

# Exploring Universal Extra-Dimensions at the LHC

Alexander Belyaev

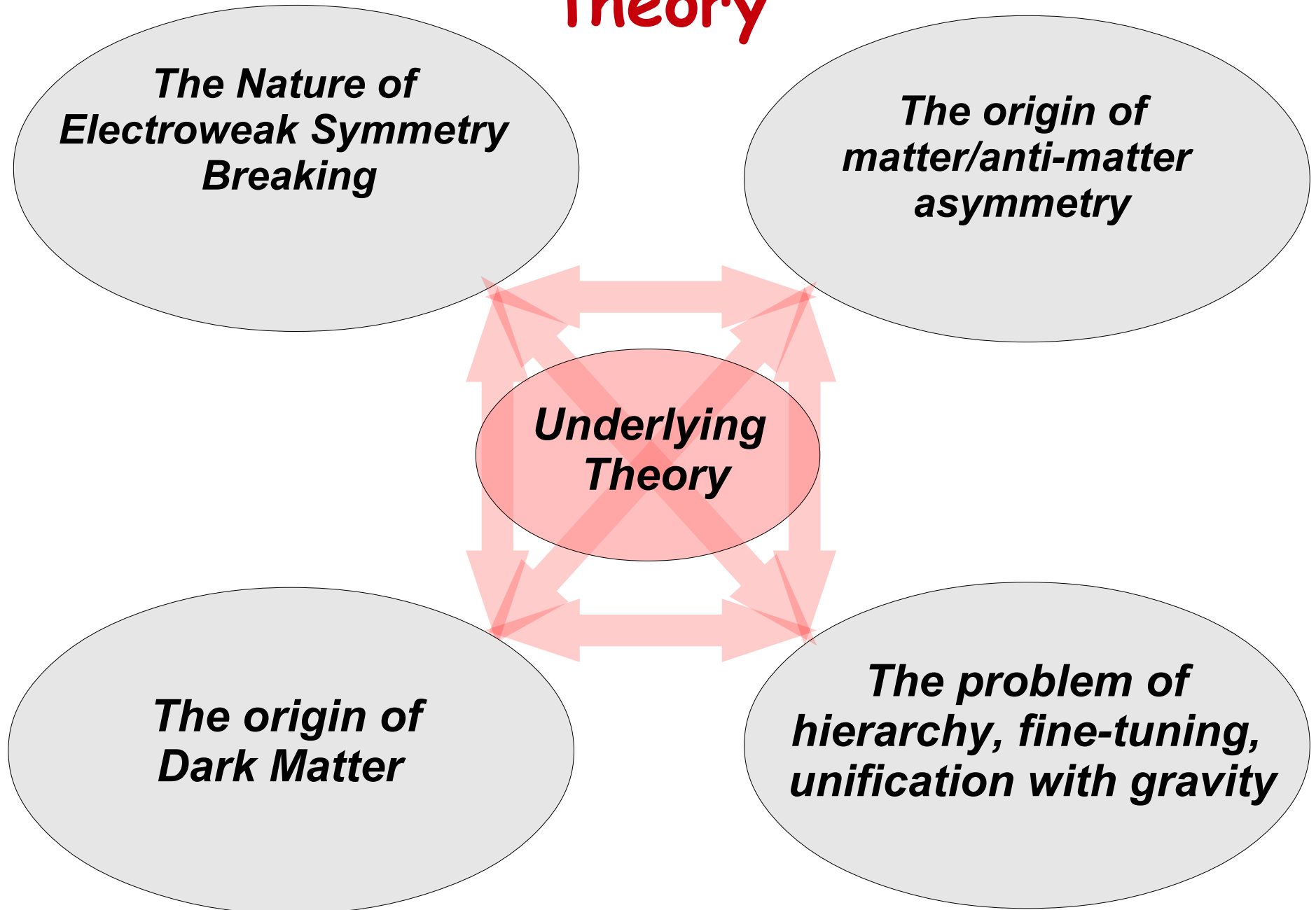


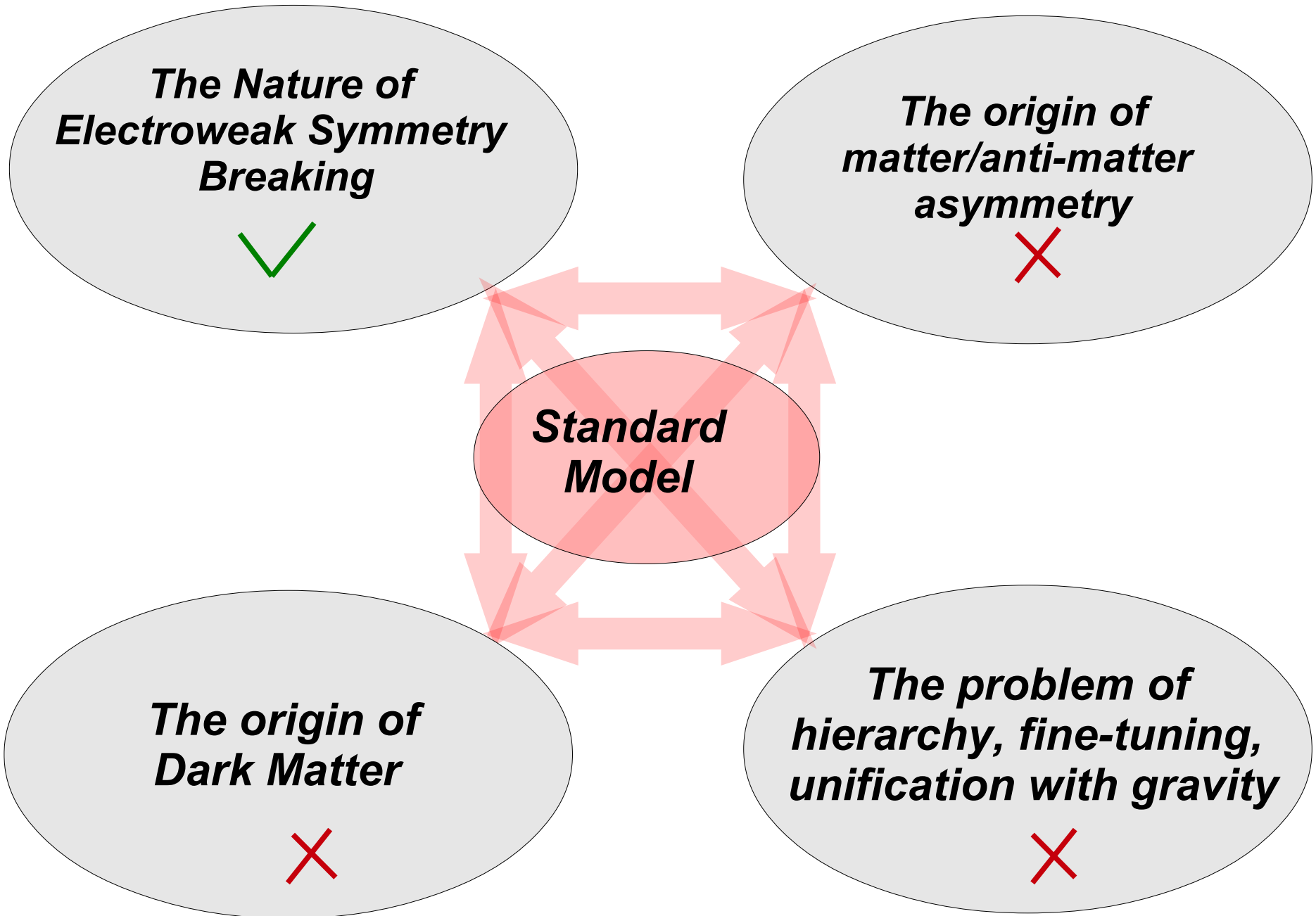
Southampton University & Rutherford Appleton Laboratory

SUSY 2013



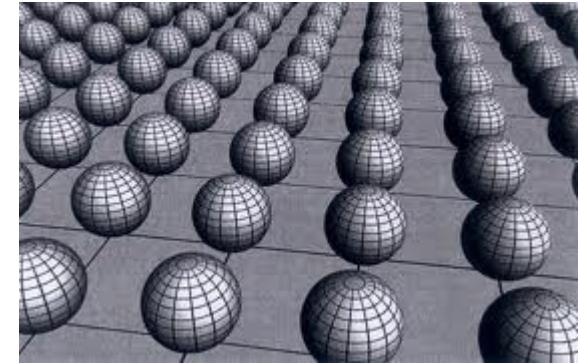
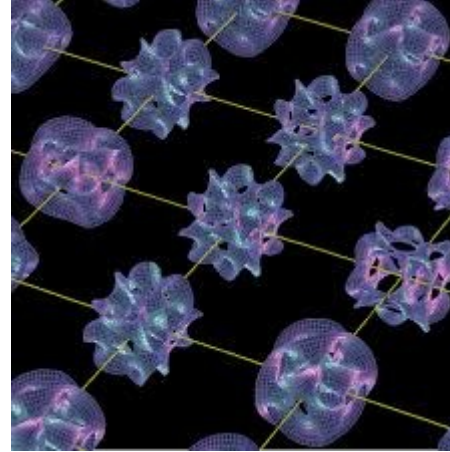
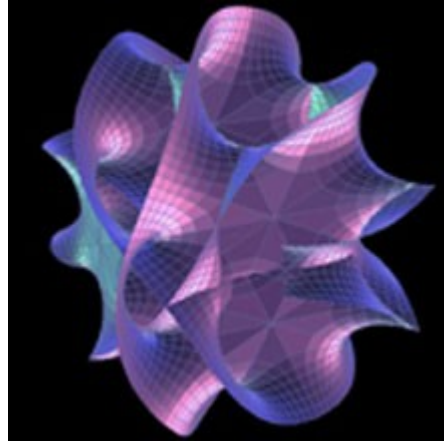
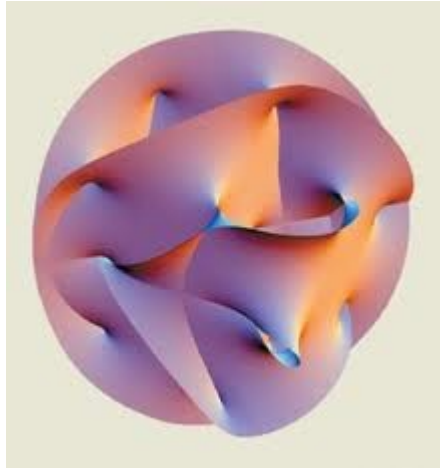
# Problems to be addressed by the underlying theory





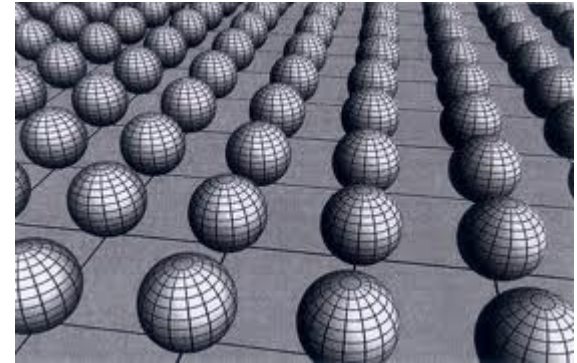
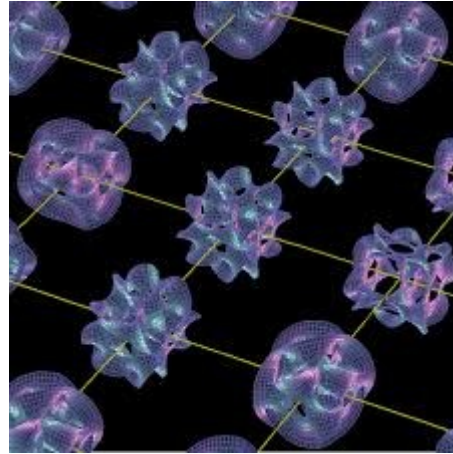
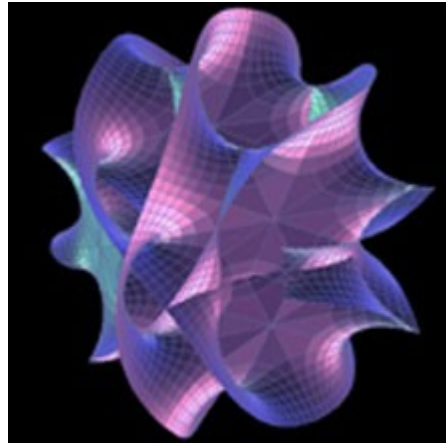
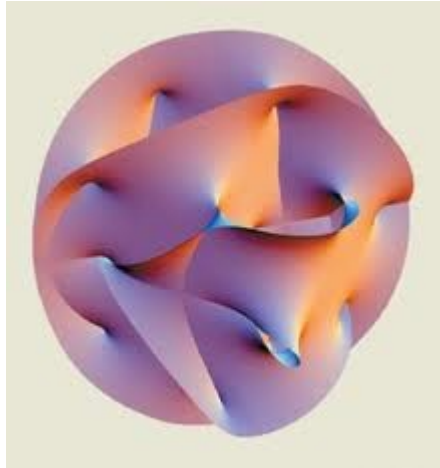
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## Extra Dimensions! (ED)



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## Motivations

- String theory, the best candidate to unify gravity & gauge interactions, **is only consistent in 10 D space-time**
- Extending symmetries:  
Internal symmetries - GUTs, technicolour...; Fermionic spacetime- SUSY  
Bosonic spacetime - Extra dimensions
- The presence of XD could have an impact on scales  $\ll M_{\text{planck}}$  (started with ADD)

**The question is what is the size and the shape of ED ?!**

# New perspectives of XD

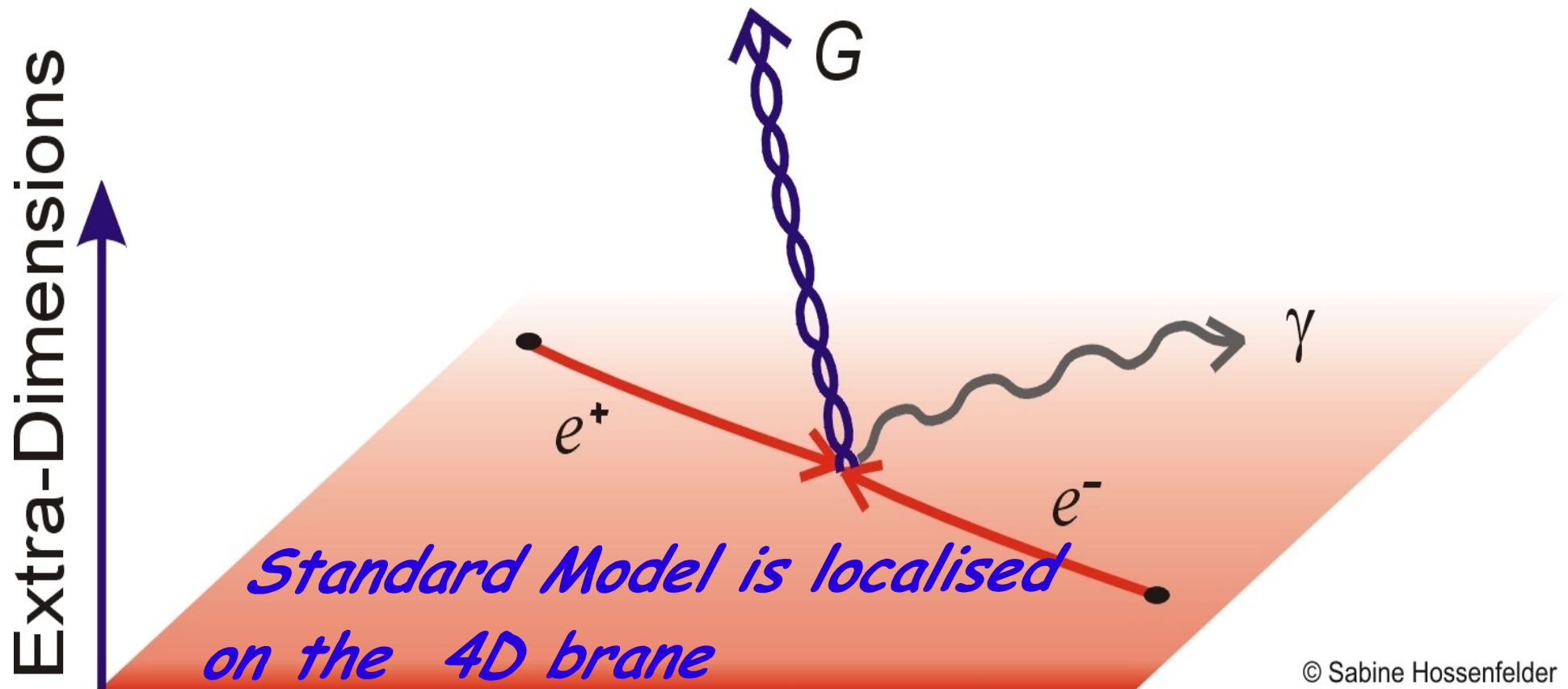
- The nature of electroweak symmetry breaking
- The origin of fermion mass hierarchies
- The supersymmetry breaking mechanism
- The description of strongly interacting sectors (provide a way to model them)
- .....

# Brief History

- 1914: Nordstrom tried to unify gravity and electromagnetism in 5D  
( $A_\mu \rightarrow A_M$ , where  $M = 0, 1, 2, 3, 4$ )
- 1920's: Kaluza and Klein tried using Einstein's equations in 5D ( $g^{\mu\nu} \rightarrow g^{MN} \sim g^{\mu\nu}, g^{\mu 4}, g^{44}$ )
- 1970's: Development of superstring theory and supergravity required extra dimensions
- 1998: Arkani-Hamed, Dimopoulos, and Dvali propose **Large Extra Dimensions (ADD)** as a solution to the Hierarchy /Fine tuning problem of the Standard Model

# The idea of ADD

- The Standard Model has been tested to  $r \sim 10^{-16}$  mm, Gravity has been tested to  $r \sim 1$  mm only





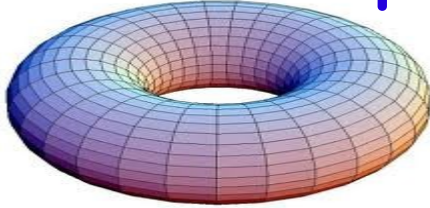
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- **4D  $\rightarrow$  (4 + n)D**

The effective D = 4 action is

$$\frac{M_f^{2+n}}{2} \int d^4x \int_0^{2\pi R} d^n Z \sqrt{G} R_{4+n} \longrightarrow \frac{1}{2} M_f^{2+n} V_n \int d^4x \sqrt{g} R$$

In case of toroidal compactification of equal radii, R

$$V_n = (2\pi R)^n$$

$$M_P^2 = M_f^{2+n} V_n$$

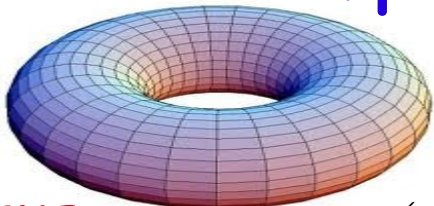
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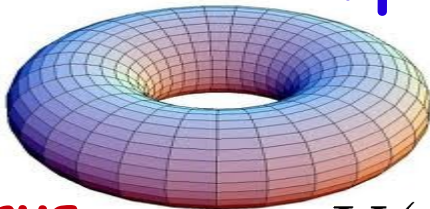
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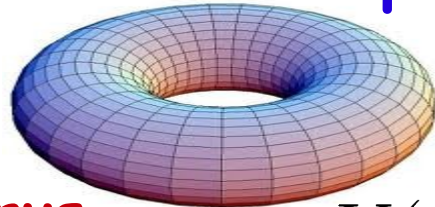
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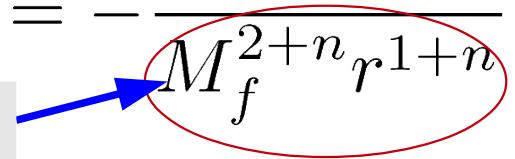
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Fundamental quantum gravity scale



# The current status of ADD

So,  $M_P^2 = M_f^{n+2} (2\pi R)^n$  and respectively,

$$R = \frac{1}{2\pi} \frac{1}{M_f} \left( \frac{M_P}{M_f} \right)^{\frac{2}{n}} [\text{GeV}^{-1}] \times 0.197 [\text{GeV m}]$$

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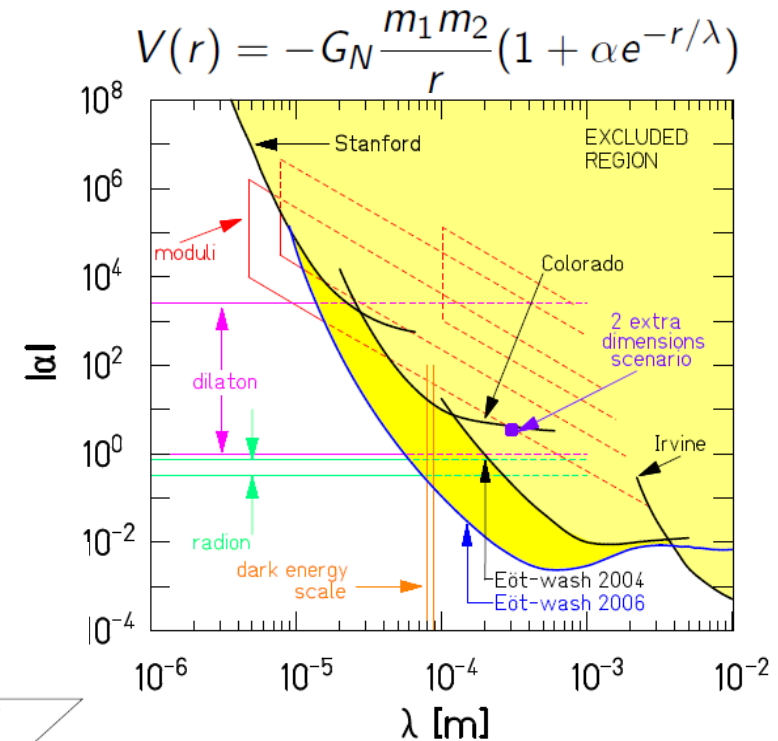
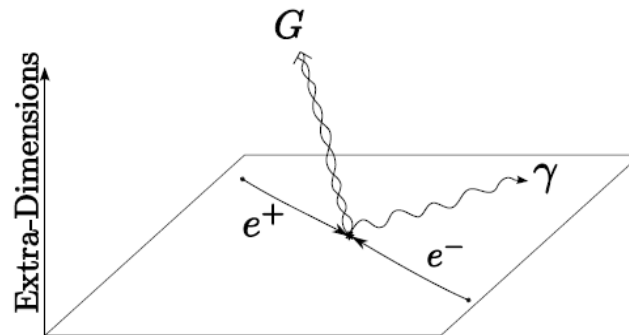
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How big are these dimensions are?  
Let us assume  $M_f \sim 1 \text{ TeV}$ , then

$$R \sim \begin{cases} 10^{15} \text{ mm} & n = 1 & \times \text{ Already} \\ 1 \text{ mm} & n = 2 & \times \text{ ruled out} \\ 10^{-6} \text{ mm} & n = 3 \\ \vdots \end{cases}$$

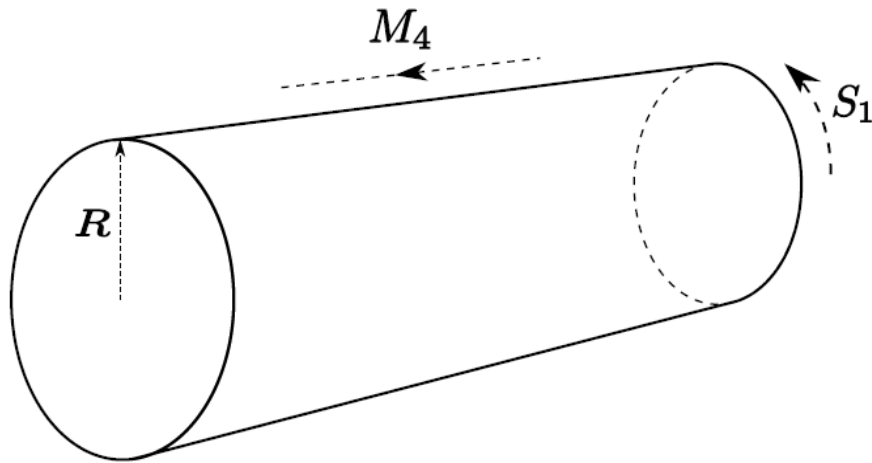
Collider signature:

$$pp \rightarrow \text{jet} + \cancel{E}_T$$



The current bound is  $R < 37 \mu\text{m}$   
For  $n = 2$  this means that  
 $M > 1.4 \text{ TeV}$

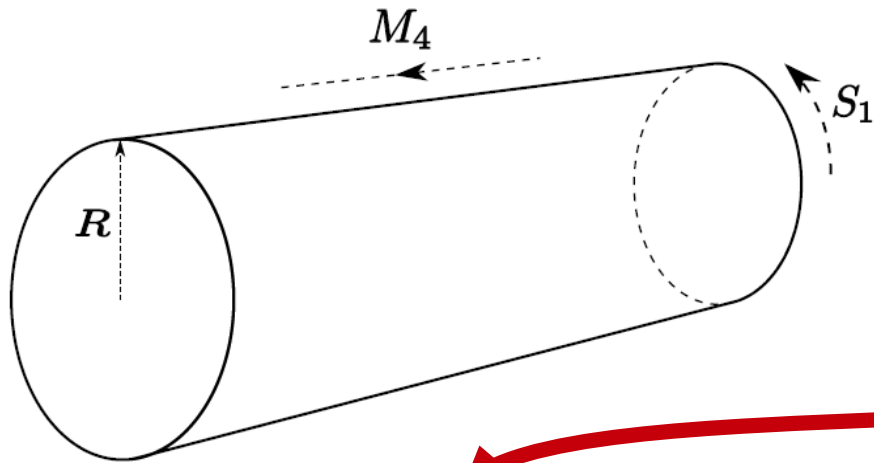
# KK-towers from XD



$$\Phi(x_\mu, Z) = \Phi(x_\mu, Z + 2\pi R)$$
$$\mu = 0, 1, 2, 3$$

Periodicity in  $Z$

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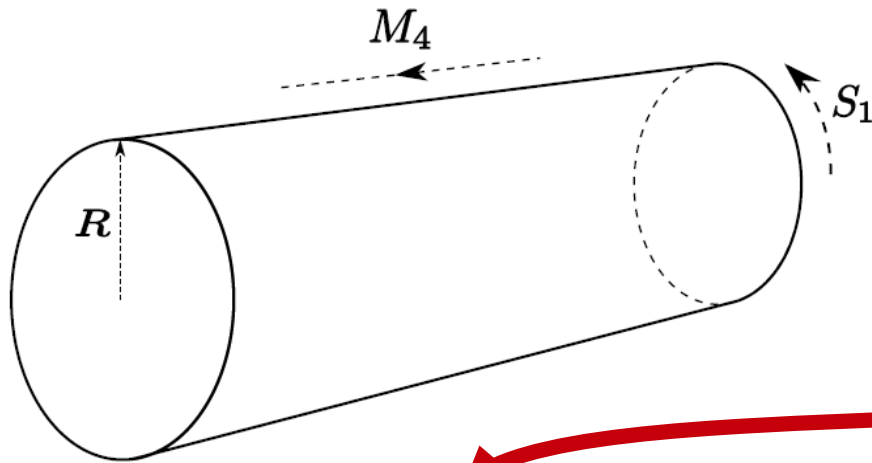
Periodicity in  $Z$

Fourier series

$$\Phi(x_\mu, Z) = \sum_{k=0, \pm 1, \dots} \phi_k(x_\mu) e^{ikZ/R}$$



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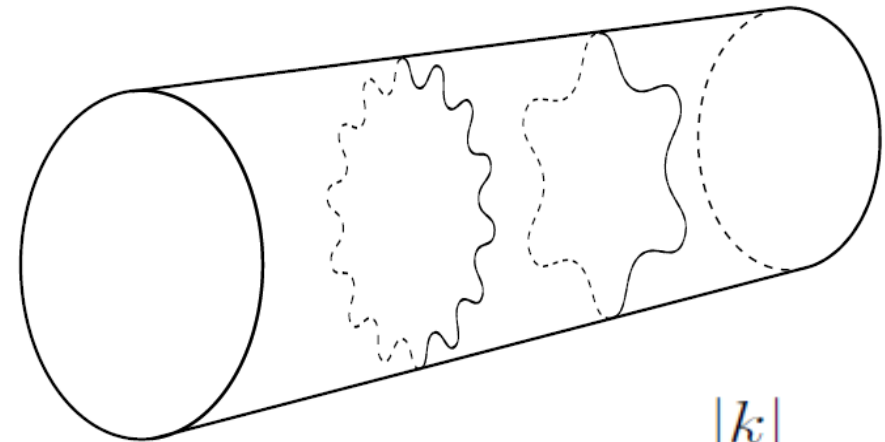
Fourier series

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The non-zero modes in the KK decomposition

$$\square_5 \Phi(x_\mu, Z) \equiv \left( \partial_\mu^2 - \frac{\partial^2}{\partial Z^2} \right) \Phi(x_\mu, Z) = 0$$

$$\left( \square_4 + \frac{k^2}{R^2} \right) \phi_k(x_\mu) \equiv \left( \partial_\mu^2 + \frac{k^2}{R^2} \right) \phi_k(x_\mu) = 0$$



$$m_k = \frac{|k|}{R}$$

# From Brane - to Bulk: Universal Extra Dimensions (UED)

[Appelquist, Cheng, Dobrescu '01]

- all fields propagate in the extra dimensions, so  $1/R > 1 \text{ TeV}$  to obey experimental data
- for  $D=5$  (minimal UED = MUED) we immediately find that  $M_f = 10^{15} \text{ GeV}$  for  $1/R = 1 \text{ TeV}$
- hierarchy problem is not addressed but MUED has interesting features ...

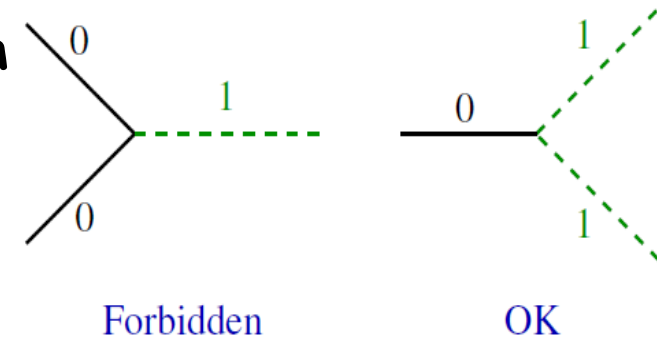
# Minimal Universal Extra Dimensions compactifying on the circle

$$\phi(x, y) = \frac{1}{\sqrt{2\pi R}} \phi_0(x) + \sqrt{\frac{\pi}{R}} \sum_{n=1}^{\infty} \left[ \phi_n^+(x) \cos \frac{ny}{R} + \phi_n^-(x) \sin \frac{ny}{R} \right]$$

$$S = \int d^4x \int_0^{2\pi R} dy \underbrace{\frac{1}{2} \left[ \partial_M \phi \partial^M \phi - m^2 \phi(x, y)^2 \right]}_{\mathcal{L}_5}$$

$$\mathcal{L}_4 = \frac{1}{2} \left[ \partial_\mu \phi_0 \partial^\mu \phi_0 - m^2 \phi_0^2 \right] + \sum_{n=1}^{\infty} \frac{1}{2} \left[ \partial_\mu \phi_n^\pm \partial^\mu \phi_n^\pm - \overbrace{\left( m^2 + \frac{n^2}{R^2} \right)}^{m_n^2} \phi_n^\pm{}^2 \right]$$

- ▶ all fields propagate in the bulk - 5D momentum conservation
- ▶ This leads to the KK-number conservation at this point:  $\pm n_1 \pm n_2 = \pm n_3$



# Universal Extra Dimensions (UED)

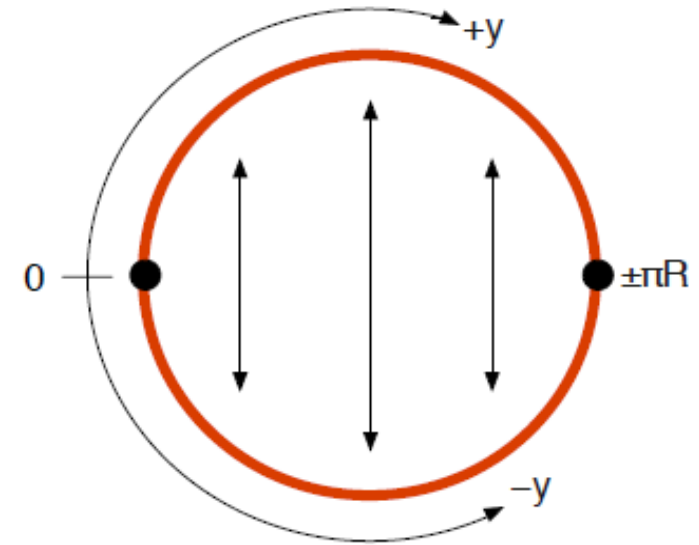
## compactifying on the orbifold

- Choose action of  $Z_2$  symmetry on Dirac Fermions to project out  $\frac{1}{2}$  of them and arranges chirality:

$$\psi_{\pm}(y) \mapsto \psi'_{\pm}(-y) = \pm \gamma^5 \psi_{\pm}(y)$$

If we identify  $y \sim -y$  then we require  $\psi'_{\pm}(y) = \psi_{\pm}(y)$ , so

$$\psi_{\pm}(y) = \psi_0^{R,L} + \sum_n \left( \psi_n^{R,L} \cos_n + \psi_n^{L,R} \sin_n \right)$$



# Universal Extra Dimensions (UED)

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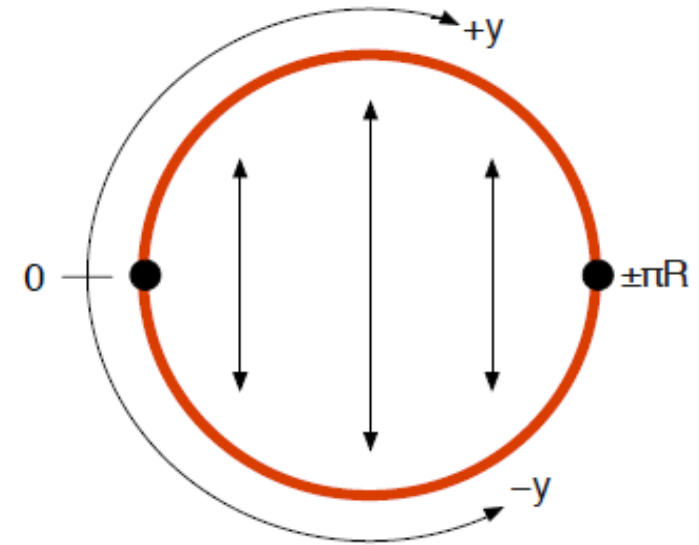
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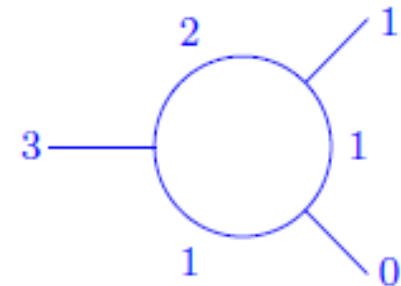
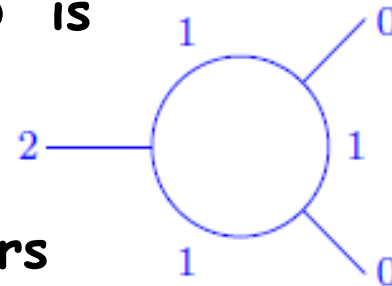
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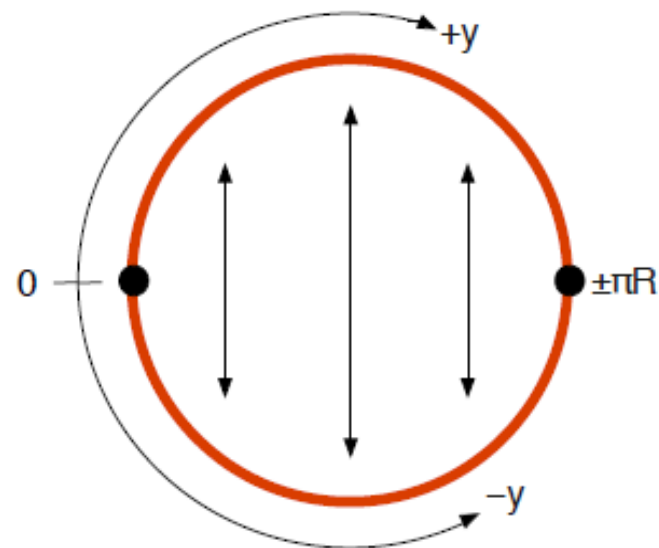
- Translational invariance along the 5<sup>th</sup> D is broken, but **KK parity is preserved!**
- KK number  $n$  broken down to the KK parity,  $(-1)^n$ :  
KK excitations must be produced in pairs



**These vertices are allowed and can be generated at loop-level**

- LKP is stable DM candidate!**

# Minimal Universal Extra Dimensions



$$\text{SU}(3) \times \text{SU}(2) \times \text{U}(1)$$

$$\begin{aligned} \psi^{R,L}(x) &\rightarrow \psi^\pm(x, y) \\ A_\mu(x) &\rightarrow A_M(x, y) \\ \phi(x) &\rightarrow \phi(x, y) \end{aligned}$$

$S^1/\mathbb{Z}_2$  orbifold

SM Gauge group

SM field content

**brane localised terms are zero at the cutoff scale**

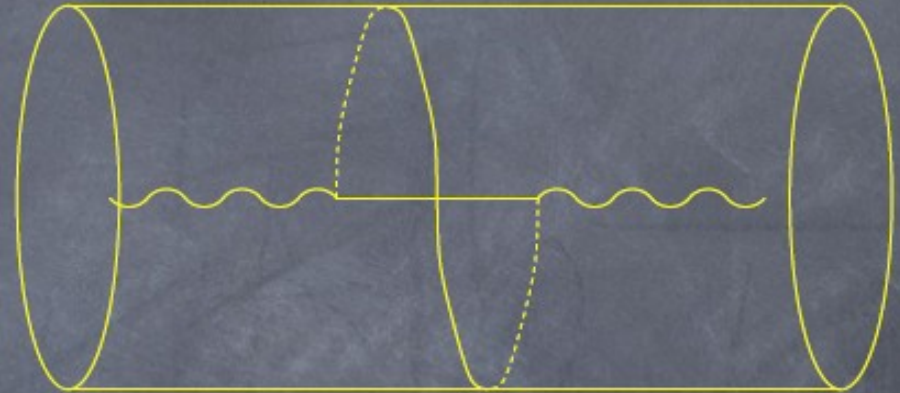




Loop corrections come from 5D Lorentz violating processes. They appear as tree-level mass corrections in 4D.

- Bulk corrections :  
the gauge bosons receive an extra mass which is KK-independent

$$\delta m_n^2 = \alpha_i \frac{1}{R^2}$$



- Brane corrections :  $p_5$  is not conserved, all particles receive a mass correction

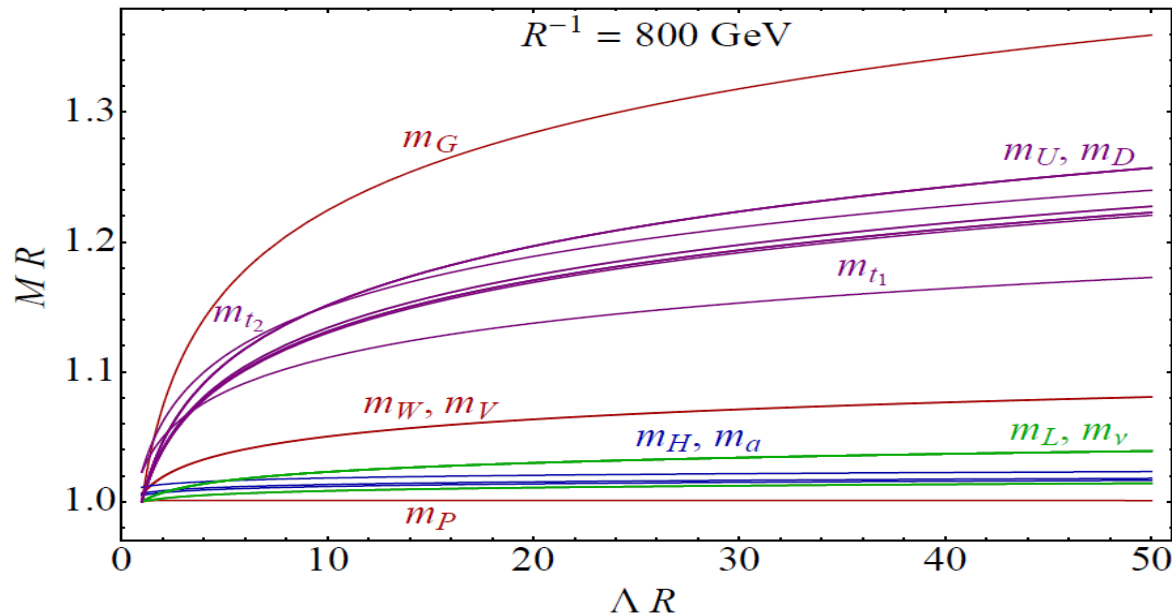
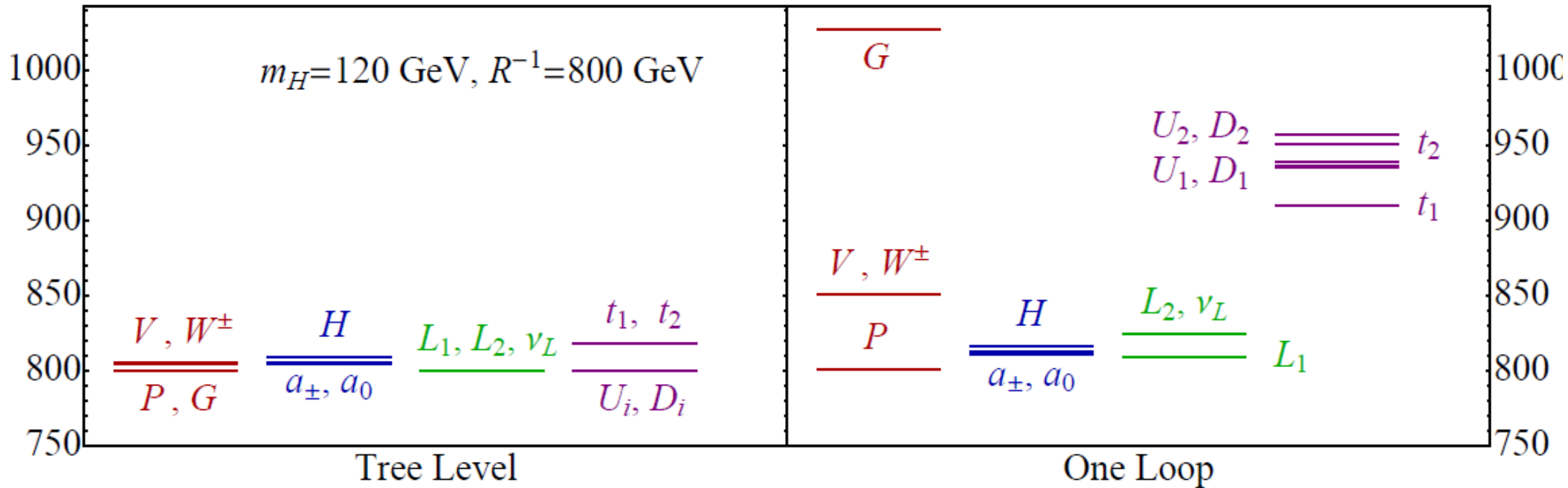
$$\delta m_n = \beta_i \frac{n}{R} \ln \frac{\Lambda^2}{\mu^2} \quad \text{for fermions}$$

$$\delta m_n^2 = \beta_i \frac{n^2}{R^2} \ln \frac{\Lambda^2}{\mu^2} \quad \text{for bosons}$$

**Problem** : Electroweak symmetry breaking was not included



# MUED spectrum at 1loop vs tree-level



# Our setup

We model the corrections to the self-energy by wave-function normalisations. We replace a 5D-Lorentz conserving action

$$-\frac{1}{4}F_{MN}^a F^{aMN} + |D_M \Phi|^2$$

by the following

$$-\frac{1}{4}F^{a\mu\nu} F_{\mu\nu}^a + \frac{1}{2}Z_v F_{\mu 5}^a F^{a\mu}_5 + |D_\mu \Phi|^2 - Z_\Phi |D_5 \Phi|^2$$

which is gauge invariant but not Lorentz covariant.

In this way, the fields receive a KK mass

$$m_n = Z \frac{n}{R} \text{ for fermions, } m_n^2 = Z \frac{n^2}{R^2} \text{ for bosons}$$

We are free to match our normalisations with the previous results

$$Z_i = 1 + \beta_i \ln \frac{\Lambda^2}{\mu^2}$$

# Model implementation

- In LanHEP :

Semenov

LanHEP is a package that generates the Feynman rules out of a Lagrangian.

We have implemented MUED@1L in Feynman and unitary gauges. We discard the bulk corrections.

- In CalcHEP/CompHEP :

Pukhov, AB,  
Christensen

CalcHEP calculates cross-sections out of Feynman rules of a theory. The vertices generated by LanHEP are included into CalcHEP. We have taken particular care of the splitting of 4-gluon vertices.

Model is available at High Energy Physcs Model Database (HEPMDB)  
<http://hepmdb.soton.ac.uk/hepmdb:1212.0121>

# Model Validation

Sample of processes with two-gauge bosons for cross-section comparison (in pb) between previous implementation by Datta, Kong, Matchev (DKM) and our implementation (BBMP) [arXiv:1212.4858](https://arxiv.org/abs/1212.4858)

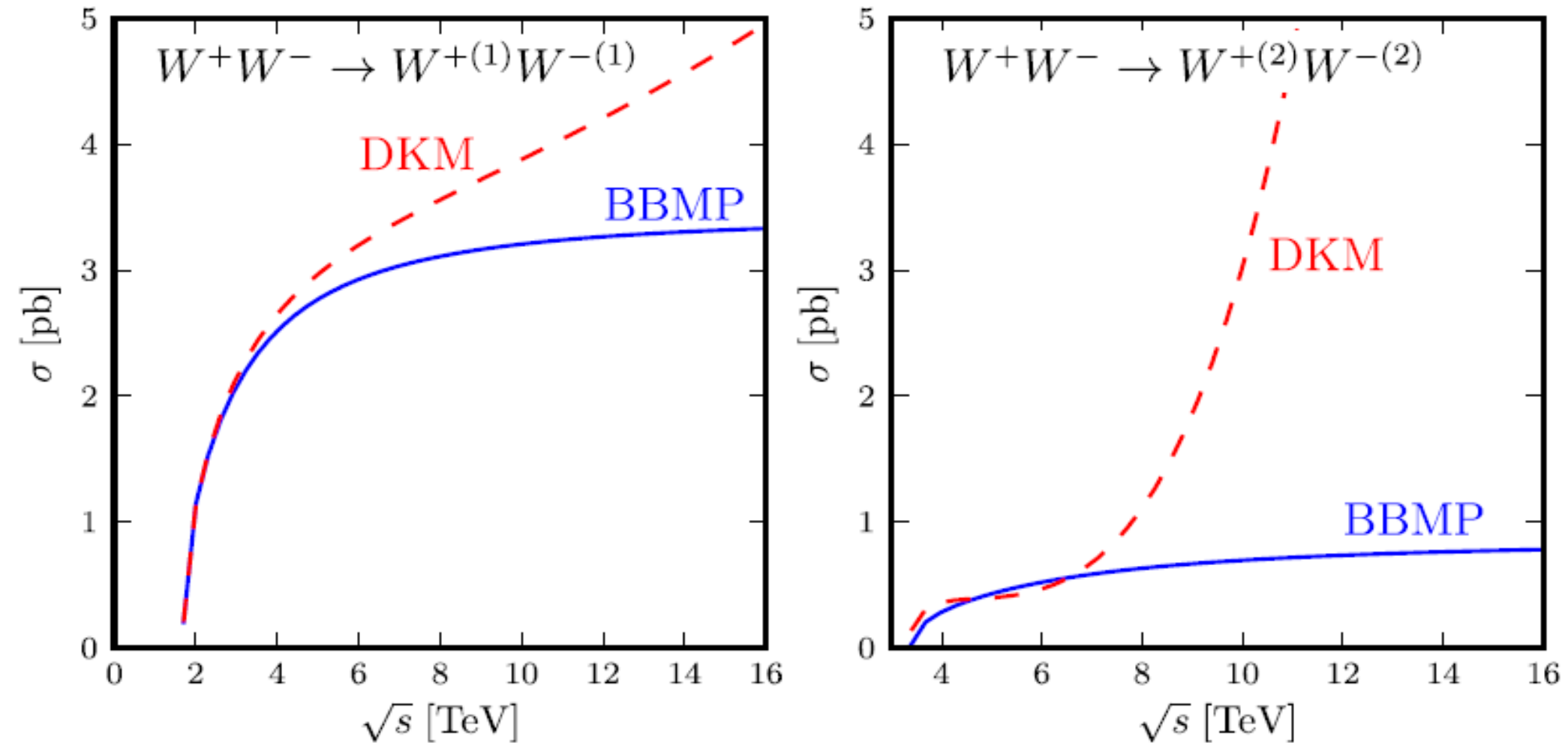
	Process	DKM $\sigma$ [pb]	BBMP $\sigma$ [pb]
1	$G^{(1)} G^{(1)} \rightarrow G G$	$3.952 \times 10^1$	$3.952 \times 10^1$
2	$G^{(1)} G \rightarrow G^{(1)} G$	$7.600 \times 10^3$	$7.600 \times 10^3$
* 3	$G^{(1)} G^{(1)} \rightarrow G^{(1)} G^{(1)}$	$8.619 \times 10^3$	$8.600 \times 10^3$
* 4	$G^{(1)} Z^{(1)} \rightarrow c \bar{c}$	$2.132 \times 10^{-1}$	$2.037 \times 10^{-1}$
* 5	$G^{(1)} \gamma^{(1)} \rightarrow b \bar{b}$	$3.651 \times 10^{-2}$	$3.249 \times 10^{-2}$
* 6	$\gamma^{(1)} \gamma^{(1)} \rightarrow t \bar{t}$	$2.641 \times 10^{-2}$	$2.758 \times 10^{-2}$
* 7	$Z^{(1)} Z^{(1)} \rightarrow d \bar{d}$	$9.098 \times 10^{-2}$	$9.165 \times 10^{-2}$
* 8	$Z^{(1)} Z^{(1)} \rightarrow W^+ W^-$	$9.293 \times 10^0$	$9.288 \times 10^0$
* 9	$W^{+(1)} W^{-(1)} \rightarrow Z Z$	$2.744 \times 10^0$	$2.761 \times 10^0$
10	$W^{+(1)} W^{-(1)} \rightarrow Z \gamma$	$1.653 \times 10^0$	$1.653 \times 10^0$
*11	$W^{+(1)} W^{-(1)} \rightarrow W^+ W^-$	$3.152 \times 10^0$	$3.081 \times 10^0$

$$\sqrt{s} = 2 \text{ TeV}$$

$$P_T > 100 \text{ GeV}$$

**KK up to n=2: if KK numbers of the external particles is 5 or less [ $< 2 \cdot (n+1)$  in general] gauge invariance is ensured**

# Model Validation



Proper implementation of the Higgs sector lead to the correct High Energy asymptotic which respects Unitarity

# EW precision constraints

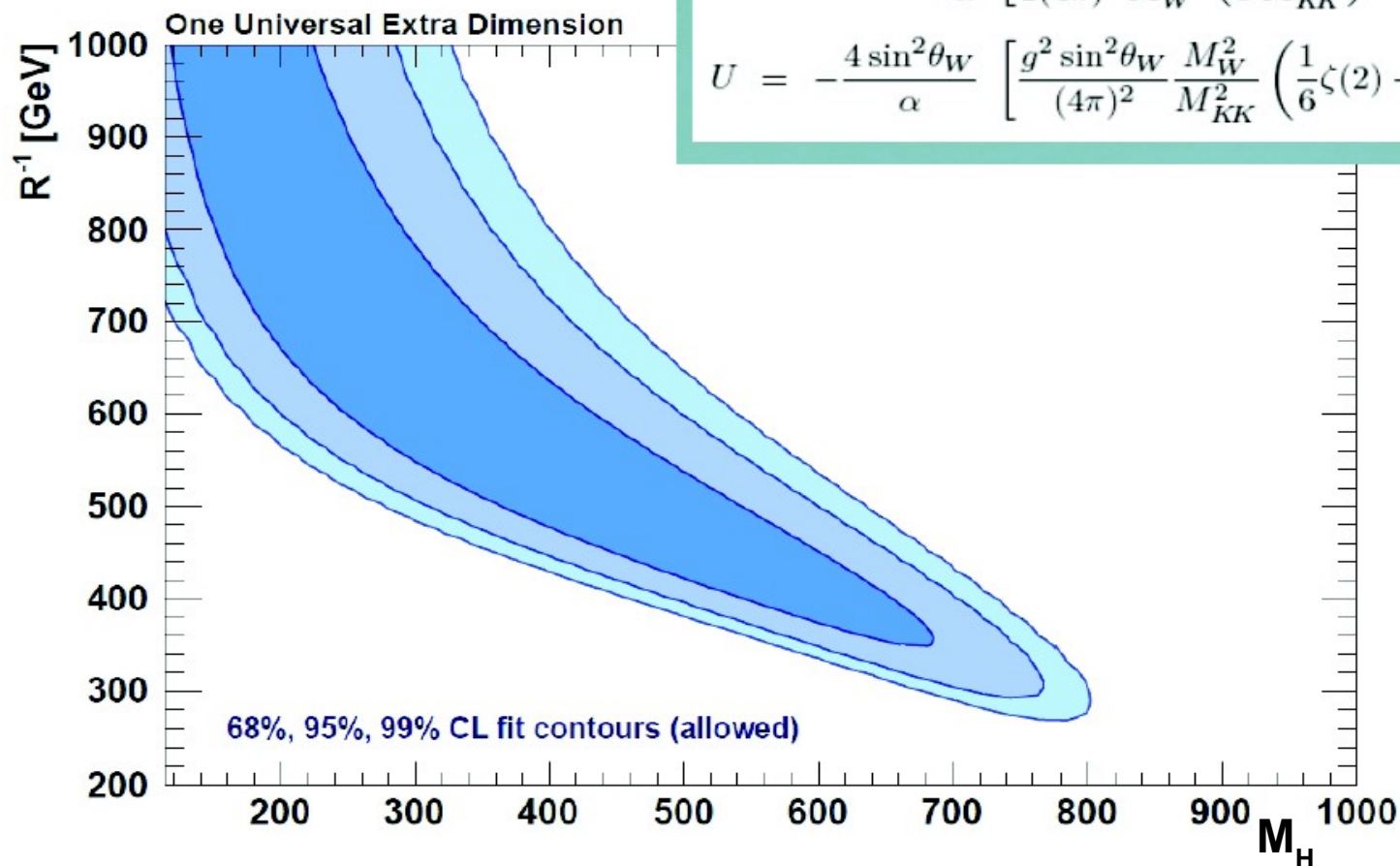
The tower of KK particles modify the gauge bosons self-energies, contributing to the S, T, and U electroweak parameters:

T. Appelquist H.-U. Yee 2001  
I. Gogoladze and C. Macesanu, 2006

$$S = \frac{4 \sin^2 \theta_W}{\alpha} \left[ \frac{3g^2}{4(4\pi)^2} \left( \frac{2}{9} \frac{m_t^2}{M_{KK}^2} \right) \zeta(2) + \frac{g^2}{4(4\pi)^2} \left( \frac{1}{6} \frac{M_H^2}{M_{KK}^2} \right) \zeta(2) \right],$$

$$T = \frac{1}{\alpha} \left[ \frac{3g^2}{2(4\pi)^2} \frac{m_t^2}{M_W^2} \left( \frac{2}{3} \frac{m_t^2}{M_{KK}^2} \right) \zeta(2) + \frac{g^2 \sin^2 \theta_W}{(4\pi)^2 \cos^2 \theta_W} \left( -\frac{5}{12} \frac{M_H^2}{M_{KK}^2} \right) \zeta(2) \right],$$

$$U = -\frac{4 \sin^2 \theta_W}{\alpha} \left[ \frac{g^2 \sin^2 \theta_W}{(4\pi)^2} \frac{M_W^2}{M_{KK}^2} \left( \frac{1}{6} \zeta(2) - \frac{1}{15} \frac{M_H^2}{M_{KK}^2} \zeta(4) \right) \right],$$



**G** **fitter**

arXiv: 1107.0975

# FCNC and DM constraints

## FCNC

K. Agashe, N.G. Deshpande, G.-H. Wu  
L. A. J. Buras, A. Poschenrieder, M. Spranger, A. Weiler

KK modes will give contributions to FCNC processes . From  $b \rightarrow s\gamma$

$$1/R > 600 \text{ GeV}$$

## Cosmology (DM)

Belanger, Kakizaki, Pukhov

The evaluation of the LKP relic abundance depends on the spectrum details and on the number of KK levels included in the calculation (eg level 2 resonances, level 2 particles in the final state, etc) Electroweak symmetry breaking effects are also important.

*Matsumoto, Senami '05; Kong, Matchev '05  
Brunel, Kribs '05; Belanger, Kakizaki, Pukhov '10*

.....

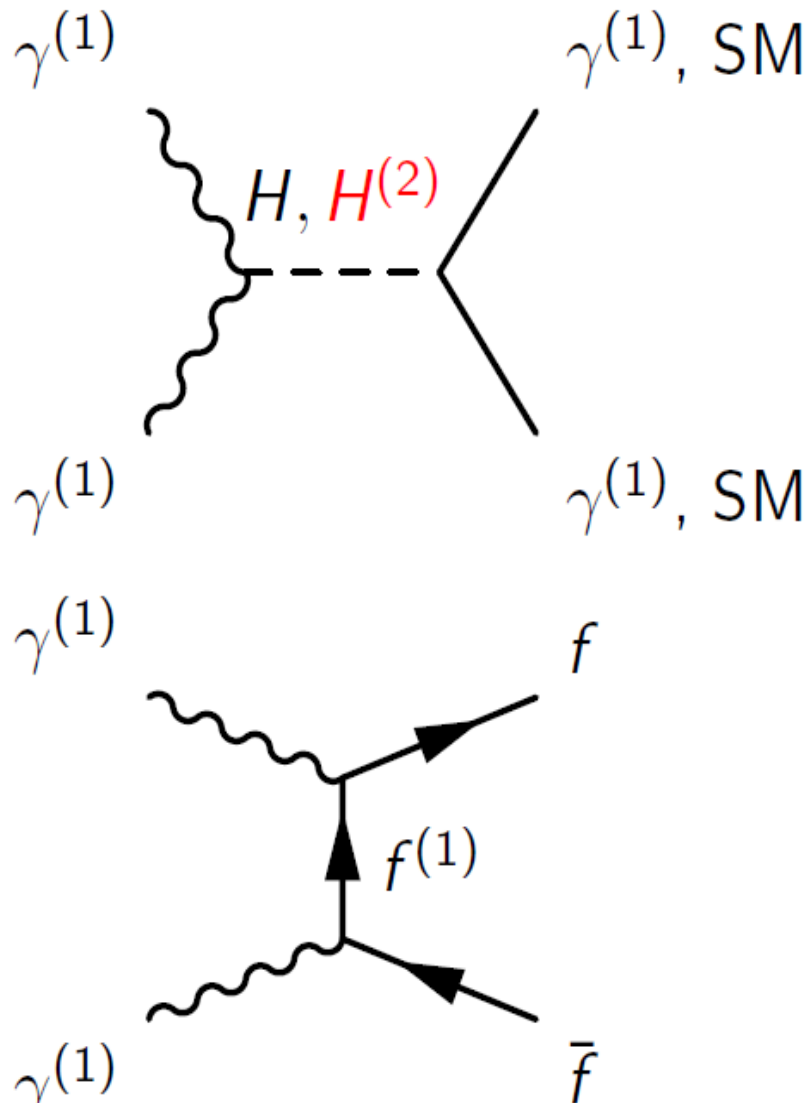
WMAP imposes a bound from above to DM scale: if DM were heavier it would lead to the Universe having a measurable positive curvature

$$1/R < 1.6 \text{ TeV}$$

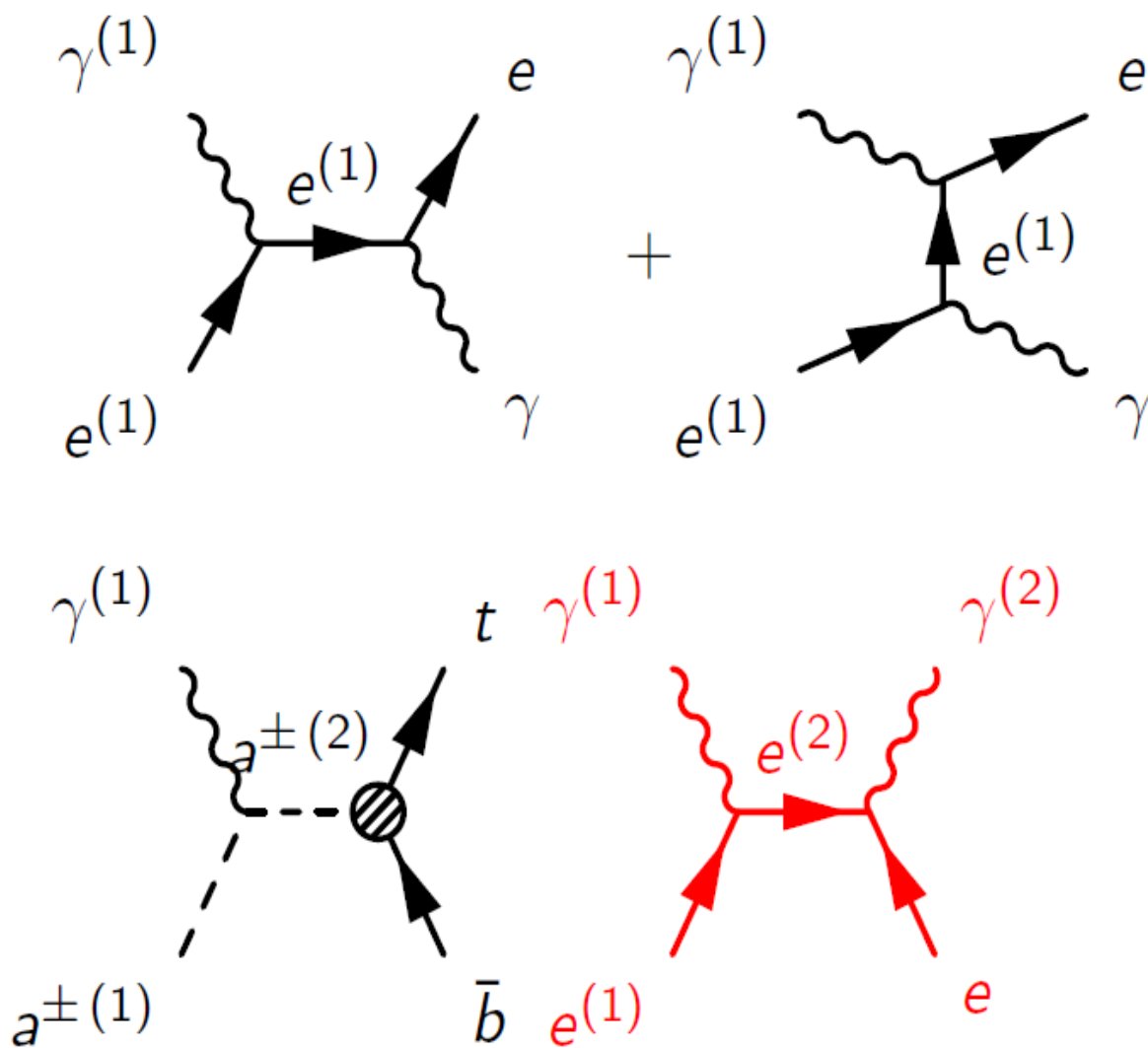
# The role of the 2<sup>nd</sup> level of KK excitation

Processes important for calculating DM relic abundance...

## Self-annihilation

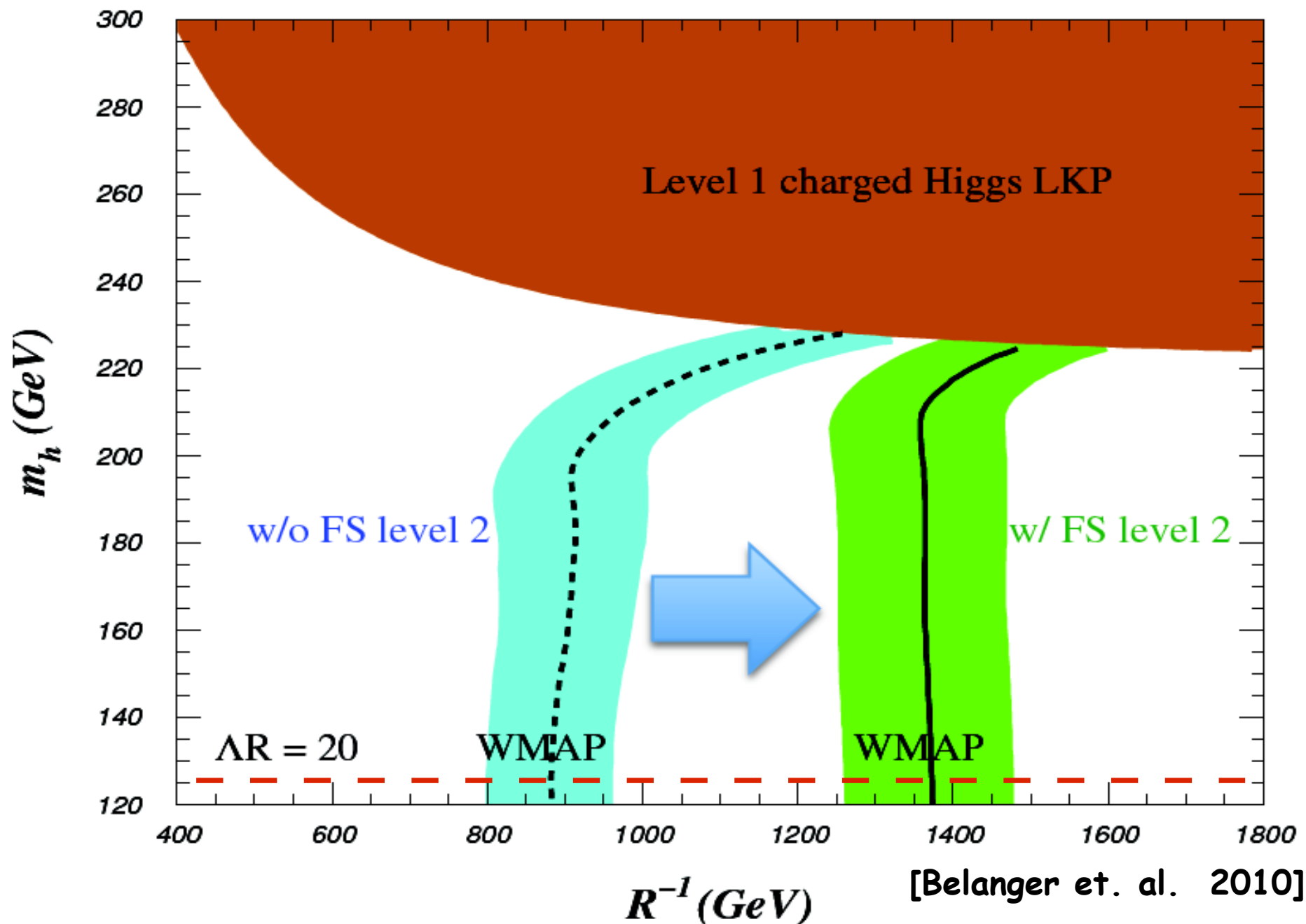


## Co-annihilation

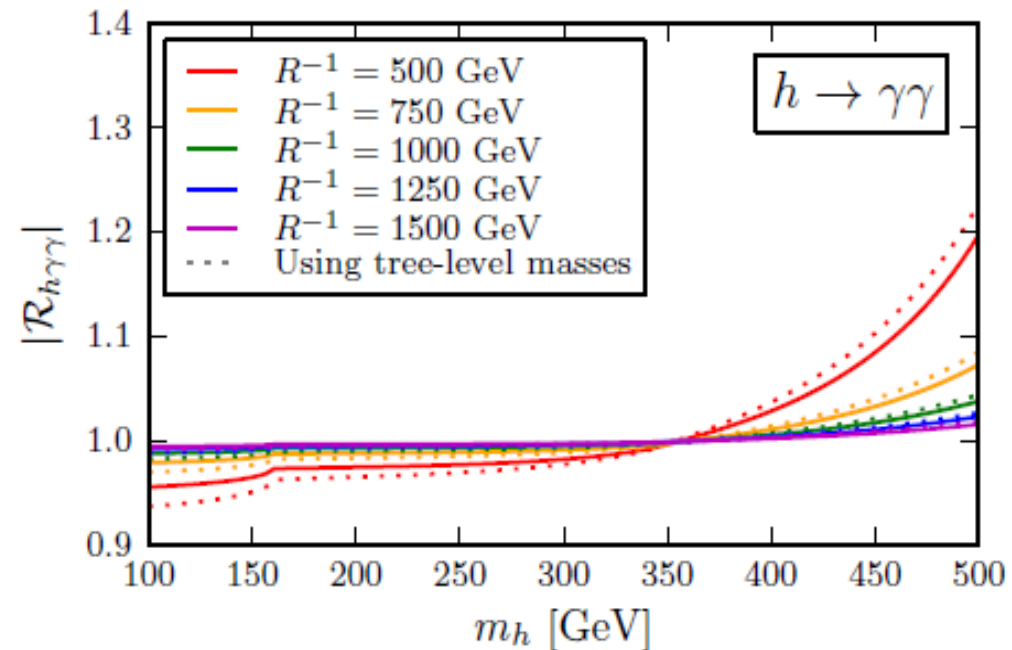
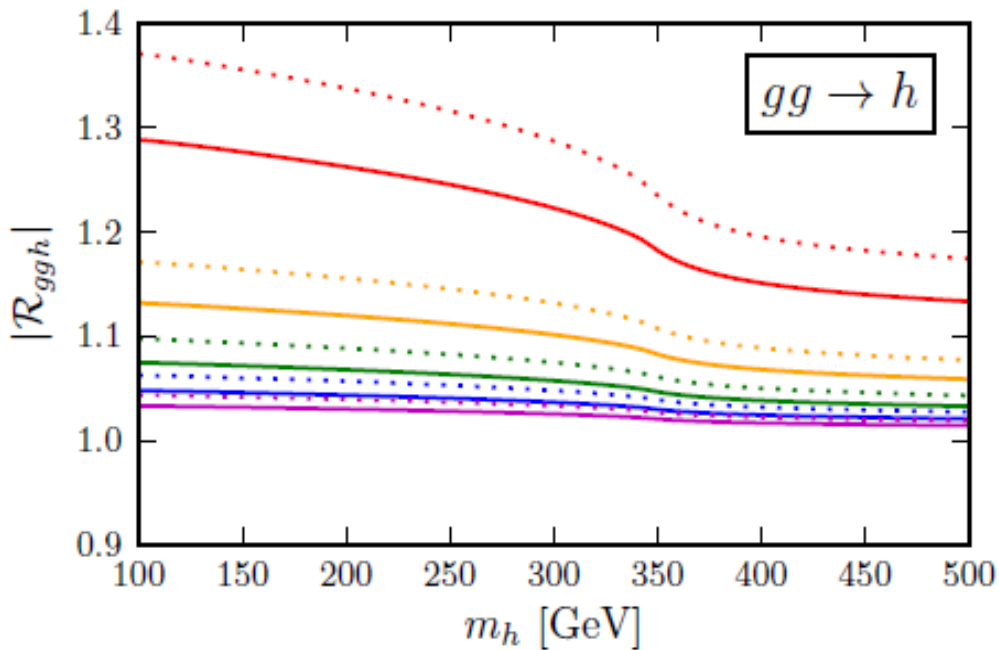
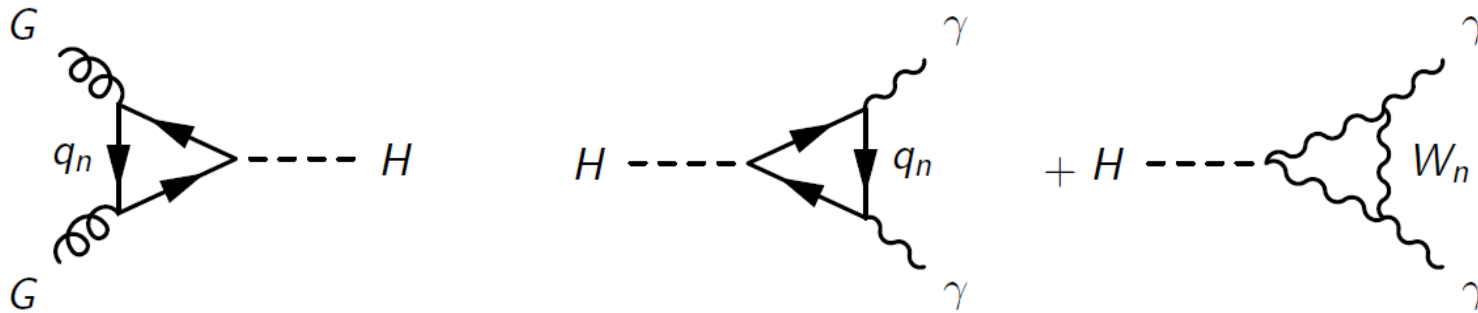




# The role of the 2<sup>nd</sup> level of KK excitation



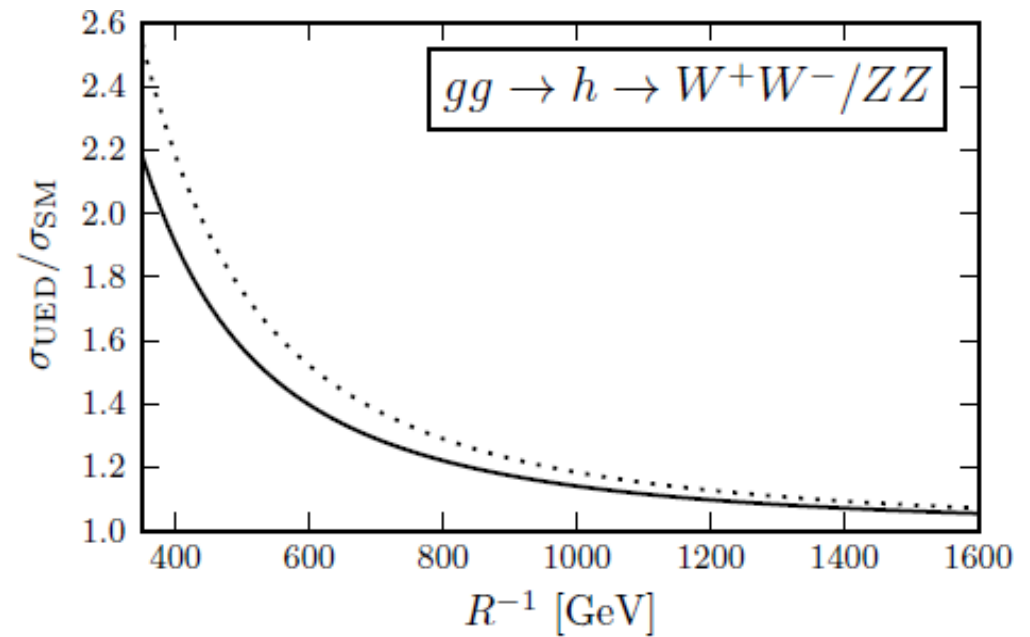
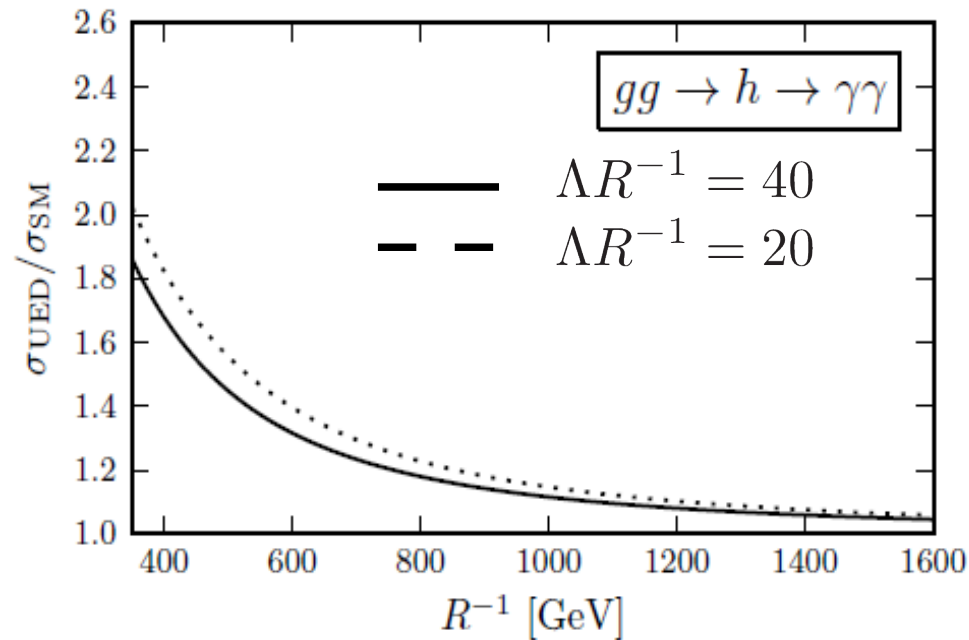
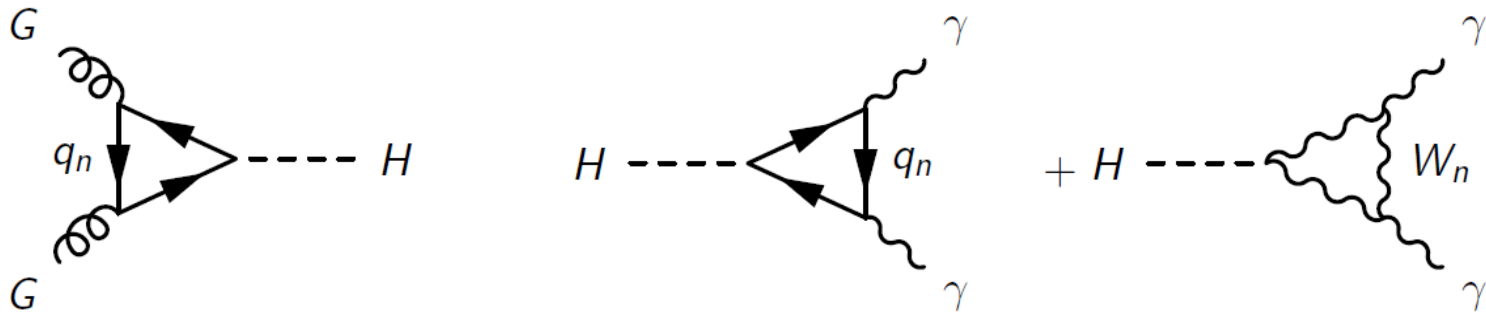
# The role of the Higgs searches in constraining of the mUED model



- Production is enhanced
- Decay is slightly suppressed

AB, Belanger, Brown, Kakizaki, Pukhov '12

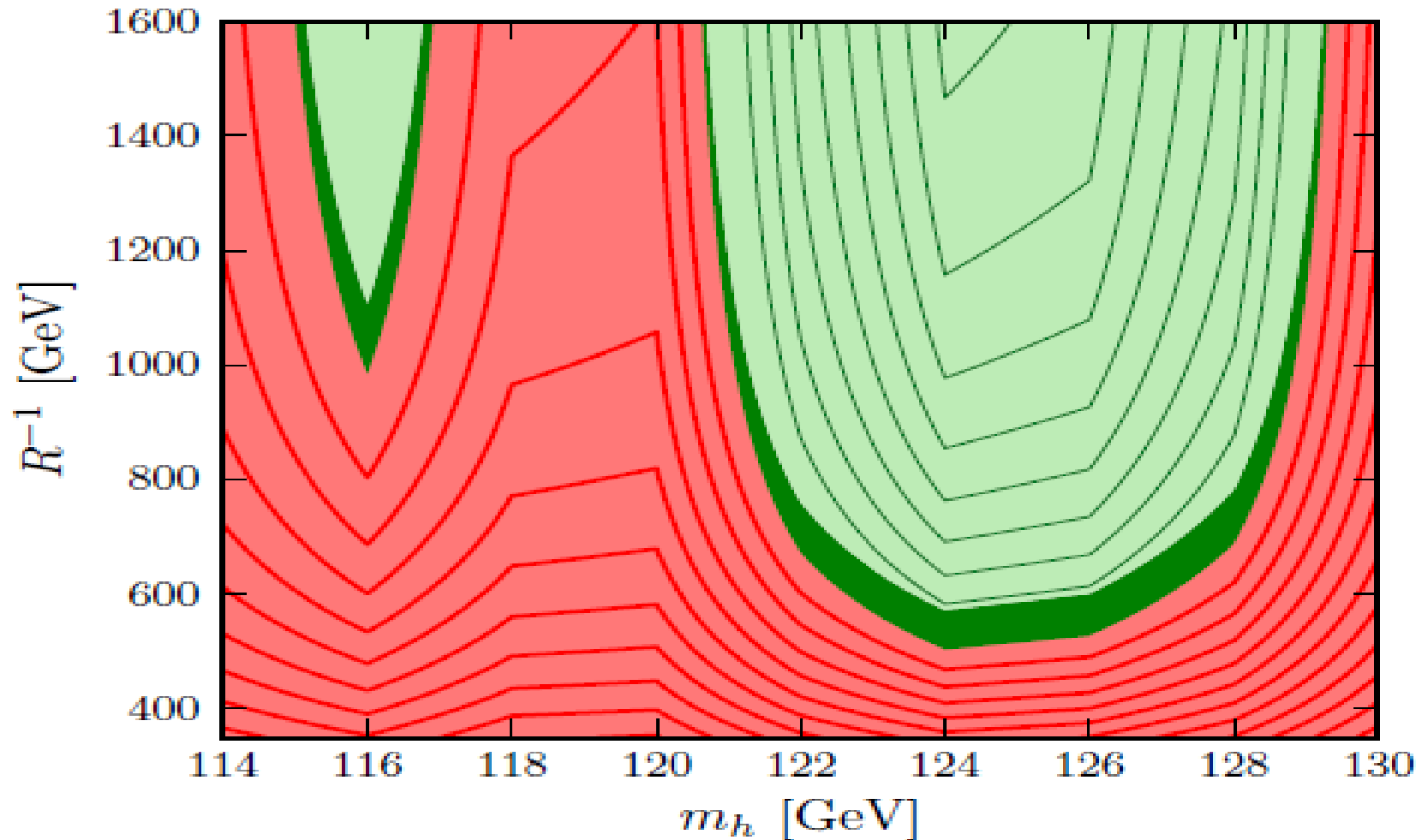
# Constraints from the Higgs data



- Production is enhanced
- Decay is slightly suppressed
- Overall, the  $GG \rightarrow H \rightarrow \gamma\gamma$  is enhanced

AB, Belanger, Brown, Kakizaki, Pukhov '12

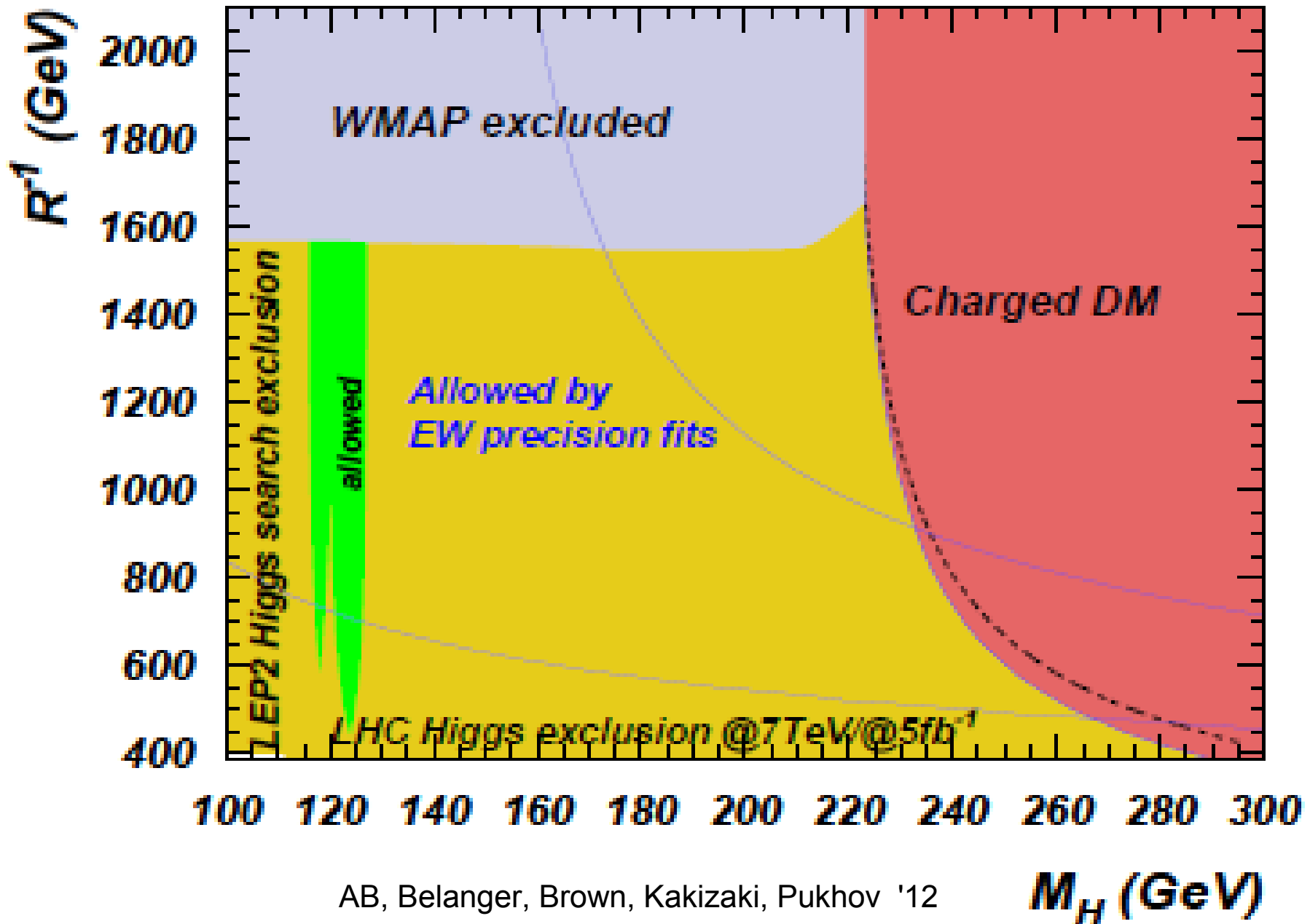
# Constraints from the Higgs data



- Same channels ( $\gamma\gamma$  and  $WW$ ) from CMS/ATLAS are combined
- $R^{-1} < 500$  is excluded at 95% CL
- overall, the  $GG \rightarrow H \rightarrow \gamma\gamma$  is enhanced
- Narrow window around 125 GeV is left

AB, Belanger, Brown, Kakizaki, Pukhov '12

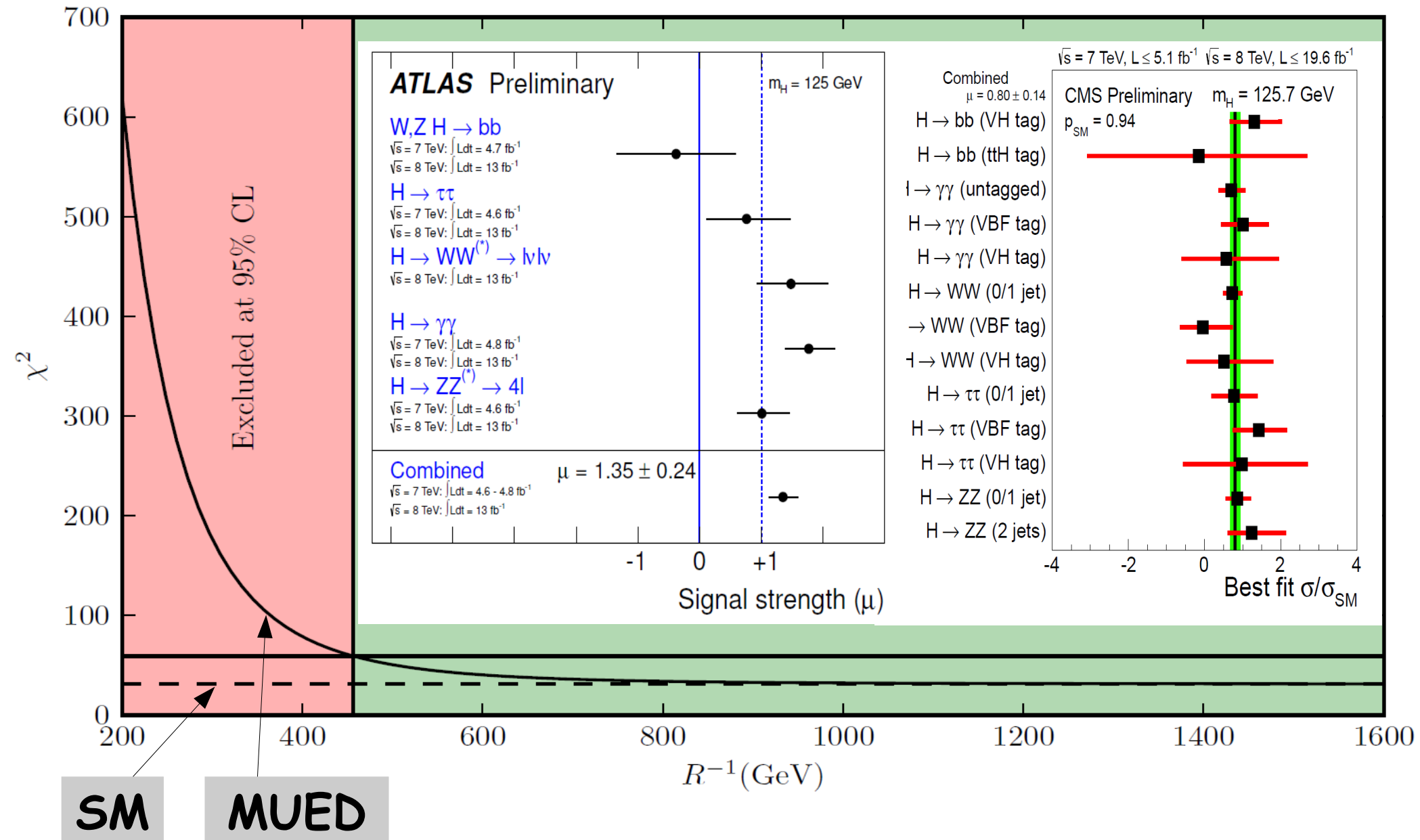
# The Status of MUED (with LHC@7 TeV Higgs data)



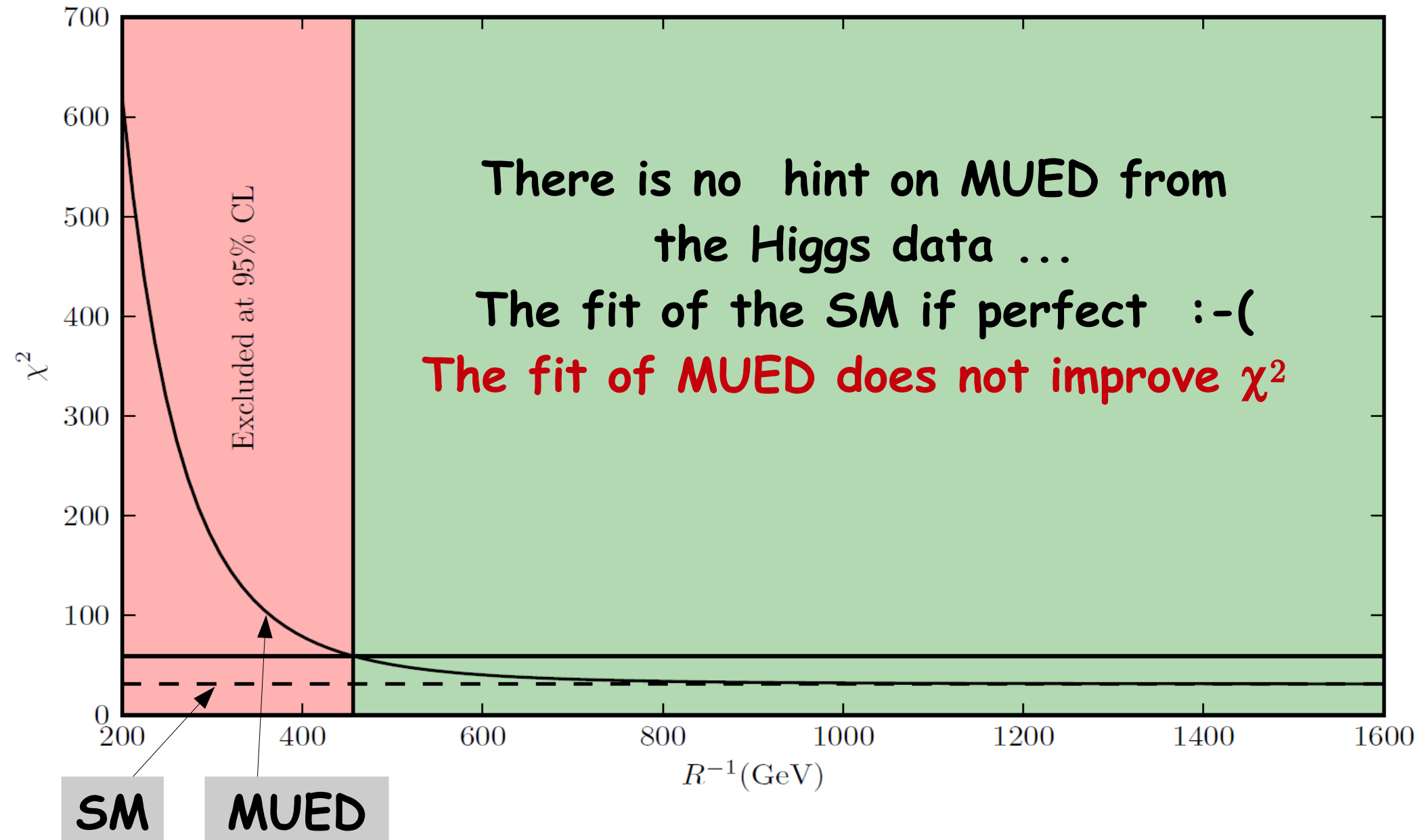
AB, Belanger, Brown, Kakizaki, Pukhov '12

$M_H$  (GeV)

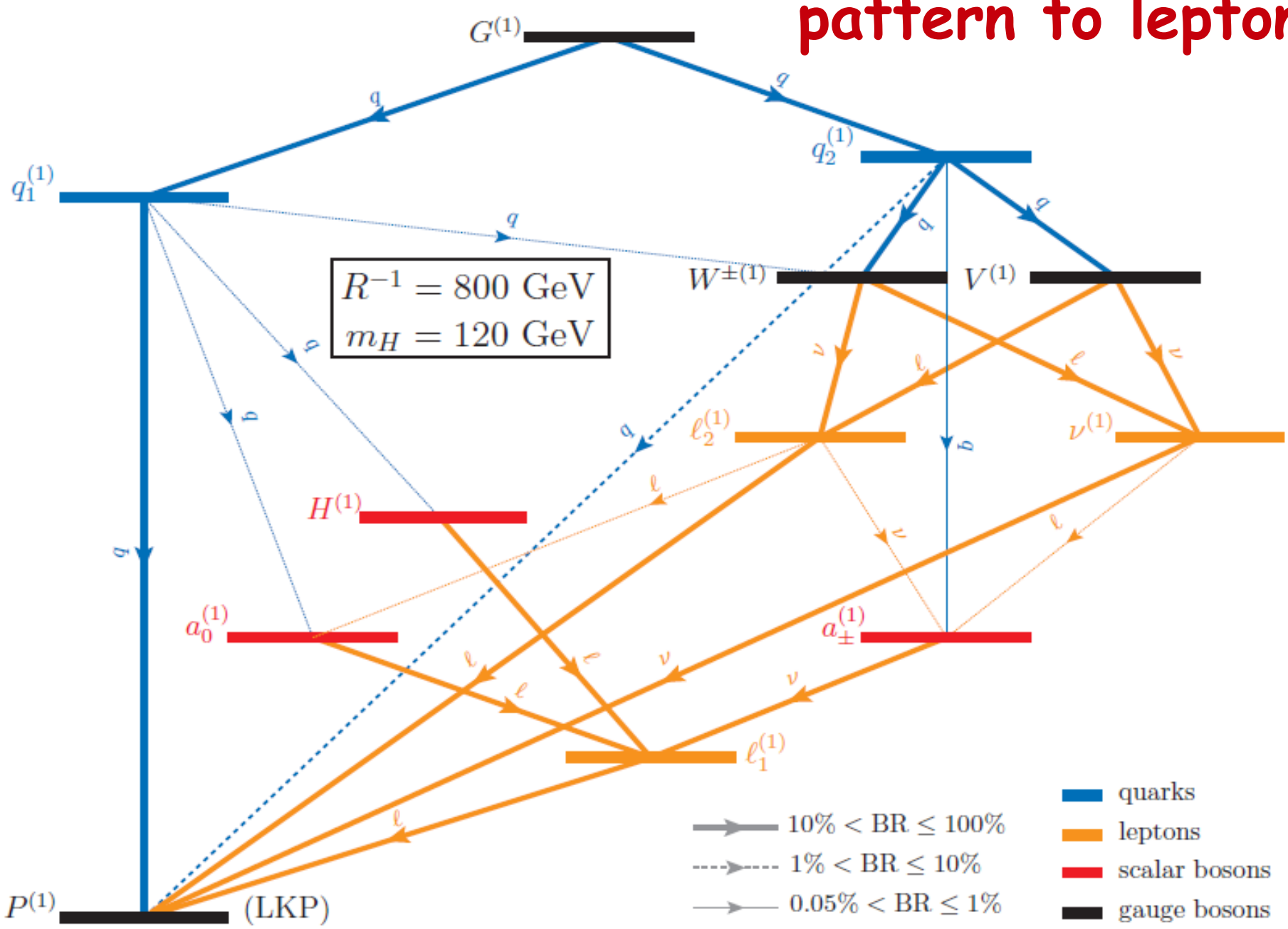
# Data Fit with MUED vs SM



# Data Fit with MUED vs SM

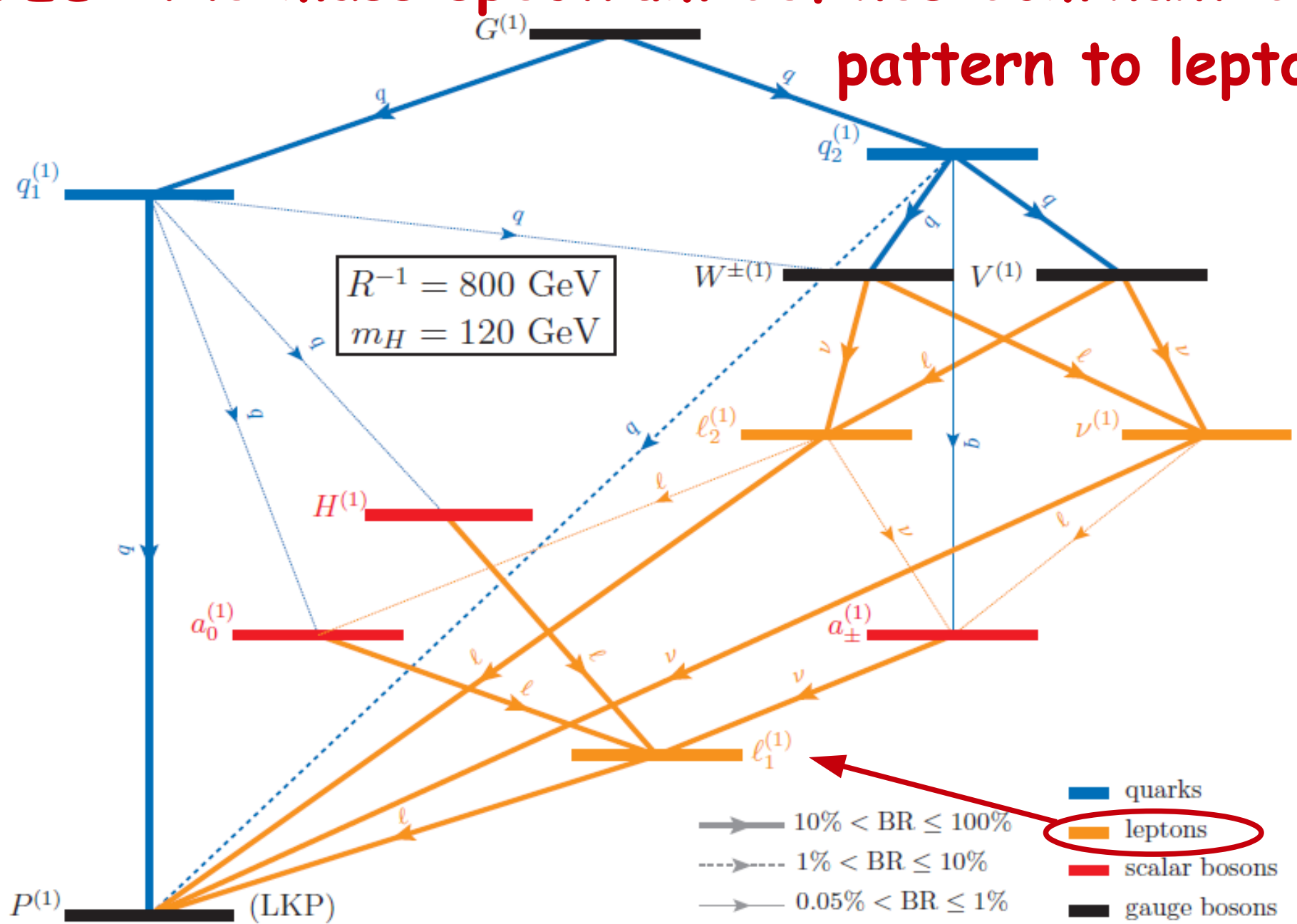


# mUED: the mass spectrum defines dominant decay pattern to leptons!!!





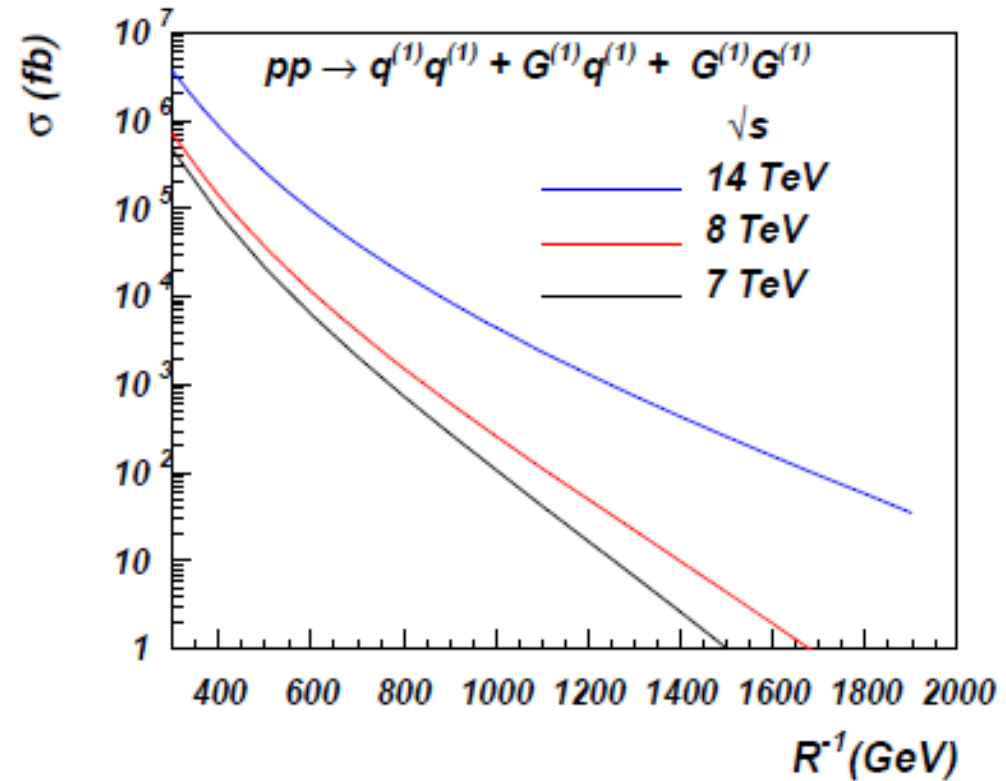
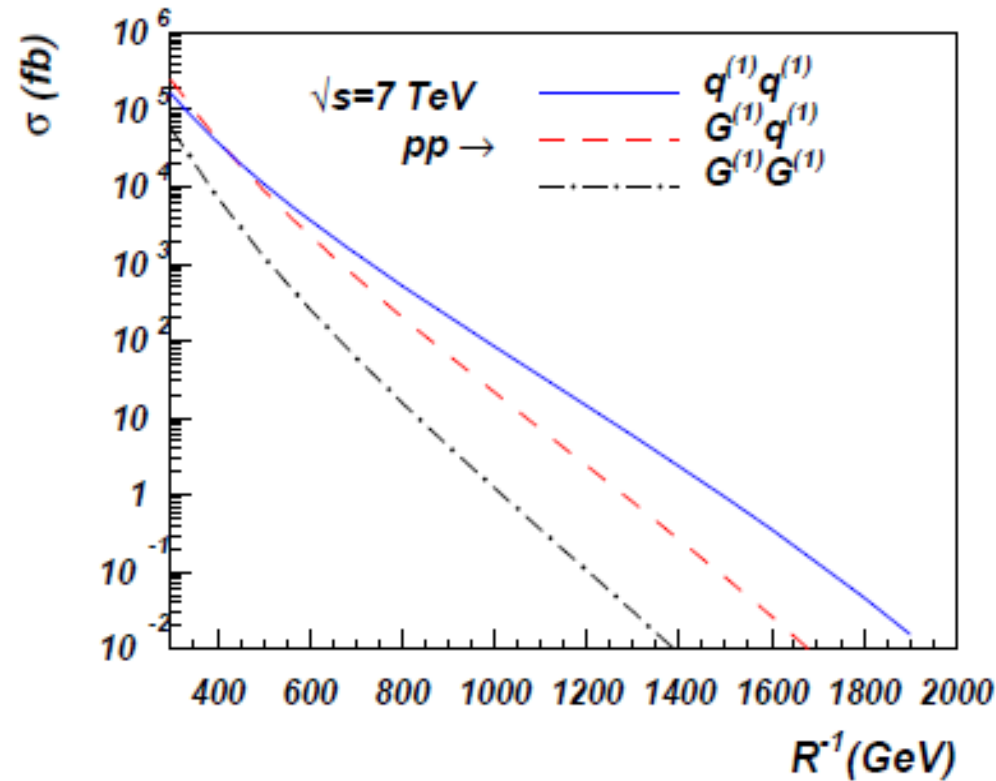
# mUED: the mass spectrum defines dominant decay pattern to leptons!!!



Can SUSY have this pattern?!  $M_{G^{(1)}} > M_{q^{(1)}} > M_{W^{(1)}}, M_{Z^{(1)}} > M_{l^{(1)}} > M_{\gamma^{(1)}}$

# mUED collider phenomenology with leptons

AB, Brown, Moreno, Papineau'12



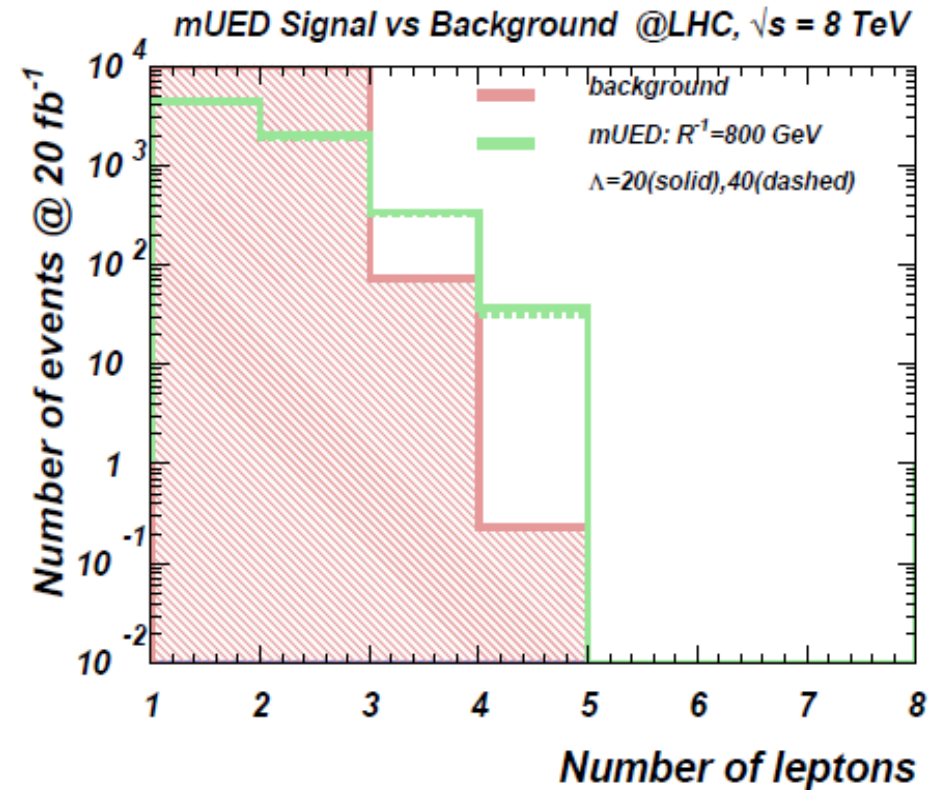
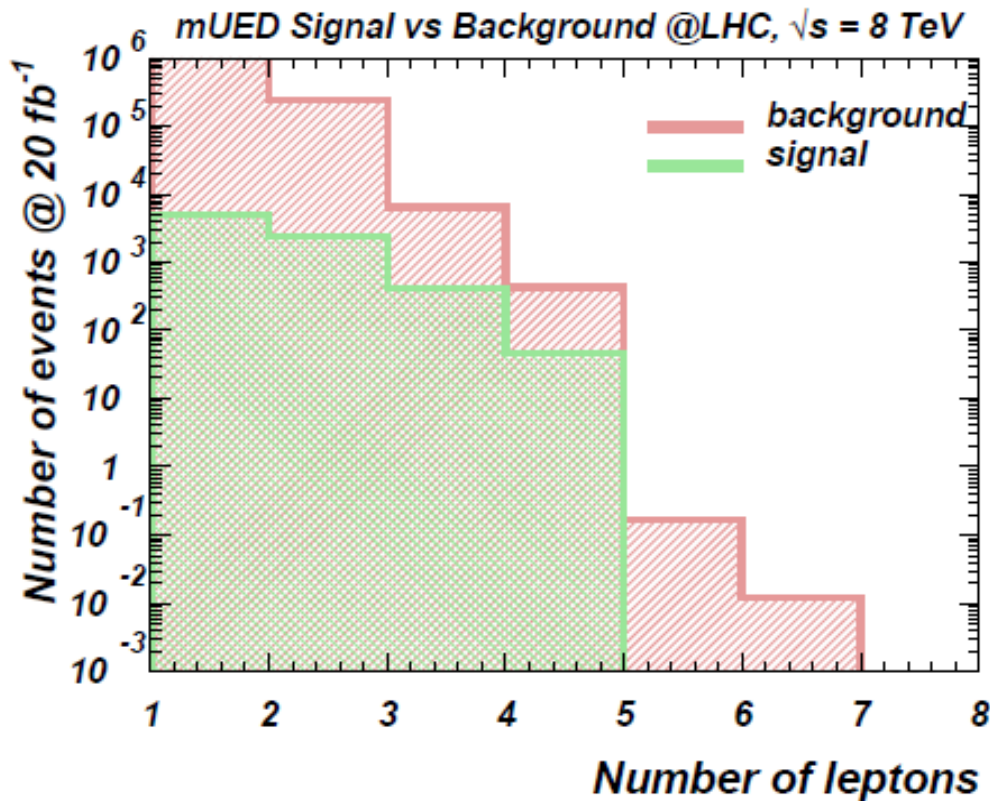
$Q^1 Q^1$  production rate is the highest

# mUED collider phenomenology with leptons

Lepton multiplicity:

AB, Brown, Moreno, Papineau'12

Signal vs BG before (left) and after (right) selection cuts



$$P_T^{\ell_1} > 20 \text{ GeV}, \quad P_T^{\ell(\text{all})} > 10 \text{ GeV}, \quad |\eta_\ell| < 2.5, \quad \Delta R_{\ell_j} = \sqrt{\Delta\phi_{\ell_j}^2 + \Delta\eta_{\ell_j}^2} > 0.5$$

$$|m_Z - M_{\ell\bar{\ell}}| > 10 \text{ GeV}$$

$$\cancel{P}_T > 50 \text{ GeV}$$

$$P_T^{\ell_1} < 100 \text{ GeV}; \quad P_T^{\ell_2} < 70 \text{ GeV}; \quad P_T^{\ell_3} < 50 \text{ GeV}$$

$$M_{\text{eff}} > R^{-1}/5 \quad M_{\text{eff}} = \cancel{P}_T + \sum_{\ell,j} P_T$$

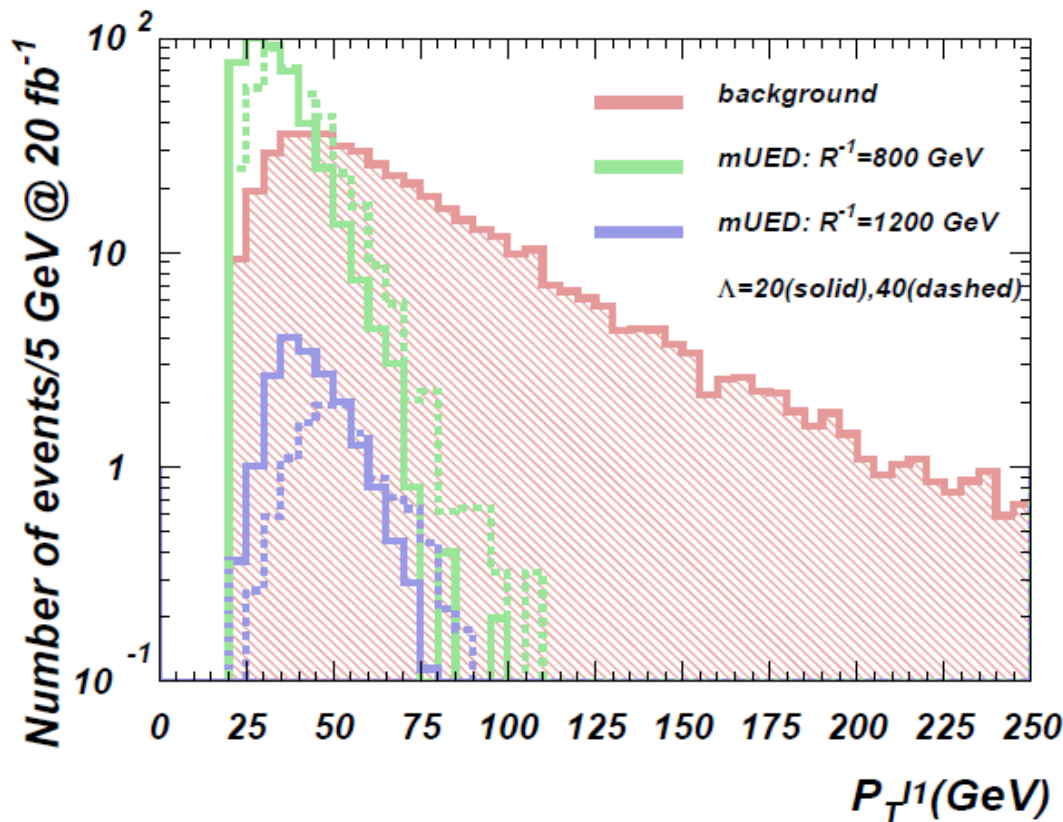
**Selection  
cuts**

# mUED collider phenomenology with leptons

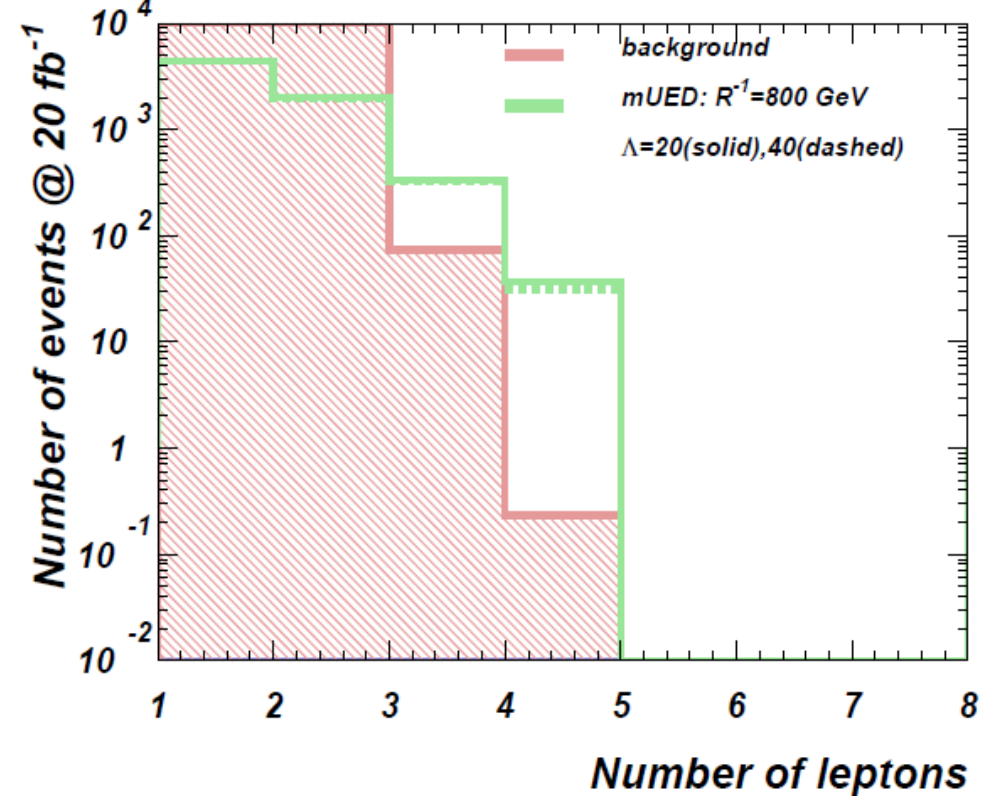
AB, Brown, Moreno, Papineau'12

Cut on the maximum  $P_T$  of the lepton is important!

mUED Signal vs Background @LHC,  $\sqrt{s} = 8$  TeV



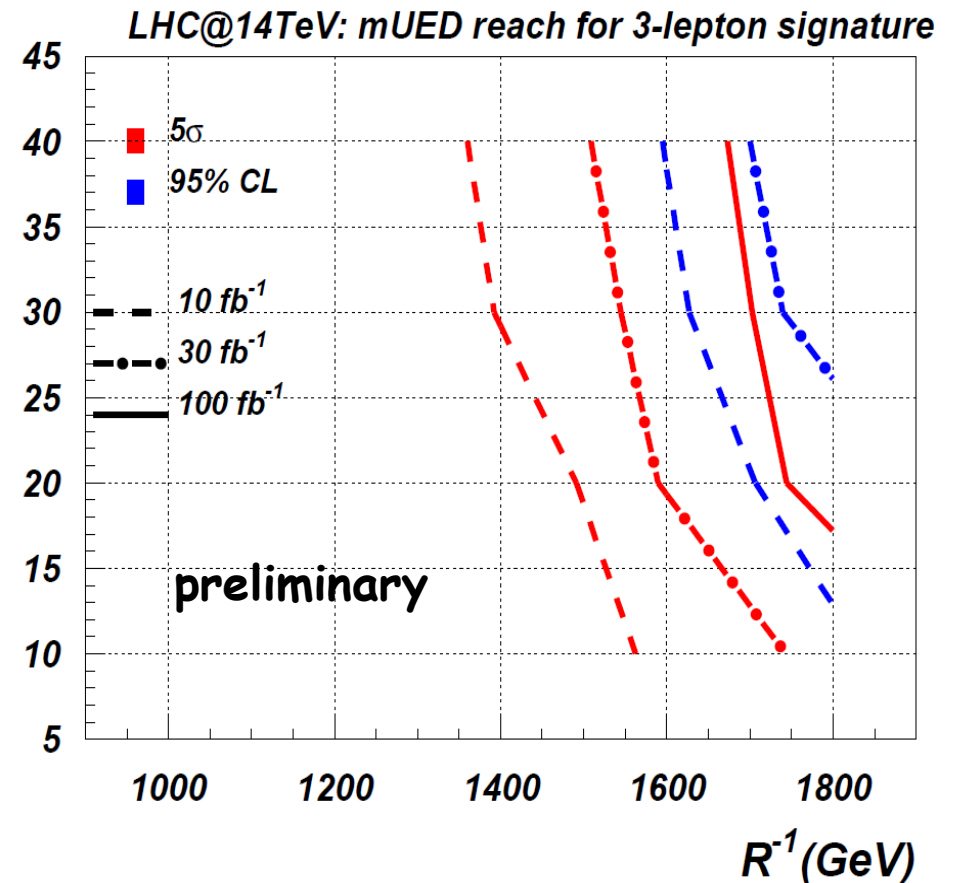
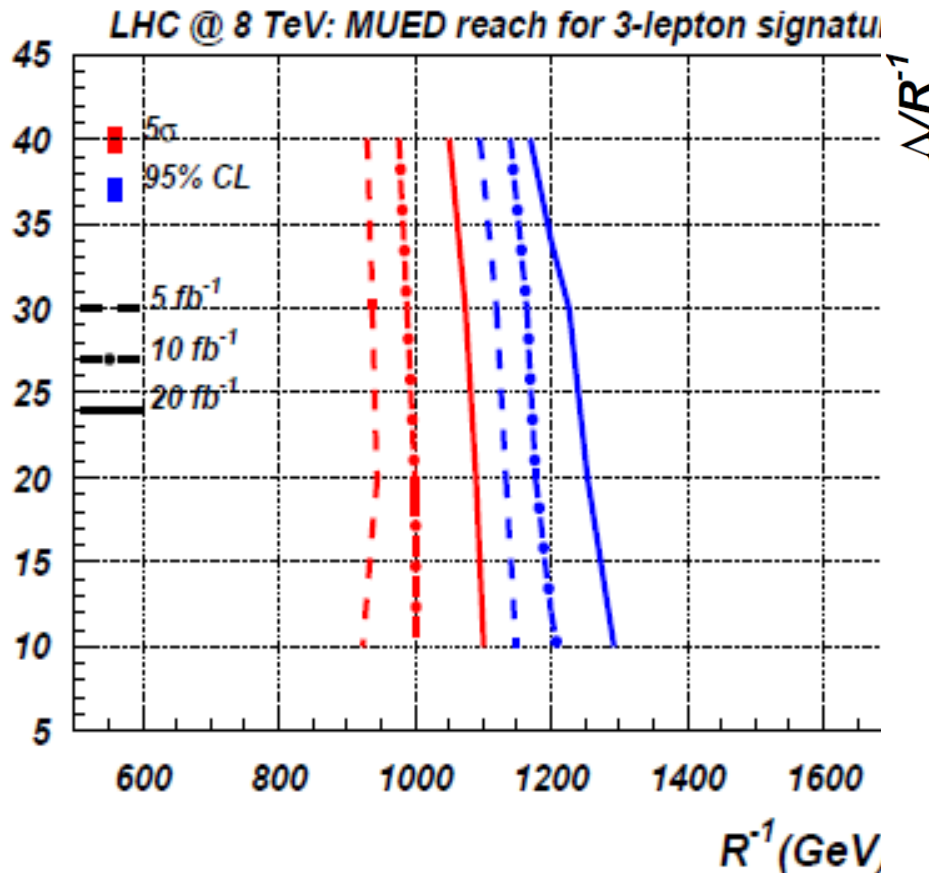
mUED Signal vs Background @LHC,  $\sqrt{s} = 8$  TeV



3-lepton signature has the highest significance  
in comparison with 4-lepton signature

# mUED collider phenomenology with leptons

AB, Brown, Moreno, Papineau'12

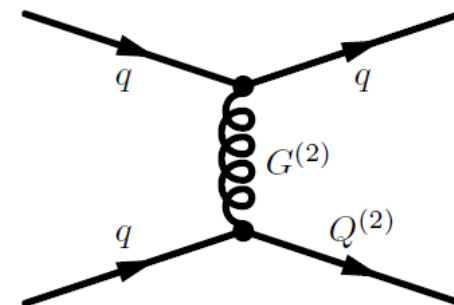
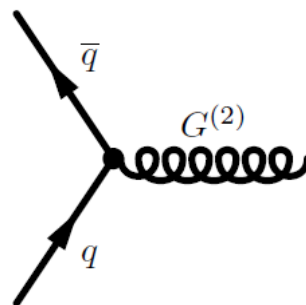
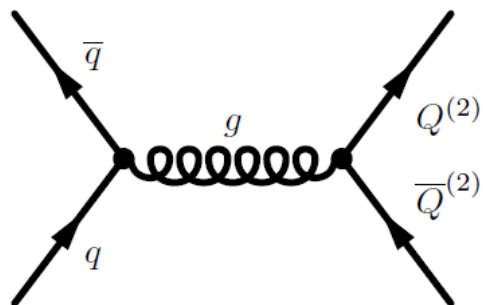


- Small mass gap (as compared to MSSM) – much lower missing PT
- Quite a few PHENO papers, but there are no experimental limits!!!  
the projected limit from this study:  $R^{-1} > 1.2\text{--}1.3 \text{ TeV}$
- 3-lepton signature – is very promising:  
LHC@14 will eventually discover or close MUED!

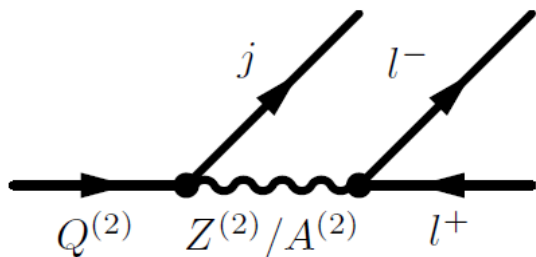
# Constraints from di-lepton searches

Edelhäuser, Flacke, Kramer, '13

• production

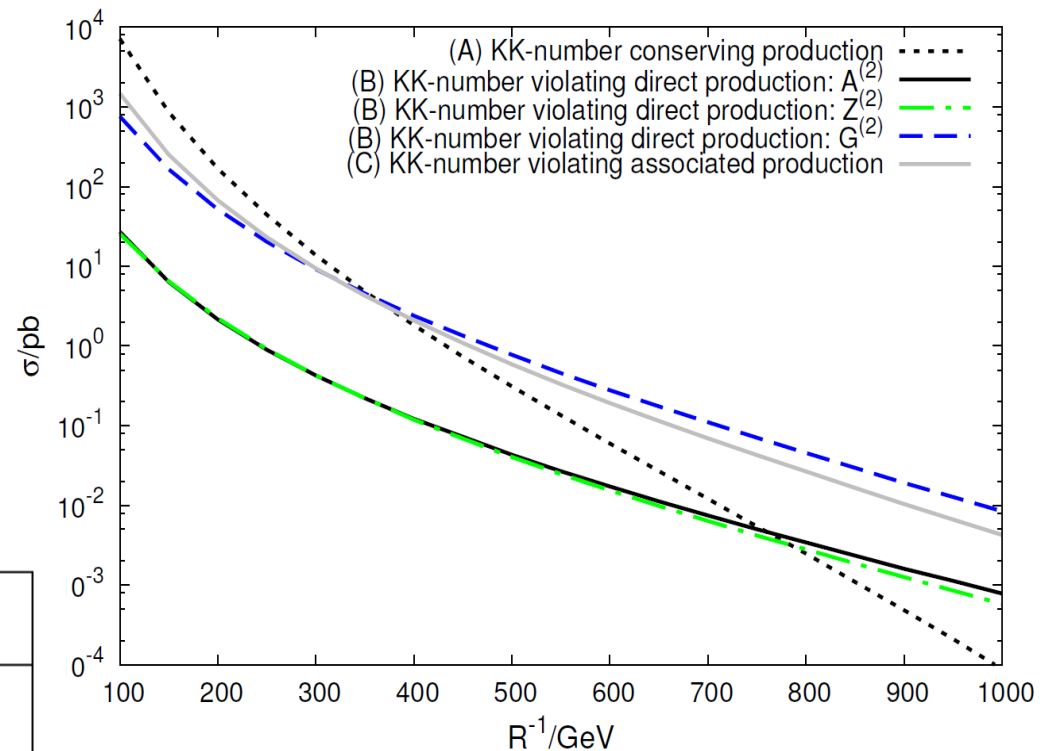


• decay



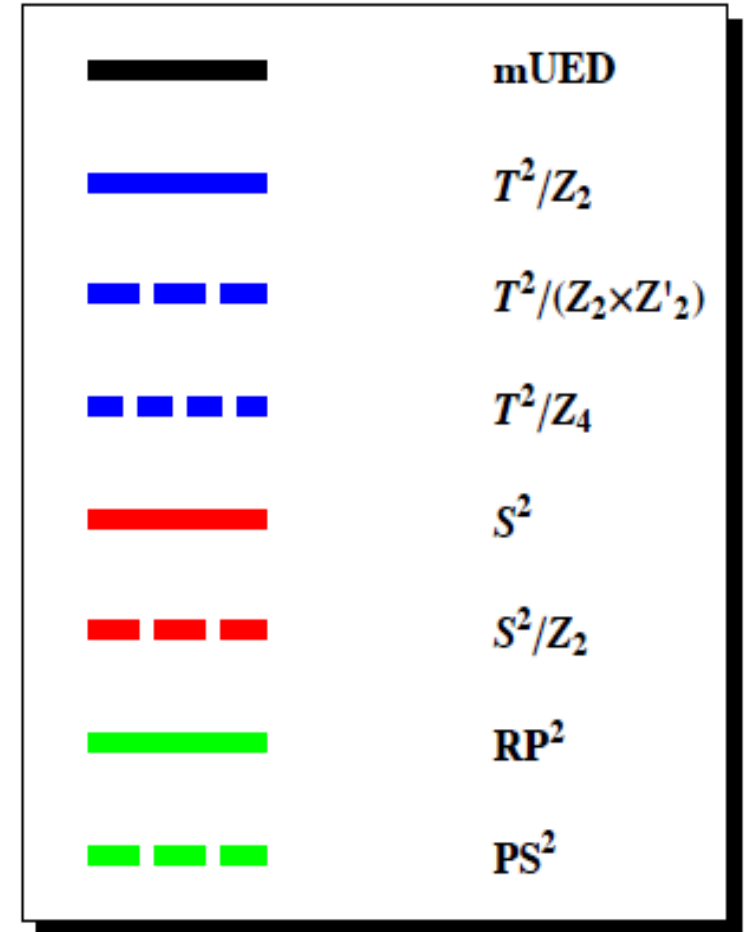
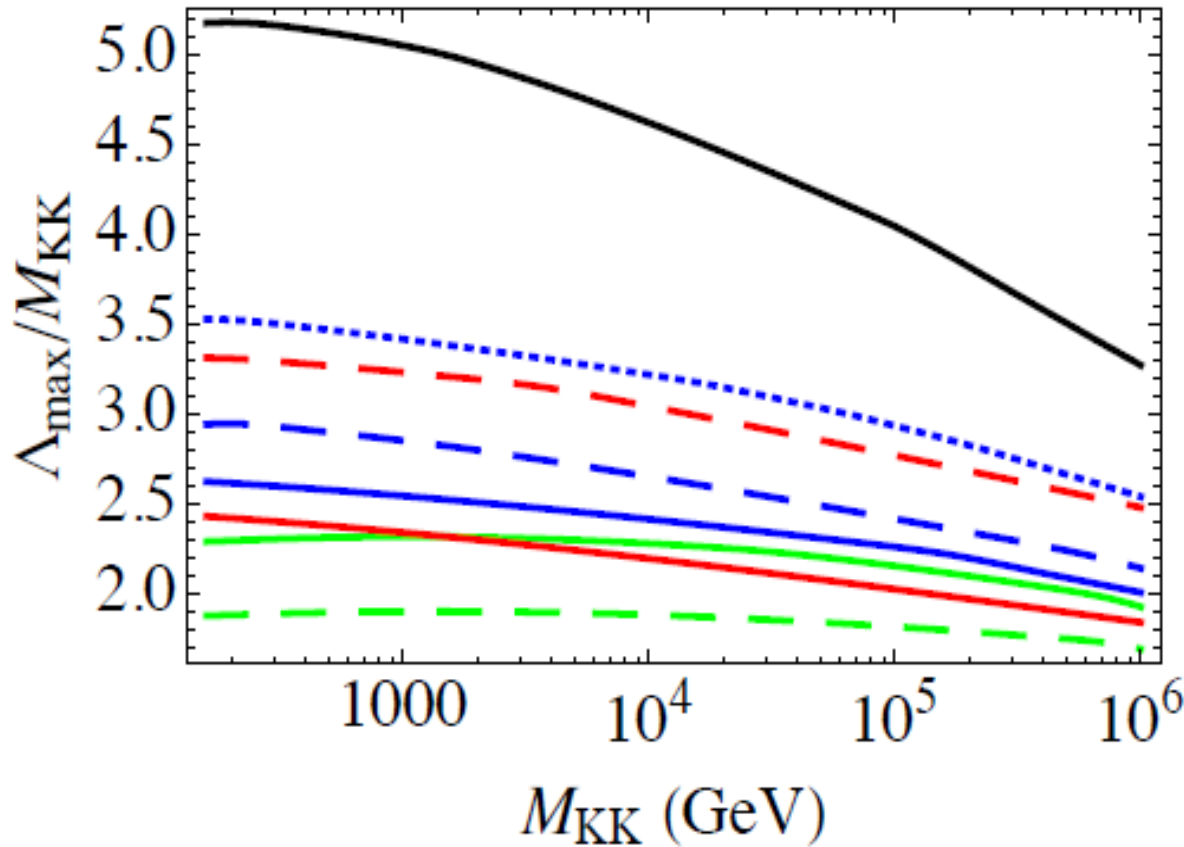
• Lower bounds

$\Lambda R$	5	10	20	50
$R^{-1} / [ \text{GeV} ]$	623	613	601	627



# Vacuum stability bounds

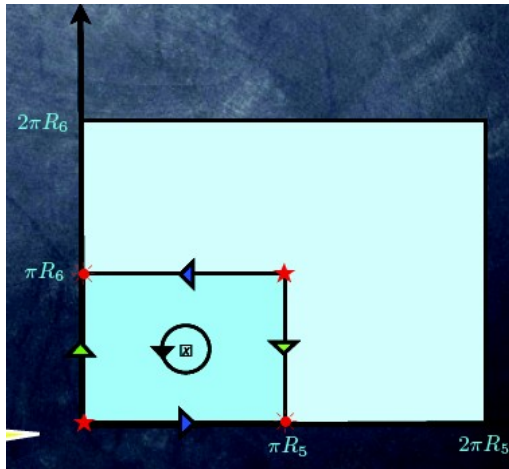
Kakuda, Nishiwaki,  
Oda, Watanabe, '13



Model	mUED	$T^2/Z_2$	$T^2/(Z_2 \times Z'_2)$	$T^2/Z_4$	$S^2$	$S^2/Z_2$	$RP^2$	PS
$\tilde{\Lambda}_{\max}$	5.0	2.5	2.9	3.4	2.3	3.2	2.3	1.9

# 6D UED (Dark Matter in a twisted bottle)

Arbey, Cacciapaglia, Deandrea, Kubik'12



## Spectrum of the SM

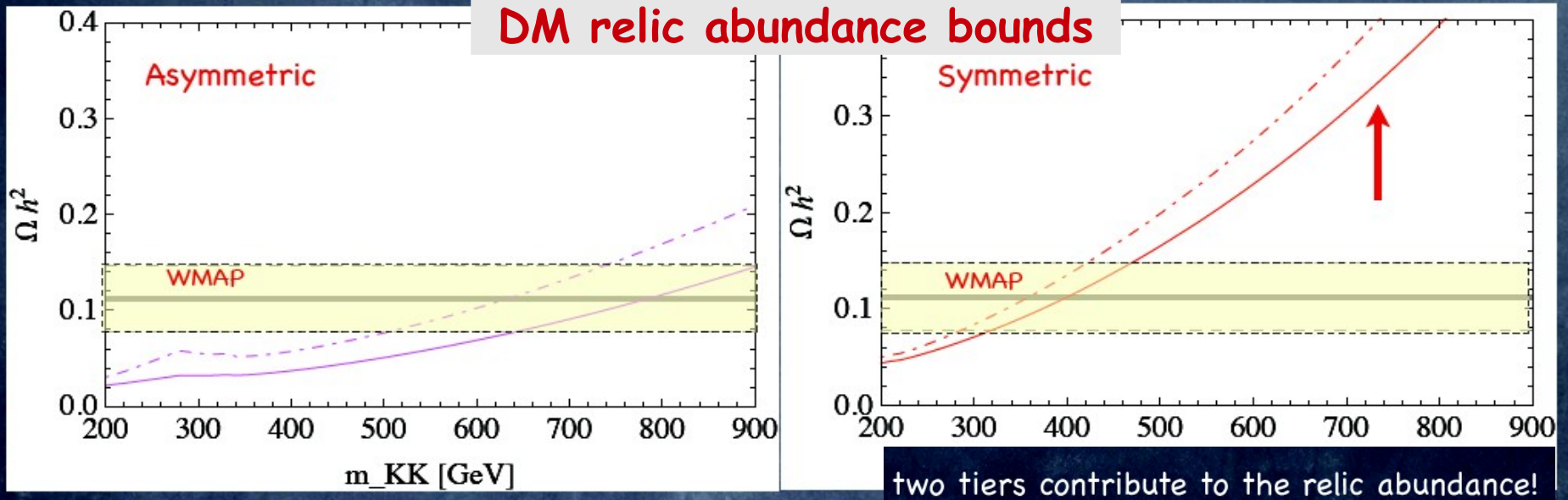
	+	-	+	+	-
$p_{KK} = (-1)^{k+l}$	(0,0) m = 0	(1,0) & (0,1) m = 1	(1,1) m = 1.41	(2,0) & (0,2) m = 2	(2,1) & (1,2) m = 2.24
Gauge bosons G, A, Z, W	✓		✓	✓	✓
Gauge scalars G, A, Z, W		✓	✓		✓
Higgs boson(s)	✓		✓	✓	✓
Fermions	✓	✓	✓ (x2)	✓	✓ (x2)

DM candidate here!



# 6D UED DM bounds

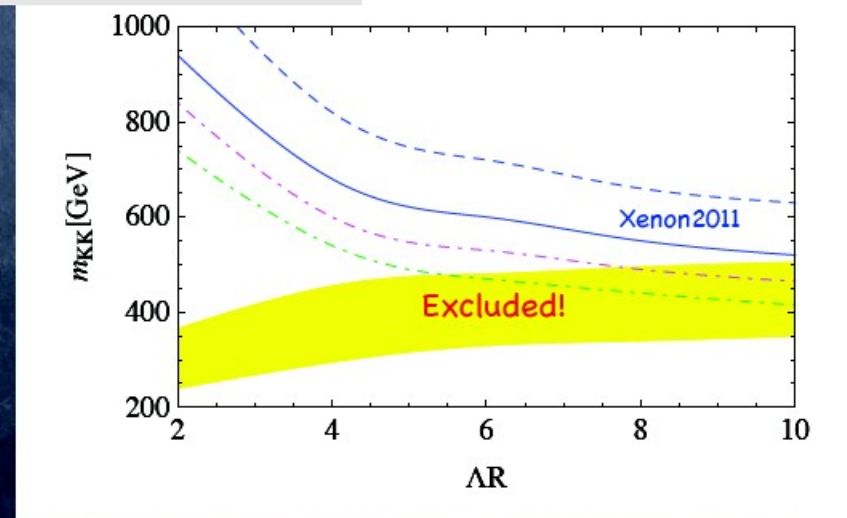
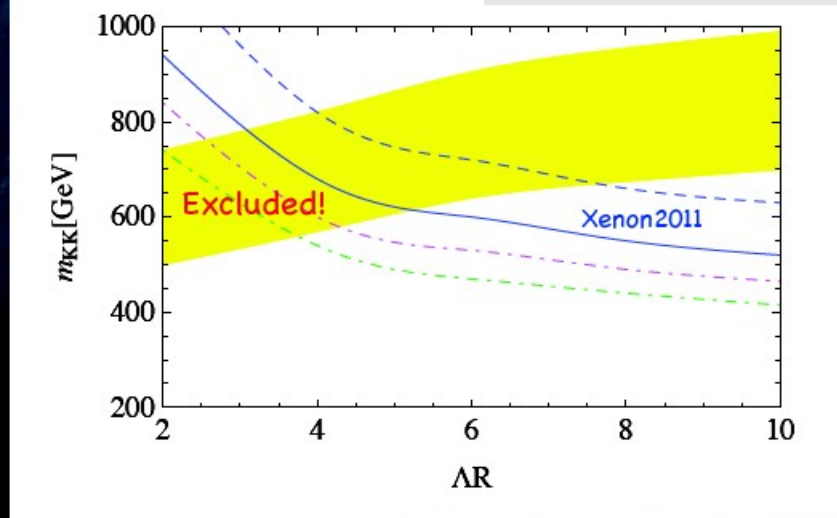
Arbey, Cacciapaglia, Deandrea, Kubik'12



$$R_5 > R_6$$

$$R_5 = R_6$$

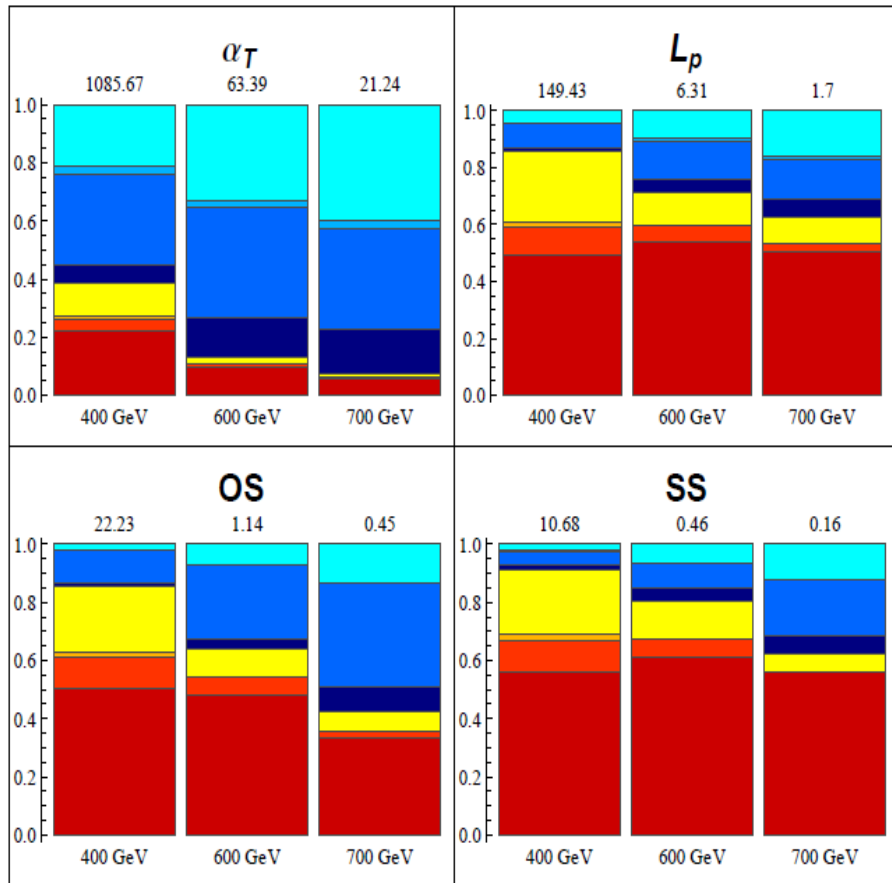
### DM direct detection bounds



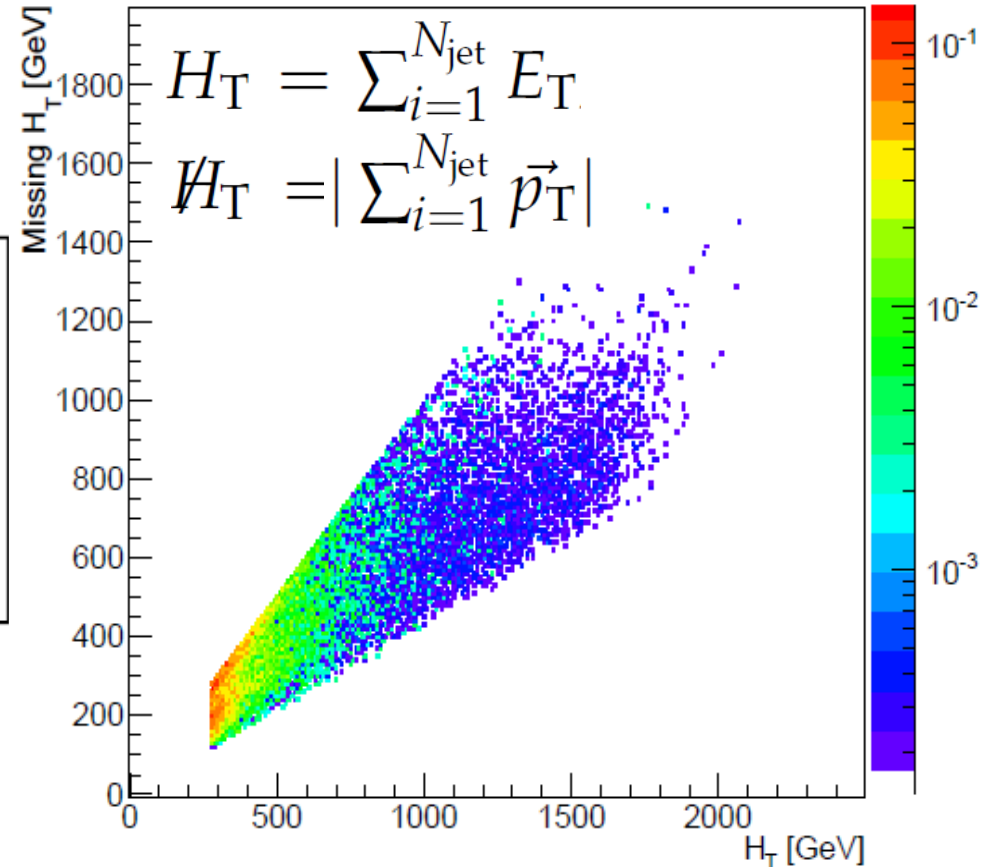
# 6D UED LHC bounds

Cacciapaglia, Deandrea,  
Ellis, Marrouche, Panizzi '13

“composition” of signal signatures



MHT-HT analysis plane



Exclusion limit:  $M_{KK} > 600-700 \text{ GeV}$   
Almost all parameter space is excluded

$$\alpha_T = \frac{p_T(j_2)}{M_{jj}} = \frac{p_T(j_2)}{\sqrt{H_T^2 - M_{H_T}^2}}$$

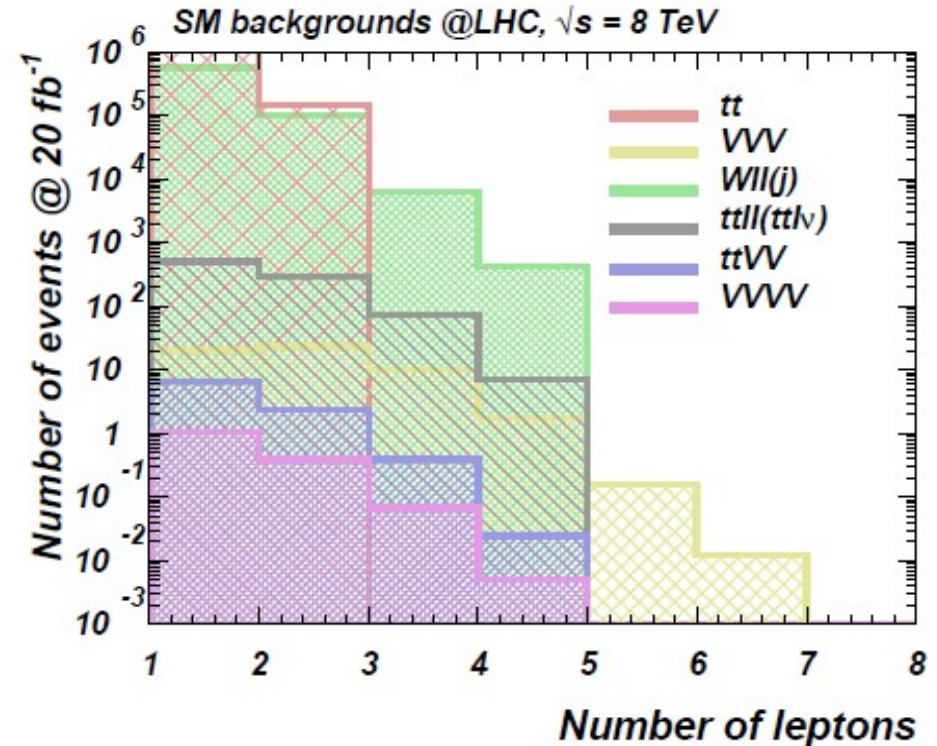
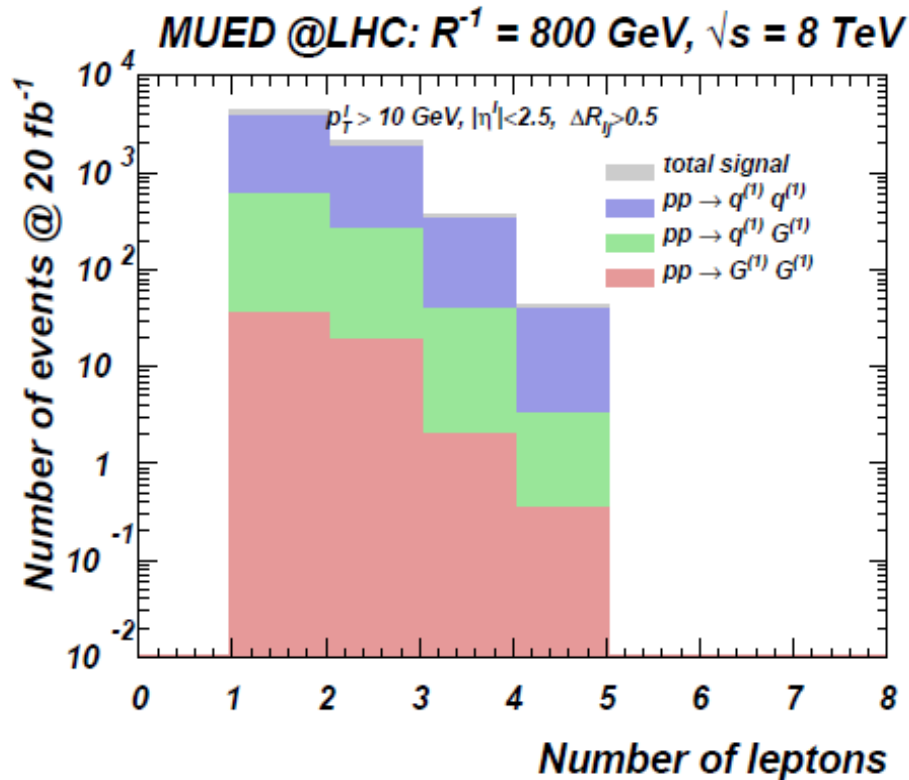
# Conclusions

- UED are limited from above by DM relic abundance and from below by the LHC searches  
LHC and DM search experiments provide an important test:  
LHC@14 TeV will discover or exclude the complete parameter space for 5 & 6D UED (no boundary localised terms).
- There are still no dedicated experimental searches for MUED signals which could be in data! It is time to check them!  
3-lepton signal is very promising for MUED at the LHC.
- Consistent MUED with EWSB and loop-corrections is implemented into LanHEP and publicly available at HEPMDB [CalcHEP and UFO(Madgraph5) formats are available].  
It is ready to be used by experimentalists and theorists!

**THANK YOU !**

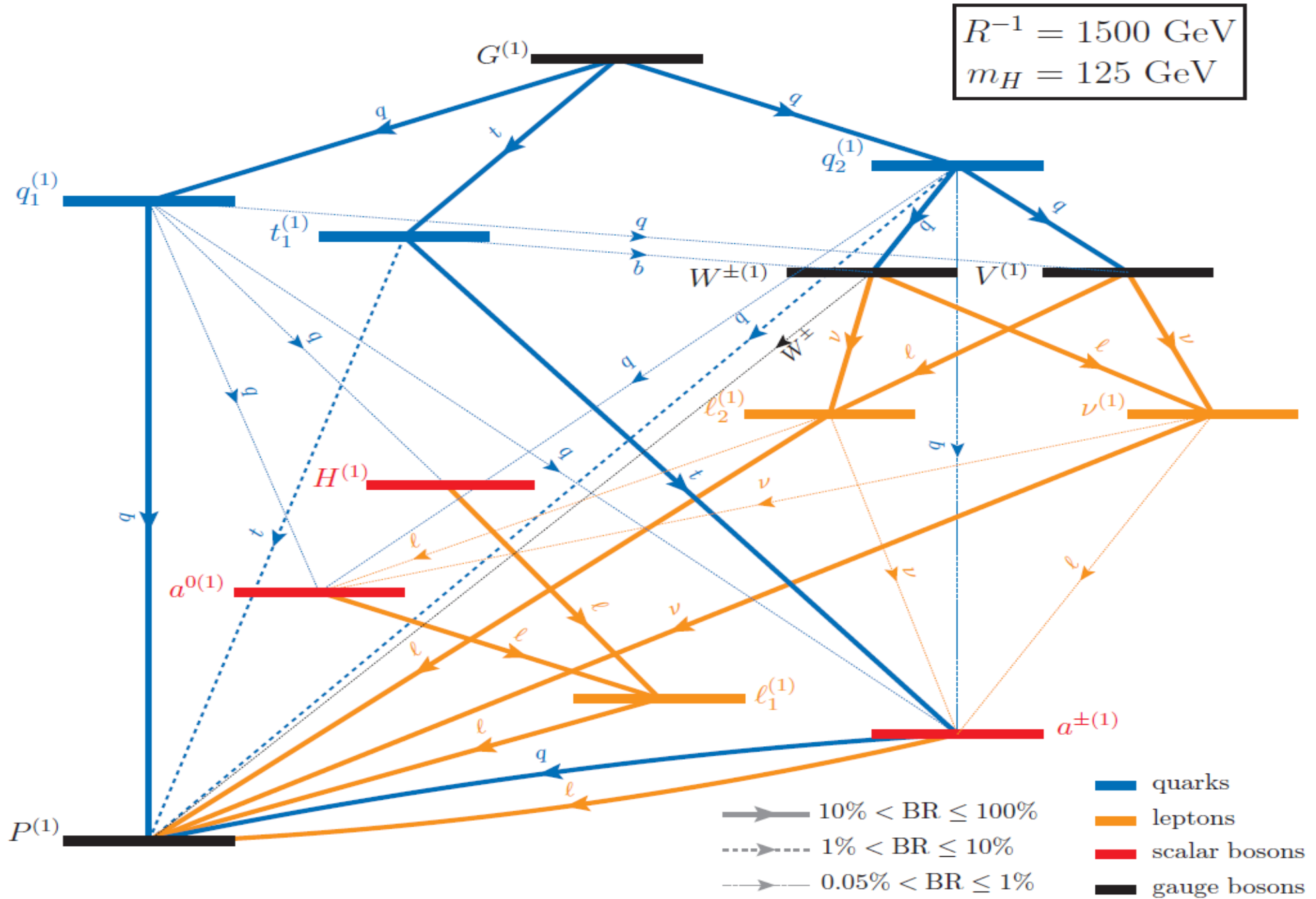
# mUED collider phenomenology with leptons

AB, Brown, Moreno, Papineau'12



Signal vs BG in lepton multiplicity

# Backup slides



# MUED; Direct DM detection rates

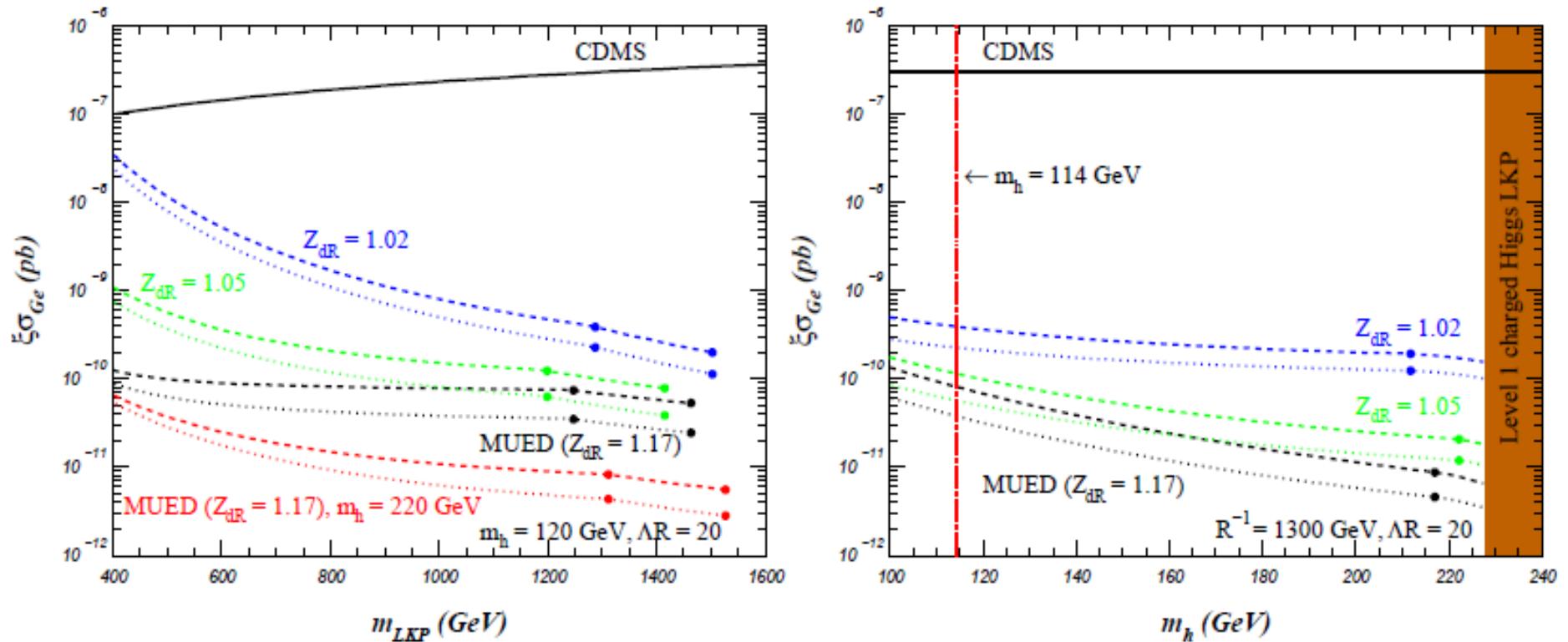


Figure 5: Rescaled LKP-nucleon cross section on  $Ge^{76}$  vs  $m_{LKP}$  for  $m_h = 120$  GeV,  $\Lambda R = 20$  and 2 sets of quark coefficients (  $(\sigma_{\pi N}, \sigma_0) = (56 \text{ MeV}, 35 \text{ MeV})$  (dash) or  $(47 \text{ MeV}, 42.9 \text{ MeV})$  (dot) ) and for different values of the mass splitting between the KK singlet d-quarks and the LKP including the MUED case (left panel). The MUED results for  $m_h = 220$  GeV are also shown. In each line the region between the blobs is consistent with the  $3\sigma$  WMAP range. Rescaled LKP-nucleon cross section on  $Ge^{76}$  vs  $m_h$  for  $R^{-1} = 1300$  GeV,  $\Lambda R = 20$  (right). In each line the region left of the blob is consistent with the  $3\sigma$  WMAP range.

# The spectrum

Because of the loop-corrections, the  $B$  and  $W^3$  do not mix with the Weinberg angle

$$\begin{pmatrix} Z_B \frac{n^2}{R^2} + \frac{1}{4} g_1^2 v^2 & -\frac{1}{4} g_1 g_2 v^2 \\ -\frac{1}{4} g_1 g_2 v^2 & Z_W \frac{n^2}{R^2} + \frac{1}{4} g_2^2 v^2 \end{pmatrix}$$

Consequently, the mass eigenstates are not the KK photon or KK  $Z$ -boson. We call them  $P^{(n)}$  and  $Q^{(n)}$ .

There is a tree-level  $H^{(k)} P^{(l)} P^{(m)}$  vertex.

Associated with the KK vectors  $A_\mu^{(n)}$ , the Goldstone bosons are combinations of the fifth components  $A_5^{(n)}$  and the Higgses  $\chi^{(n)}$ .

Finally, there are two KK fermions per SM one, and they mix with angles related to the  $Z_i$ .



# The spectrum

Spin	Name	Particle	Mass
1	Gluon $P$ boson $Q$ boson $W$ boson	$G^{(n)}$ $P^{(n)}$ $Q^{(n)}$ $W^{\pm (n)}$	$m_{G^{(n)}}^2 = Z_G \frac{n^2}{R^2}$ $m_{P^{(n)}}^2$ $m_{Q^{(n)}}^2$ $m_{W^{(n)}}^2 = Z_W \frac{n^2}{R^2} + M_W^2$
1/2	Neutrinos Charged leptons 1 Charged leptons 2 Up-quarks 1 Up-quarks 2 Down-quarks 1 Down-quarks 2	$\nu_{iL}^{(n)}$ $e_1^{(n)}, \mu_1^{(n)}, \tau_1^{(n)}$ $e_2^{(n)}, \mu_2^{(n)}, \tau_2^{(n)}$ $u_1^{(n)}, c_1^{(n)}, t_1^{(n)}$ $u_2^{(n)}, c_2^{(n)}, t_2^{(n)}$ $d_1^{(n)}, s_1^{(n)}, b_1^{(n)}$ $d_2^{(n)}, s_2^{(n)}, b_2^{(n)}$	$m_{\nu_i^{(n)}} = Z_{eL} \frac{n}{R}$ $m_{e1^{(n)}}, m_{\mu 1^{(n)}}, m_{\tau 1^{(n)}}$ $m_{e2^{(n)}}, m_{\mu 2^{(n)}}, m_{\tau 2^{(n)}}$ $m_{u1^{(n)}}, m_{c1^{(n)}}, m_{t1^{(n)}}$ $m_{u2^{(n)}}, m_{c2^{(n)}}, m_{t2^{(n)}}$ $m_{d1^{(n)}}, m_{s1^{(n)}}, m_{b1^{(n)}}$ $m_{d2^{(n)}}, m_{s2^{(n)}}, m_{b2^{(n)}}$
0	Higgs scalar neutral scalar charged scalar	$h^{(n)}$ $a_0^{(n)}$ $a_{\pm}^{(n)}$	$m_{h^{(n)}}^2 = Z_H \frac{n^2}{R^2}$ $m_{a0^{(n)}}^2 = Z_H \left[ \frac{n}{R} + \frac{v^2}{4} \left( \frac{g_1^2}{Z_B} + \frac{g_2^2}{Z_W} \right) \right]$ $m_{a^{\pm}(n)}^2 = \frac{Z_H}{Z_W} \left[ Z_W \frac{n^2}{R^2} + M_W^2 \right]$