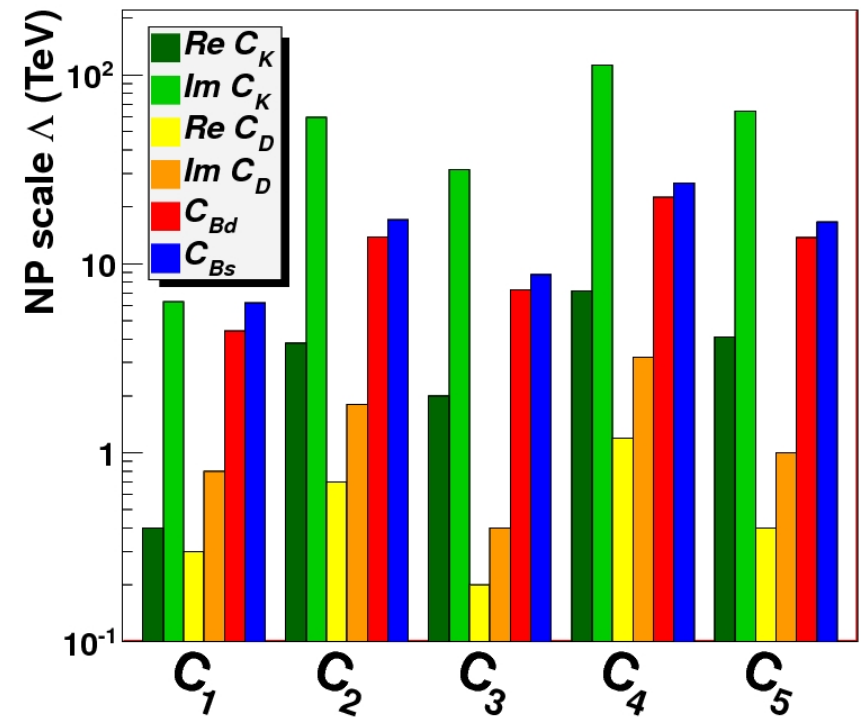
- $|F_i| \sim 1$
- arbitrary
phases

Parameter	95% allowed range (GeV ⁻²)	Lower limit on Λ (TeV) for arbitrary NP	Lower limit on Λ (TeV) for NMFV
$\text{Re}C_K^1$	$[-6.9, 7.4] \cdot 10^{-13}$	$1.2 \cdot 10^3$	0.4
$\text{Re}C_K^2$	$[-5.0, 4.7] \cdot 10^{-15}$	$14.2 \cdot 10^3$	3.8
$\text{Re}C_K^3$	$[-1.7, 1.8] \cdot 10^{-14}$	$7.4 \cdot 10^3$	2.0
$\text{Re}C_K^4$	$[-1.0, 1.1] \cdot 10^{-15}$	$30.2 \cdot 10^3$	7.2
$\text{Re}C_K^5$	$[-3.1, 3.3] \cdot 10^{-15}$	$17.4 \cdot 10^3$	4.1
$\text{Im}C_K^1$	$[-1.9, 2.7] \cdot 10^{-15}$	$19.3 \cdot 10^3$	6.3
$\text{Im}C_K^2$	$[-1.8, 1.3] \cdot 10^{-17}$	$235.7 \cdot 10^3$	59.8
$\text{Im}C_K^3$	$[-4.7, 6.6] \cdot 10^{-17}$	$123.1 \cdot 10^3$	31.4
$\text{Im}C_K^4$	$[-2.8, 4.0] \cdot 10^{-18}$	$502.3 \cdot 10^3$	112.6
$\text{Im}C_K^5$	$[-8.5, 12.0] \cdot 10^{-18}$	$288.9 \cdot 10^3$	64.0
$\text{Re}C_D^1$	$[-5.5, 14.3] \cdot 10^{-13}$	835.4	0.3
$\text{Re}C_D^2$	$[16.4, 6.2] \cdot 10^{-14}$	$2.5 \cdot 10^3$	0.7
$\text{Re}C_D^3$	$[-1.9, 5.0] \cdot 10^{-12}$	447.2	0.2
$\text{Re}C_D^4$	$[-1.8, 4.6] \cdot 10^{-14}$	$4.7 \cdot 10^3$	1.2
$\text{Re}C_D^5$	$[-2.4, 6.1] \cdot 10^{-13}$	$1.3 \cdot 10^3$	0.4
$\text{Im}C_D^1$	$[-2.1, 1.7] \cdot 10^{-13}$	$2.2 \cdot 10^3$	0.8
$\text{Im}C_D^2$	$[-1.9, 2.4] \cdot 10^{-14}$	$6.5 \cdot 10^3$	1.8
$\text{Im}C_D^3$	$[-7.2, 5.9] \cdot 10^{-13}$	$1.2 \cdot 10^3$	0.4
$\text{Im}C_D^4$	$[-6.7, 5.4] \cdot 10^{-15}$	$12.2 \cdot 10^3$	3.2
$\text{Im}C_D^5$	$[-8.9, 7.2] \cdot 10^{-14}$	$3.4 \cdot 10^3$	1.0
$ C_{B_d}^1 $	$< 3.9 \cdot 10^{-12}$	504.4	4.4
$ C_{B_d}^2 $	$< 2.7 \cdot 10^{-13}$	$1.9 \cdot 10^3$	13.9
$ C_{B_d}^3 $	$< 9.9 \cdot 10^{-13}$	$1.0 \cdot 10^3$	7.3
$ C_{B_d}^4 $	$< 8.4 \cdot 10^{-14}$	$3.4 \cdot 10^3$	22.5
$ C_{B_d}^5 $	$< 2.4 \cdot 10^{-13}$	$2.1 \cdot 10^3$	13.8
$ C_{B_s}^1 $	$< 4.3 \cdot 10^{-11}$	152.6	6.2
$ C_{B_s}^2 $	$< 3.9 \cdot 10^{-12}$	506.4	17.1
$ C_{B_s}^3 $	$< 1.5 \cdot 10^{-11}$	260.8	8.8
$ C_{B_s}^4 $	$< 1.3 \cdot 10^{-12}$	870.4	26.8
$ C_{B_s}^5 $	$< 3.6 \cdot 10^{-12}$	525.6	16.6

BOUNDS ON THE NP SCALE



General FV: $\Delta > 5 \cdot 10^5$ TeV



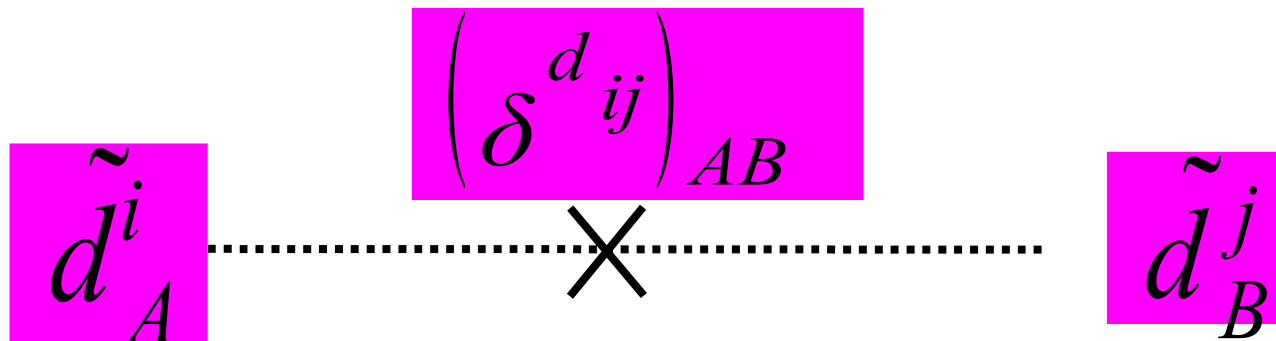
NMFV: $\Delta > 10^2$ TeV

CONSTRAINTS ON THE MSSM

Consider a MSSM with generic soft SUSY-breaking terms, but

dominant gluino contributions only

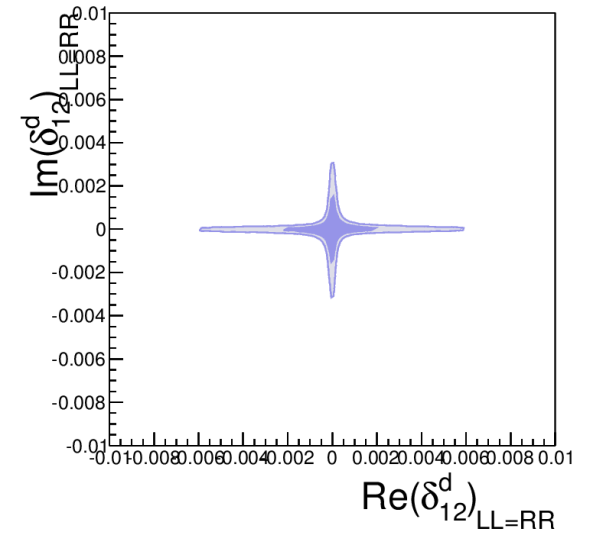
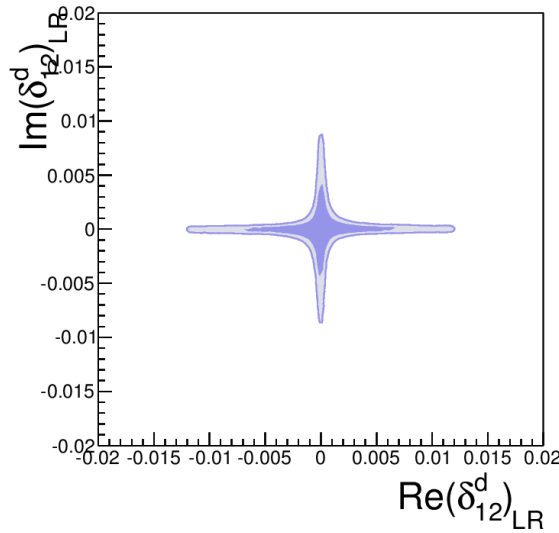
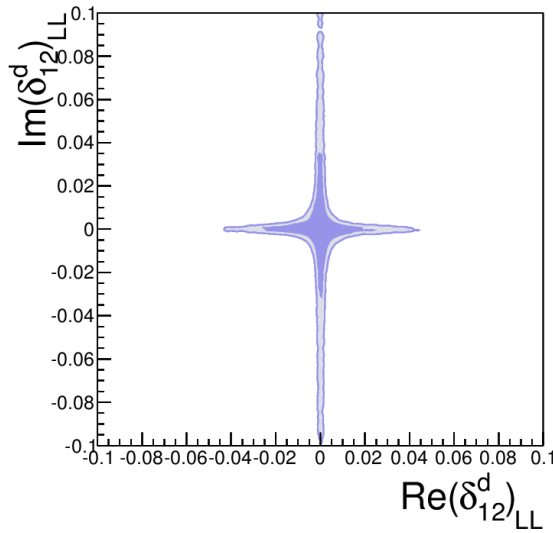
mass insertion approximation



four insertions $AB=LL, LR, RL, RR$

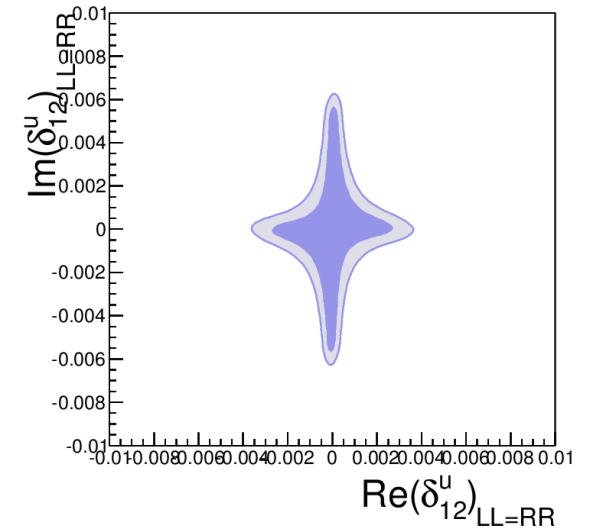
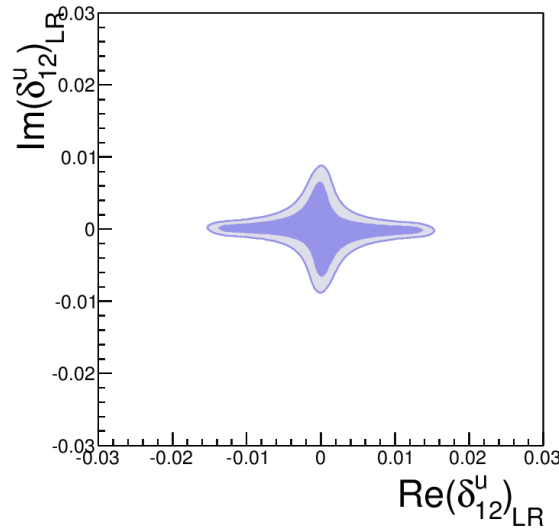
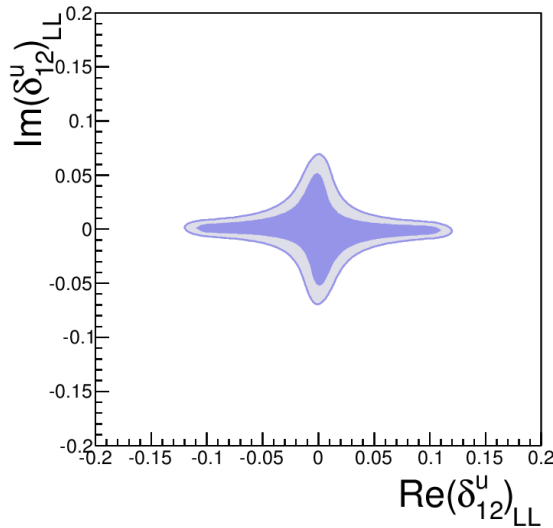
Translate bounds on NP in $\Delta F=2$ into bounds on off-diagonal mass insertions

KAON MIXING



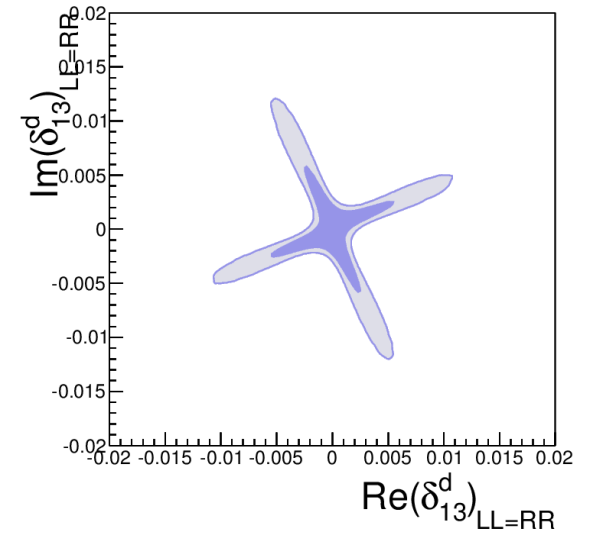
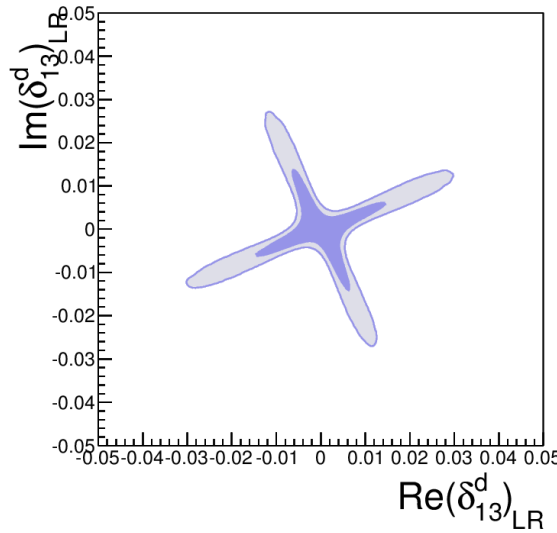
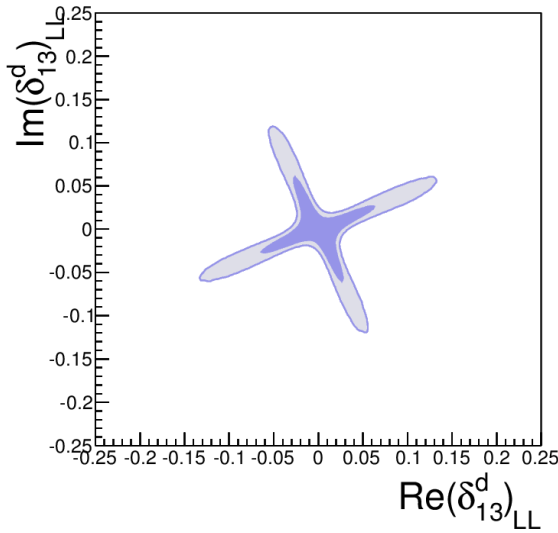
bound on δ ($\tilde{m} = 1$ TeV) bound on \tilde{m} (TeV) for $\delta_{LL,RR} = 1$	$\sqrt{ \text{Re}[(\delta_{12}^d)_{LL}]^2 }$ $1 \cdot 10^{-1}$ 10	$\sqrt{ \text{Re}[(\delta_{12}^d)_{LR}]^2 }$ $1 \cdot 10^{-2}$ --	$\sqrt{ \text{Re}[(\delta_{12}^d)_{LL=RR}]^2 }$ $6 \cdot 10^{-3}$ 170
bound on δ ($\tilde{m} = 1$ TeV) bound on \tilde{m} (TeV) for $\delta_{LL,RR} = 1$	$\sqrt{ \text{Im}[(\delta_{12}^d)_{LL}]^2 }$ $8 \cdot 10^{-3}$ 100	$\sqrt{ \text{Im}[(\delta_{12}^d)_{LR}]^2 }$ $2 \cdot 10^{-3}$ --	$\sqrt{ \text{Im}[(\delta_{12}^d)_{LL=RR}]^2 }$ $6 \cdot 10^{-4}$ 1700

D MIXING



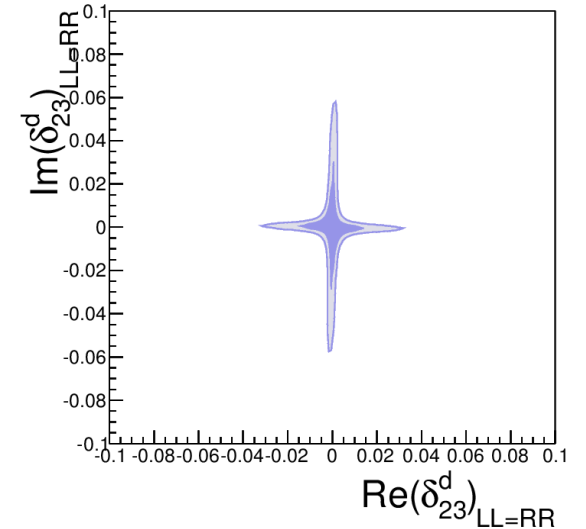
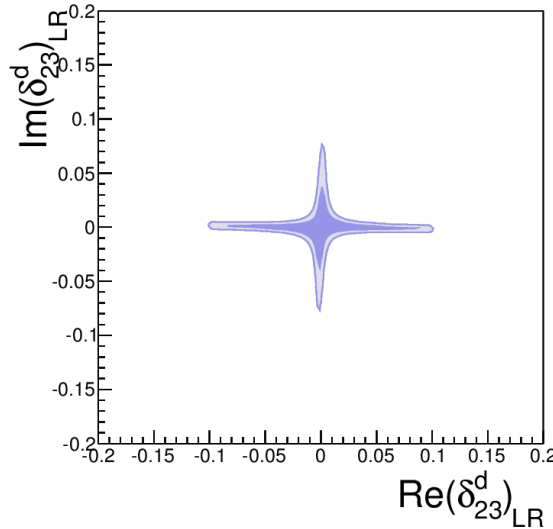
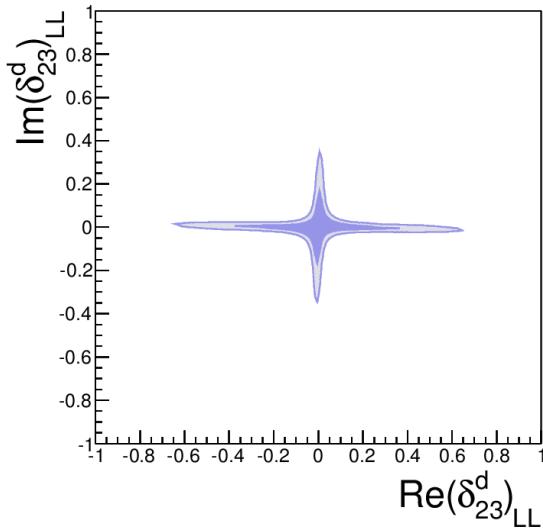
bound on δ ($\tilde{m} = 1$ TeV) bound on \tilde{m} (TeV) for $\delta_{LL,RR} = 1$	$\sqrt{ \text{Re}[(\delta_{12}^u)_{LL}]^2 }$ $1 \cdot 10^{-1}$ 10	$\sqrt{ \text{Re}[(\delta_{12}^u)_{LR}]^2 }$ $1 \cdot 10^{-2}$ --	$\sqrt{ \text{Re}[(\delta_{12}^u)_{LL=RR}]^2 }$ $6 \cdot 10^{-3}$ 170
bound on δ ($\tilde{m} = 1$ TeV) bound on \tilde{m} (TeV) for $\delta_{LL,RR} = 1$	$\sqrt{ \text{Im}[(\delta_{12}^u)_{LL}]^2 }$ $3 \cdot 10^{-2}$ 30	$\sqrt{ \text{Im}[(\delta_{12}^u)_{LR}]^2 }$ $4 \cdot 10^{-3}$ --	$\sqrt{ \text{Im}[(\delta_{12}^u)_{LL=RR}]^2 }$ $2 \cdot 10^{-3}$ 500

B_d MIXING



bound on δ ($\tilde{m} = 1$ TeV) bound on \tilde{m} (TeV) for $\delta_{LL,RR} = 1$	$\sqrt{ \text{Re} [(\delta_{13}^d)_{LL}]^2 }$ $9 \cdot 10^{-2}$ 10	$\sqrt{ \text{Re} [(\delta_{13}^d)_{LR}]^2 }$ $2 \cdot 10^{-2}$ --	$\sqrt{ \text{Re} [(\delta_{13}^d)_{LL=RR}]^2 }$ $8 \cdot 10^{-3}$ 125
bound on δ ($\tilde{m} = 1$ TeV) bound on \tilde{m} (TeV) for $\delta_{LL,RR} = 1$	$\sqrt{ \text{Im} [(\delta_{13}^d)_{LL}]^2 }$ $1 \cdot 10^{-1}$ 10	$\sqrt{ \text{Im} [(\delta_{13}^d)_{LR}]^2 }$ $2 \cdot 10^{-2}$ --	$\sqrt{ \text{Im} [(\delta_{13}^d)_{LL=RR}]^2 }$ $9 \cdot 10^{-3}$ 110

B_s MIXING



bound on δ ($\tilde{m} = 1$ TeV) bound on \tilde{m} (TeV) for $\delta_{LL,RR} = 1$	$\sqrt{ \text{Re}[(\delta_{23}^d)_{LL}]^2 }$ $6 \cdot 10^{-1}$ 1.7	$\sqrt{ \text{Re}[(\delta_{23}^d)_{LR}]^2 }$ $1 \cdot 10^{-1}$ --	$\sqrt{ \text{Re}[(\delta_{23}^d)_{LL=RR}]^2 }$ $5 \cdot 10^{-2}$ 20
bound on δ ($\tilde{m} = 1$ TeV) bound on \tilde{m} (TeV) for $\delta_{LL,RR} = 1$	$\sqrt{ \text{Im}[(\delta_{23}^d)_{LL}]^2 }$ $1 \cdot 10^{-1}$ 10	$\sqrt{ \text{Im}[(\delta_{23}^d)_{LR}]^2 }$ $2 \cdot 10^{-2}$ --	$\sqrt{ \text{Im}[(\delta_{23}^d)_{LL=RR}]^2 }$ $1 \cdot 10^{-2}$ 100

ANY SIGNS OF NP?

- CPV in SCS D decays: progress made in the understanding, but exp situation unclear
- $A_{\mu\mu}$ seems difficult to reconcile with $A_{SL}^{s,d}$
- $B \rightarrow D^{(*)} \tau \nu$ decays seem to systematically deviate from SM predictions
 - Deviation inconsistent with 2HDMII and simple MFV models @ large $\tan\beta$
 - $B \rightarrow \tau \nu$ does not display such large deviation

ANY SIGNS OF NP? II

- LHCb has recently made big progress in the study of $B \rightarrow K^* \mu \mu$ decays
- Factorization needed to compute observables
- Power corrections (charming penguins, etc) can spoil the accuracy of th predictions
- Go with the inclusive and/or carefully assess th uncertainties before claiming deviations from the SM

CONCLUSIONS

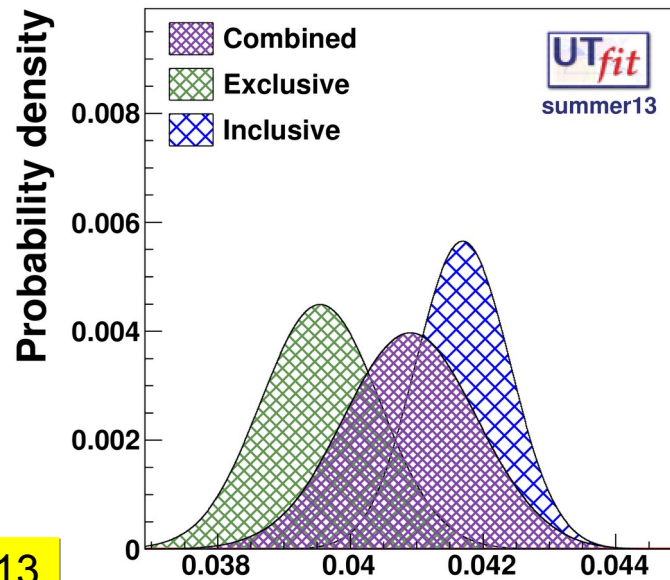
- The SM UTA has reached high precision and redundancy, allowing to test the SM and search for NP
- Overall picture consistent with the SM, with nonstandard CPV in $\Delta F=2$ possible at the few degrees level in all sectors
- Stringent bounds on the NP scale from $\Delta F=2$ processes

OUTLOOK

- Continue indirect searches for NP, particularly in the flavour sector:
 - flavour factories (b, τ -c, rare K decays)
 - LFV searches
- If I had the money, I would go for TLEP:
 - redo LEP in one minute, run as Z, H and t factory
- Indirectly probe scales > 100 TeV

BACKUP SLIDES

SEMILEPTONIC DECAYS



FLAG 2013

$$V_{cb} (excl) = (39.55 \pm .88) 10^{-3} |V_{cb}|$$

HFAG

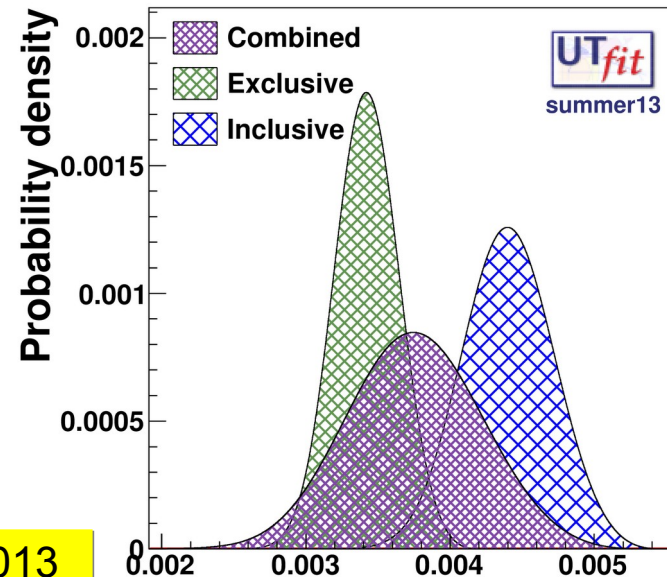
$$V_{cb} (incl) = (41.7 \pm 0.7) 10^{-3}$$

$\sim 1.8\sigma$ discrepancy

UTfit input value:
average à la PDG

$$V_{cb} = (40.9 \pm 1.0) 10^{-3}$$

uncertainty $\sim 2.4\%$ Strini



FLAG 2013

$$V_{ub} (excl) = (3.42 \pm 0.22) 10^{-3} |V_{ub}|$$

UTfit from HFAG

$$V_{ub} (incl) = (4.40 \pm 0.31) 10^{-3}$$

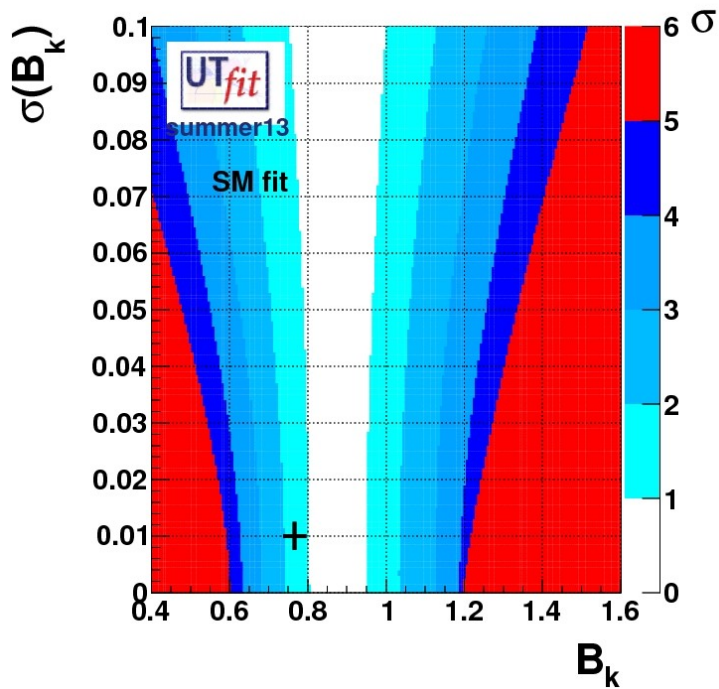
$\sim 2.6\sigma$ discrepancy

UTfit input value:
average à la PDG

$$V_{ub} = (3.75 \pm 0.46) 10^{-3}$$

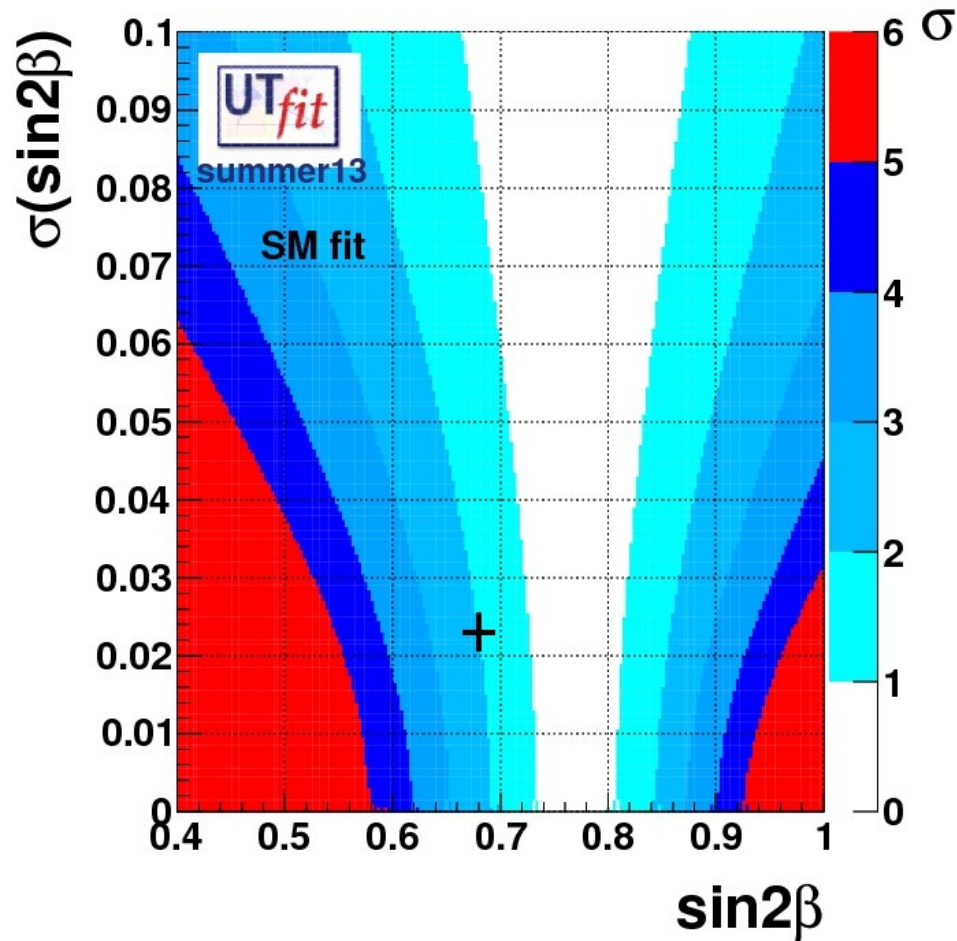
uncertainty $\sim 12\%$

CPV IN KAONS: ε_K



- Including $\text{Im}A_0$ contribution & LD à la Buras-Guadagnoli-Isidori
- Contribution of D=8 operators in the OPE under evaluation
- Implementation of NNLO in progress
- $B_k^{\text{input}} = 0.766 \pm 0.010$, $B_k^{\text{prediction}} = 0.873 \pm 0.073$, compatibility: 1.8σ
- Using NNLO by Brod&Gorbahn, $B_k^{\text{prediction}} = 0.91 \pm 0.10$, compat.: 1.4σ

CPV IN B_d : $\sin 2\beta$



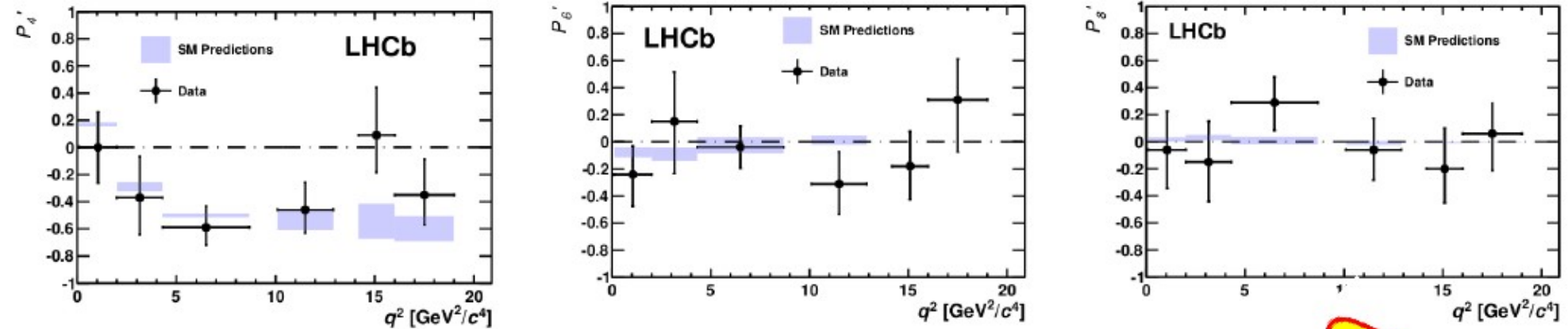
- Including theory error on the extraction of $\sin 2\beta$ from $B_d \rightarrow J/\psi K_S$
- $\sin 2\beta^{\text{exp}} = 0.680 \pm 0.023$
 $\sin 2\beta^{\text{prediction}} = 0.771 \pm 0.038$
 compatibility: 2.0σ
- Compatibility strongly depends on input for V_{ub} :
 $\sin 2\beta^{\text{excl}} = 0.745 \pm 0.031$
 compatibility: 1.5σ
 $\sin 2\beta^{\text{incl}} = 0.788 \pm 0.031$
 compatibility: 2.7σ

B_s MIXING & CPV

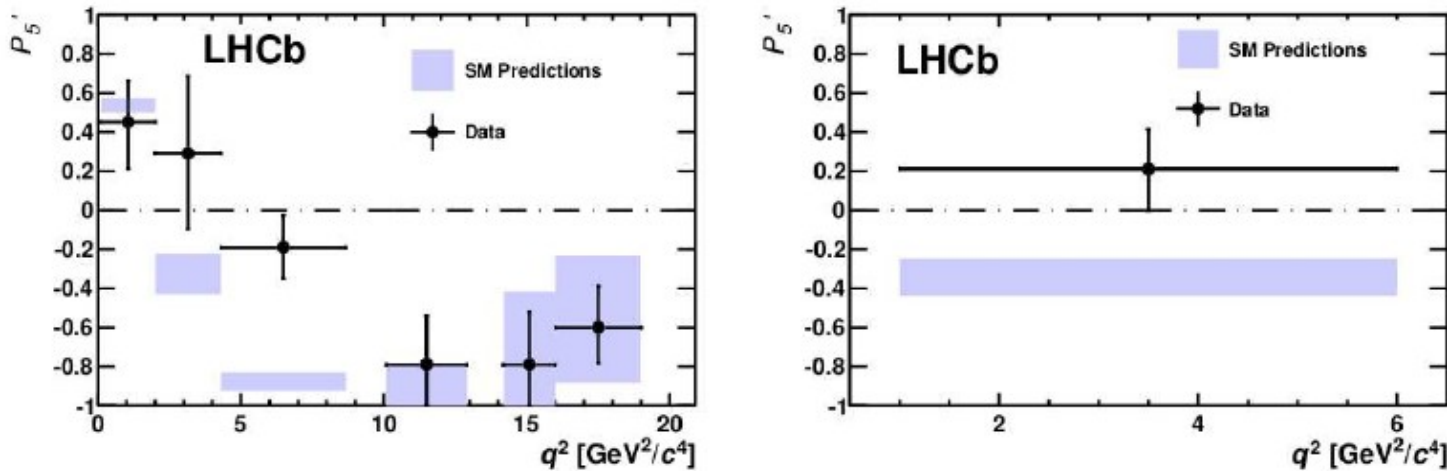
	Exp. Result	Prediction	Pull (σ)
$\Delta m_s [\text{ps}^{-1}]$	17.768 ± 0.024	16.7 ± 1.0	~ 1
$2\beta_s [^\circ]$	0.6 ± 4.0	1.05 ± 0.04	< 1
$\Delta\Gamma_s / \Gamma_s$	0.134 ± 0.025	0.162 ± 0.012	~ 1
$10^3 A_{SL}^s$	-4.8 ± 5.2	0.013 ± 0.002	< 1
$10^3 A_{\mu\mu}$	-7.9 ± 2.0	-0.14 ± 0.02	3.9

LHCb-PAPER-2013-037

Very good agreement in P'_4, P'_6, P'_8



some tension in P'_5 (3.7σ):

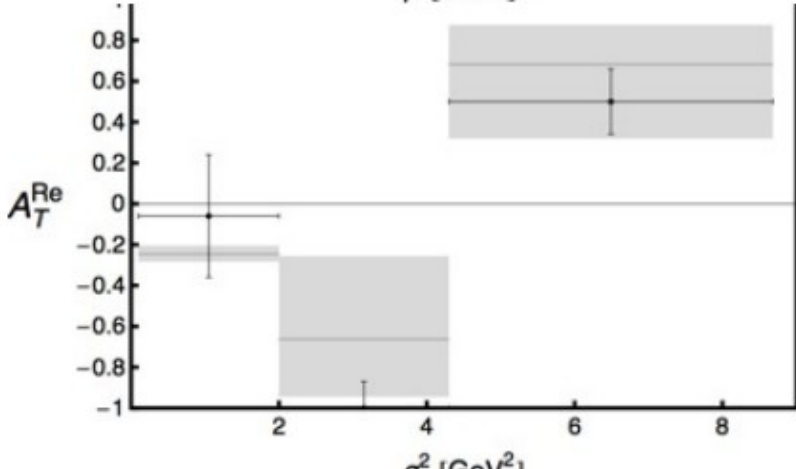
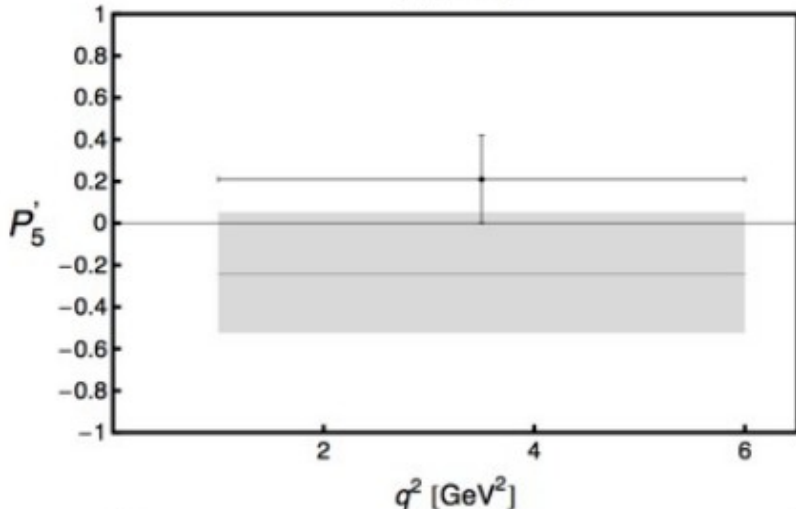
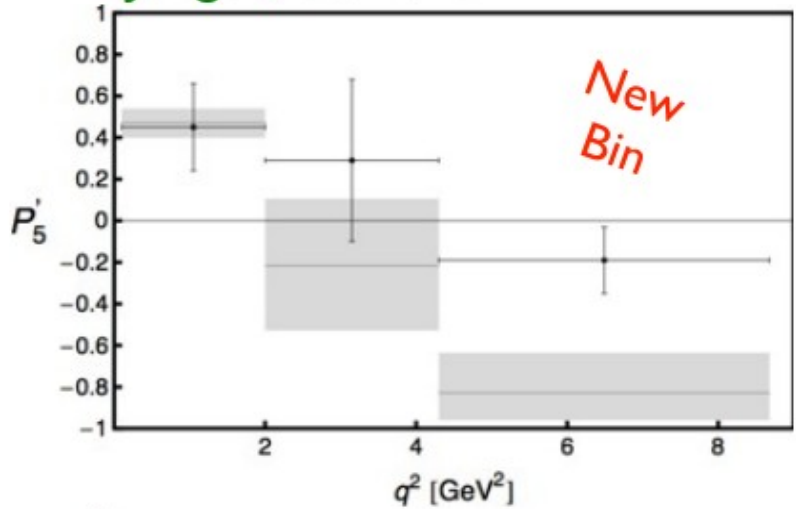


new @ EPS2013

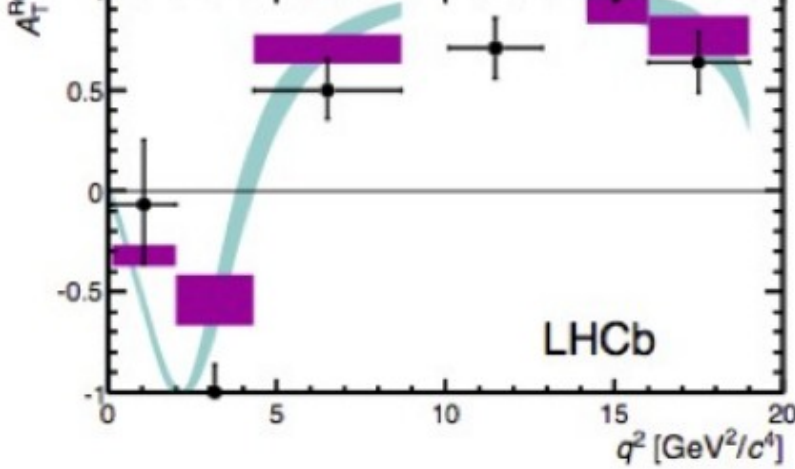
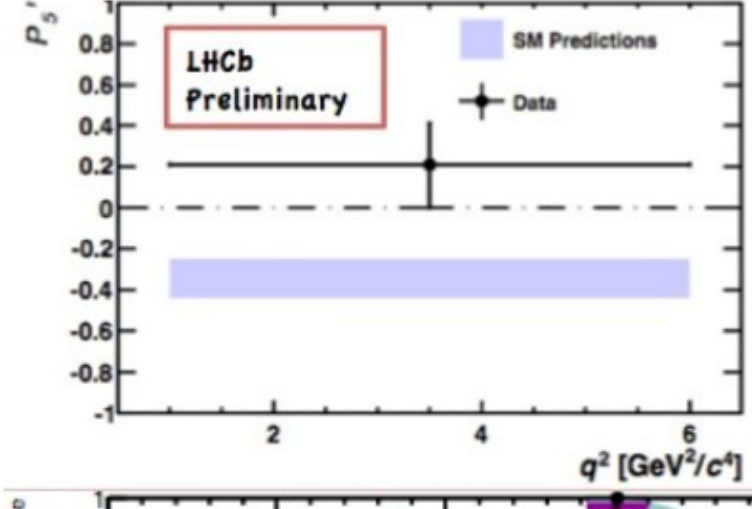
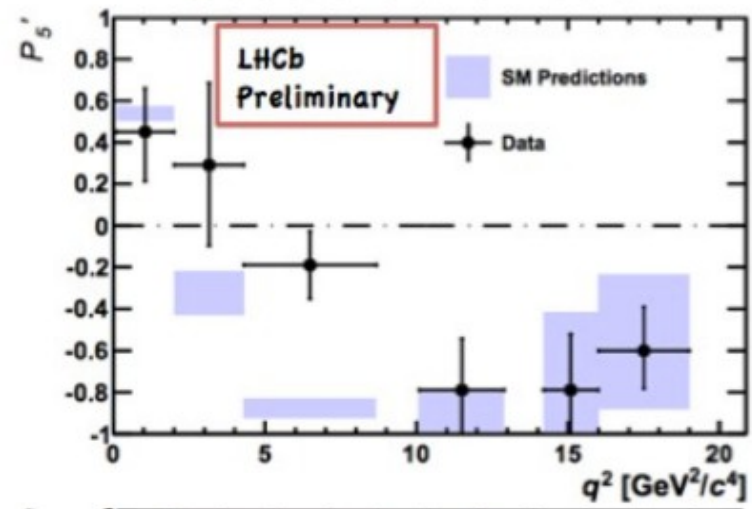
Discussion at EPS
 resulted in an article:
 Descotes, Matias, Virto
 arXiv:1307.5683

0.5% probability to see such a deviation with 24 independent measurements.

Jaeger, Camalich



Descotes-Genon et al



Less theoretical uncertainties for inclusive $B \rightarrow X_s ll$ analysis,
 statistical uncertainties comparable

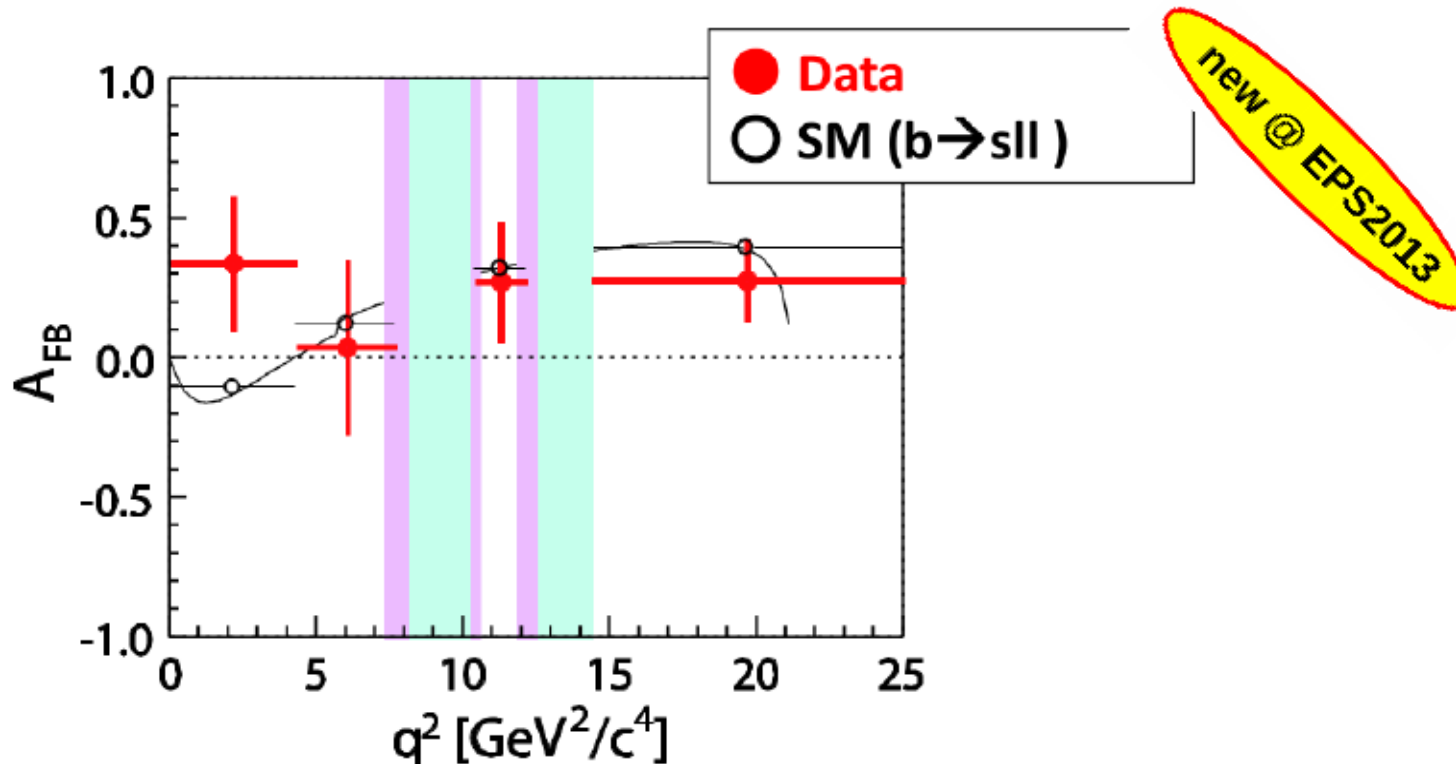
36 (18×2) modes studied

20 (10×2) modes used for final result

\equiv 50% of all X_s

$\sim 140 B \rightarrow X_s e^+ e^- +$

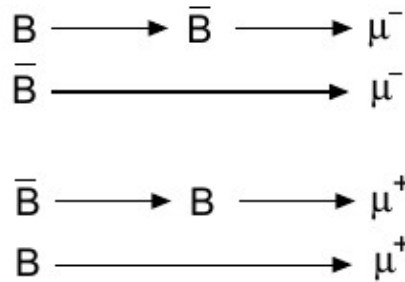
$\sim 160 B \rightarrow X_s \mu^+ \mu^-$ candidates





$$P(B_q \rightarrow \bar{B}_q) \neq P(\bar{B}_q \rightarrow B_q)$$

di-muon asymmetry ($B^0 + B_s$)



$$A = \frac{N(\mu^+\mu^+) - N(\mu^-\mu^-)}{N(\mu^+\mu^+) + N(\mu^-\mu^-)}$$

semileptonic (untagged) asymmetry:

$$a_{sl}^s \propto \frac{N(\mu^+ D_s^{(*)-}) - N(\mu^- D_s^{(*)+})}{N(\mu^+ D_s^{(*)-}) + N(\mu^- D_s^{(*)+})}$$

$$a_{sl}^d \propto \frac{N(\mu^+ D^{(*)-}) - N(\mu^- D^{(*)+})}{N(\mu^+ D^{(*)-}) + N(\mu^- D^{(*)+})}$$

assuming no production asymmetry and
no CP in semileptonic decays

PRD 86, 072009 (2012), PRL, 10, 011801 (2013),
PRD 84, 052007 (2011)

D0 only results:

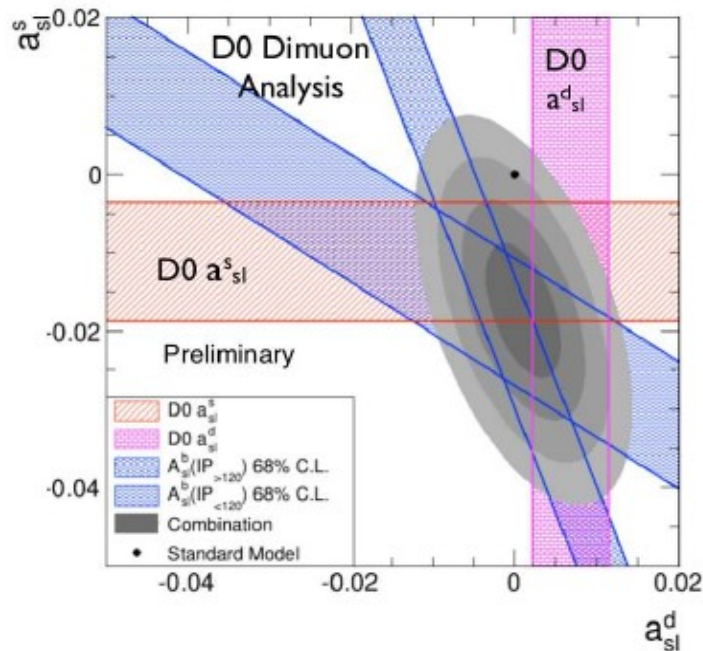
$$A_{CP} = (-0.276 \pm 0.067 \pm 0.063)\% (9.0 \text{ fb}^{-1})$$

3.9 $\sigma \equiv 0.33\%$ compatible with SM

ϕ_s, a_{sl} as well not compatible in NP models ...

expected sensitivity of 10.4 fb^{-1} analysis:

$$A_{CP} = (xxx \pm 0.064 \pm 0.055)\%$$



new @ EPS2013

